



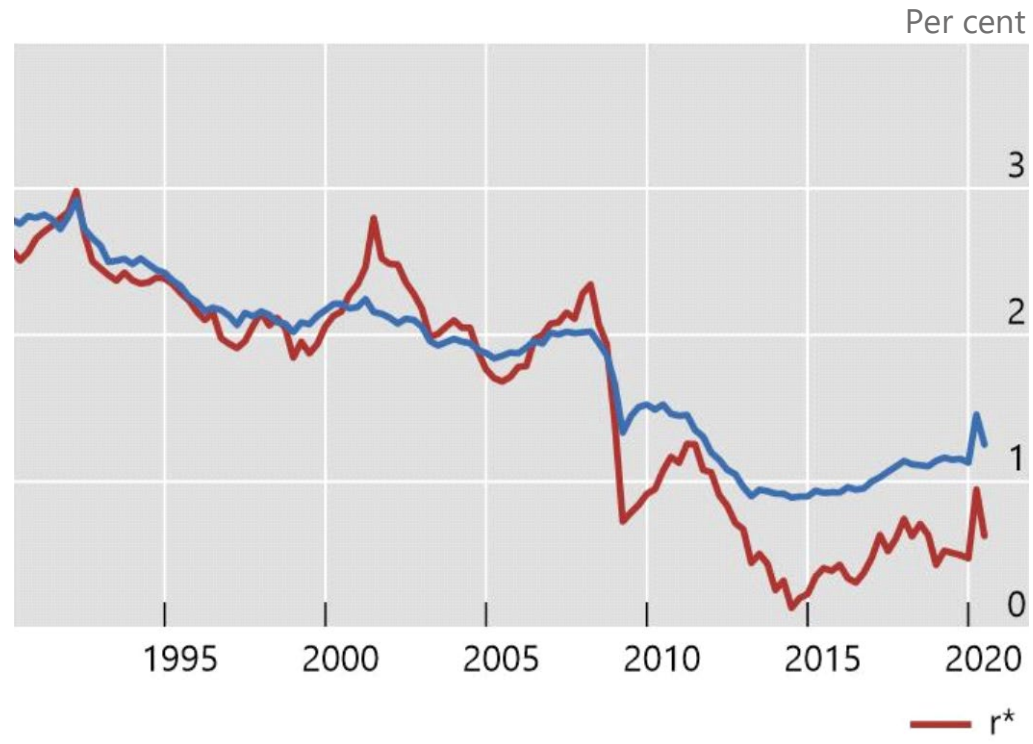
Fiscal-monetary policy interactions in a low interest rate world

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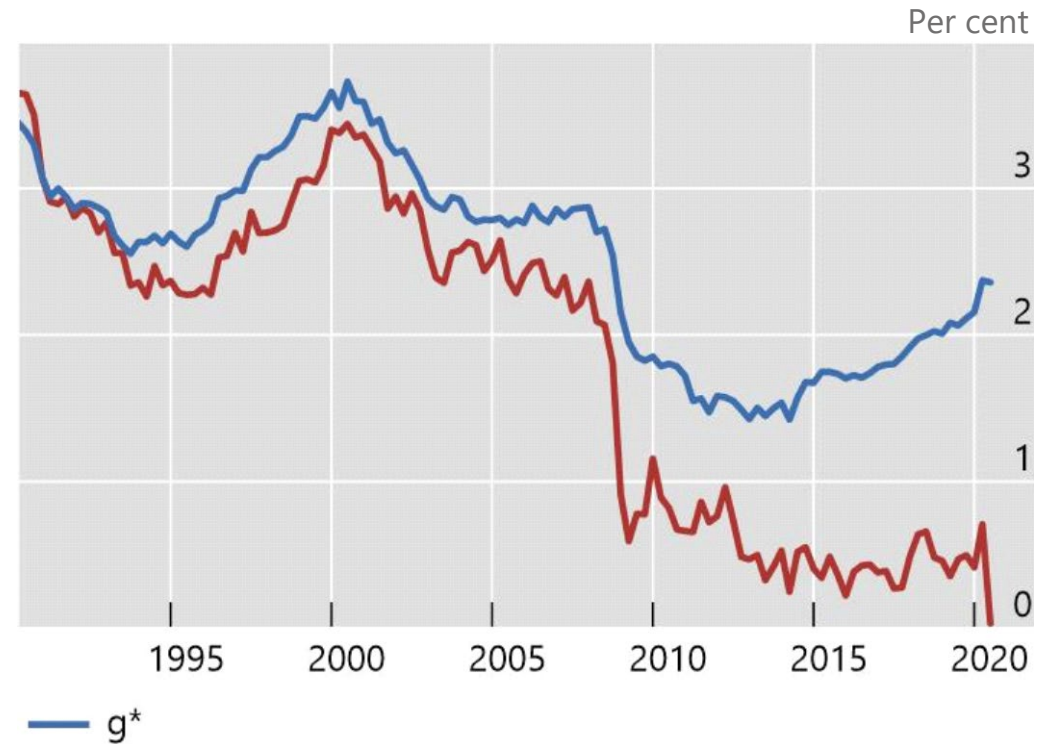
The views expressed are not necessarily those of the BIS

Background: Low r^* and $r^* < g^*$

Euro area



United States



Source: Holston et al (2017)

Outline

Goal: Assess the interaction of monetary and fiscal policy in low r^* environment

1. Implications of lower r^* for conventional monetary policy (ZLB frequency)
2. Effectiveness of central bank balance sheet policy and fiscal policy at low r^*
 - For macroeconomic stability and for public debt stability
3. The role of fiscal rules and negative policy rates

Methodology

- Toolbox: small-scale semi-structural model featuring:
 - Short- and long-term interest rates
 - Central bank bond purchases (QE)
 - Fiscal policy and public debt accumulation
 - Expectations formations can be rationale or under learning to allow for de-anchoring
- Simulations of fiscal-monetary interactions
 - Stochastic simulations of the model over a period of 50 years
 - Severe recession scenarios

The model

IS curve and Phillips curve

- **IS curve:** linking the unemployment gap to long-term real rates and the primary fiscal balance

$$u_t = \phi_u u_{t-1} + (1 - \phi_u) E(u_{t+1}) + \alpha_u (r_t^l - r^{l*}) + \alpha_f (pb_t - pb^*) + \epsilon_{u,t}$$

Calibration: $\phi_u = 0.5$, $\alpha_u = 0.15$, $\alpha_f = 0.5$ (fiscal output multiplier=1), shock SD = 0.45
(calibration of r^{l*} and pb^* later)

- **Phillips curve:** linking inflation to the unemployment gap

$$\pi_t = \phi_\pi \pi_{t-1} + (1 - \phi_\pi) E(\pi_{t+1}) + \alpha_\pi (u_t - u^*) + \epsilon_{\pi,t}$$

Calibration: $\phi_\pi = 0.5$, $\alpha_\pi = 0.1$ (flat Phillips curve), shock SD = 0.75

$\pi^* = 2\%$, $u^* = 4\%$

Long-term interest rates

- **Long-term interest rates:** driven by expected short-term rates and the term premium (**5y maturity**)

$$r_t^l = \frac{1}{L} \sum_{j=0}^L r_j^s + tp_t, i_t^l = \frac{1}{L} \sum_{j=0}^L i_j + tp_t.$$

- **Term premium:** increasing in net supply of debt to public (increasing in $d-d^*$, decreasing in $b-b^*$)

$$tp_t = tp^* + \alpha_{tp}(b_{t-1} - b^*) - \alpha_{tp}(d_{t-1} - d^*)$$

Calibration: $\alpha_{tp} = -0.05$ (-5 bp for each pp increase in $b-b^*$) based on Li and Wei (2013)

$$b^* = 10\%, d^* = 100\%$$

- **Steady state long-term real interest rate:**

$$r^{l*} = r^* + tp^* = 1.5\% (r^* = 0.5\% \text{ and } tp^* = 1\%)$$

Monetary policy

- **Conventional monetary policy:** Follows inertial Taylor rule and faces ZLB constraint

$$i_t = \max[i_t^T + \epsilon_{i,t}, 0]$$

$$i_t^T = \theta_i i_{t-1} + (1 - \theta_i)[r^* + \pi_{t-1} + \theta_\pi(\pi_{t-1} - \pi^*) + \theta_u(u_{t-1} - u^*)]$$

Calibration: $\theta_i=0.85$, $\theta_\pi=0.5$, $\theta_u=2.0$ (inertial Taylor (1999) rule)

- **Unconventional monetary policy:** Follows inertial bond holding rule when i is at the ZLB

$$\dot{b}_t = \zeta_b b_{t-1} + (1 - \zeta_b)b^* + \zeta_\pi(\pi_{t-1} - \pi^*) + \zeta_u(u_{t-1} - u^*) + \epsilon_{b,t} \quad \text{when } i \text{ is at the ZLB}$$

$$b_t = \zeta_b b_{t-1} + (1 - \zeta_b)b^* \quad \text{otherwise}$$

Calibration:

- $\zeta_b = 0.95$ corresponds to a half-life of the balance sheet of over 3 years
- $\zeta_\pi = 6.75$, $\zeta_u = 9$ (non-inertial Taylor (1999) rule cast on bond holdings based on the response of long-term rates to conventional and unconventional MP shocks)

Fiscal policy

- **Fiscal rule:** expressed in terms of primary balance (as a share of GDP)

$$pb_t = \rho_{pb}pb_{t-1} + (1 - \rho_{pb})pb^* + \psi(u_{t-1} - u^*) + \delta(d_{t-1} - d^*) + \epsilon_{pb,t}$$

- Fiscal stance depends on unemployment gap and on the deviation of debt from target level

Calibration: $\rho_{pb} = 0.7$, $\psi = -0.25$ (Taylor (2000) fiscal rule), $\delta = 0.01$ (in baseline)

- **Government debt dynamics:**

$$d_t = (1 + i_{q,t}^d - g_{q,t} - \pi_{q,t})d_{t-1} - pb_t$$

- $i_{q,t}^d$, $g_{q,t}$, $\pi_{q,t}$ are respectively the quarterly fractions of the government debt service cost (5-year moving average the bond yield), of the annualised inflation rate and of the annualised real GDP growth $g_t = g^* - 2(u_t - u_{t-1})$ applying Okun's law and setting $g^* = 1.5\%$

- **Quarterly steady state primary balance:** stabilises d at d^* in steady state

$$pb^* = (r_q^* + tp_q^* - g_q^*)d^*$$

Expectations formation

- Agents observe the history of π , u and i
 - Estimate a VAR and use that for forecasting
 - One-period ahead inflation and unemployment
 - L-period ahead inflation (to construct real long-term rates)
- Constant-gain learning as in Orphanides and Williams (2007), $\kappa = 0.02$
 - Recursive updating of the VAR coefficients (VAR comprises π , u and i)

$$c_t = c_{t-1} + \kappa R_t^{-1} X_t (Y_t - X_t' c_{t-1}),$$

$$R_t = R_{t-1} + \kappa (X_t X_t' - R_{t-1}),$$

- Starting point: RE solution

Simulation results

Lower r^* makes the ZLB noticeably more binding

	u	pi	FP, $r^*=2.5$				d	ZLB_s	ZLB_l
			rs	rl	bs	pb			
Mean	4.4	1.5	2.5	3.9	10.0	0.6	113.1	10%	0%
Stdev	0.7	1.6	1.0	0.6	0.0	0.4	12.6		
			FP, $r^*=0.5$						
Mean	4.9	1.1	1.0	2.6	10.0	0.4	134.8	20%	0%
Stdev	0.8	1.6	1.1	0.8	0.0	0.6	24.4		
			FP, $r^*=0.5$, no ZLB						
Mean	4.0	2.0	0.5	1.5	10.0	0.0	100.5	0%	0%
Stdev	0.5	1.5	1.0	0.5	0.0	0.3	4.7		

- Benchmark fiscal rule
- Benchmark interest rate rule
- No balance sheet policy

CB balance sheet policy alleviates ZLB constraint

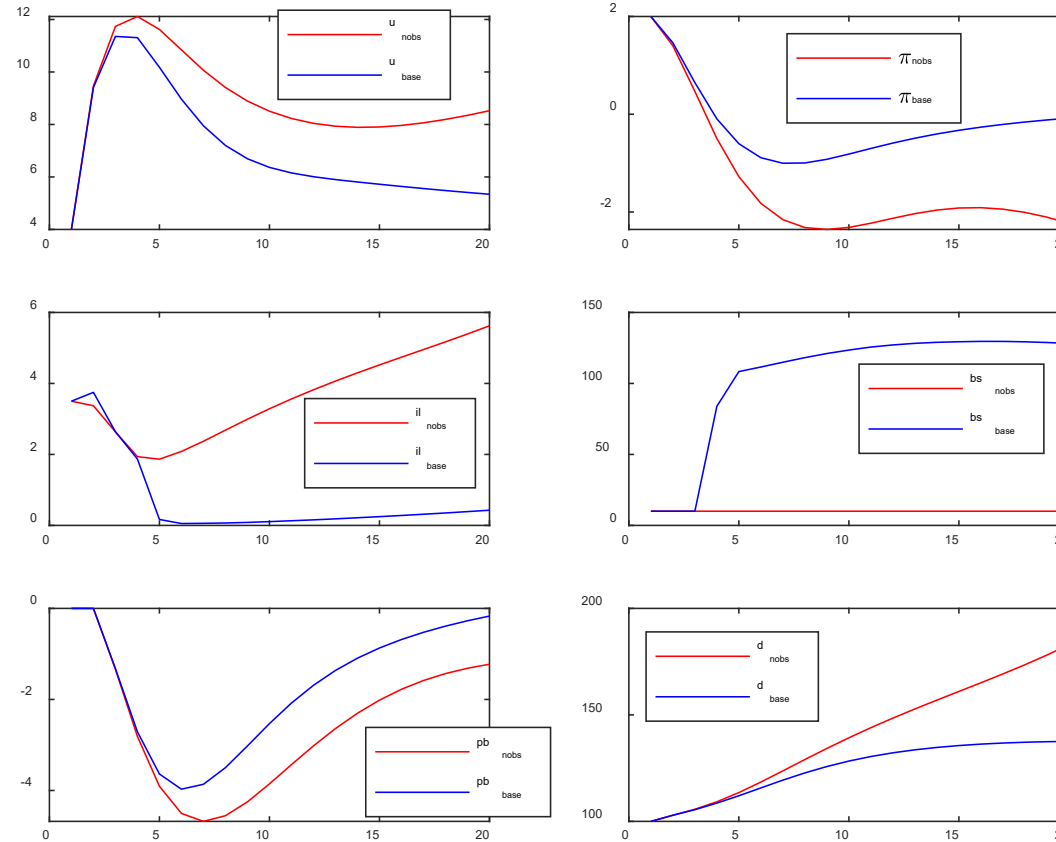
From now on, $r^* = 0.5\%$

	<i>u</i>	<i>pi</i>	FP (no BS)				<i>d</i>	<i>ZLB_s</i>	<i>ZLB_l</i>	<i>NegTP</i>
			<i>rs</i>	<i>rl</i>	<i>bs</i>	<i>pb</i>				
Mean	4.9	1.1	1.0	2.6	10.0	0.4	134.8	20%	0%	0%
Stdev	0.8	1.6	1.1	0.8	0.0	0.6	24.4			
			FP + BS							
Mean	4.0	2.0	1.1	1.6	22.2	0.0	100.4	9%	14%	28%
Stdev	0.6	1.6	1.0	0.6	8.8	0.3	6.8			

- Benchmark fiscal rule
- Benchmark interest rate rule
- Benchmark balance sheet policy

No balance sheet policy vs baseline

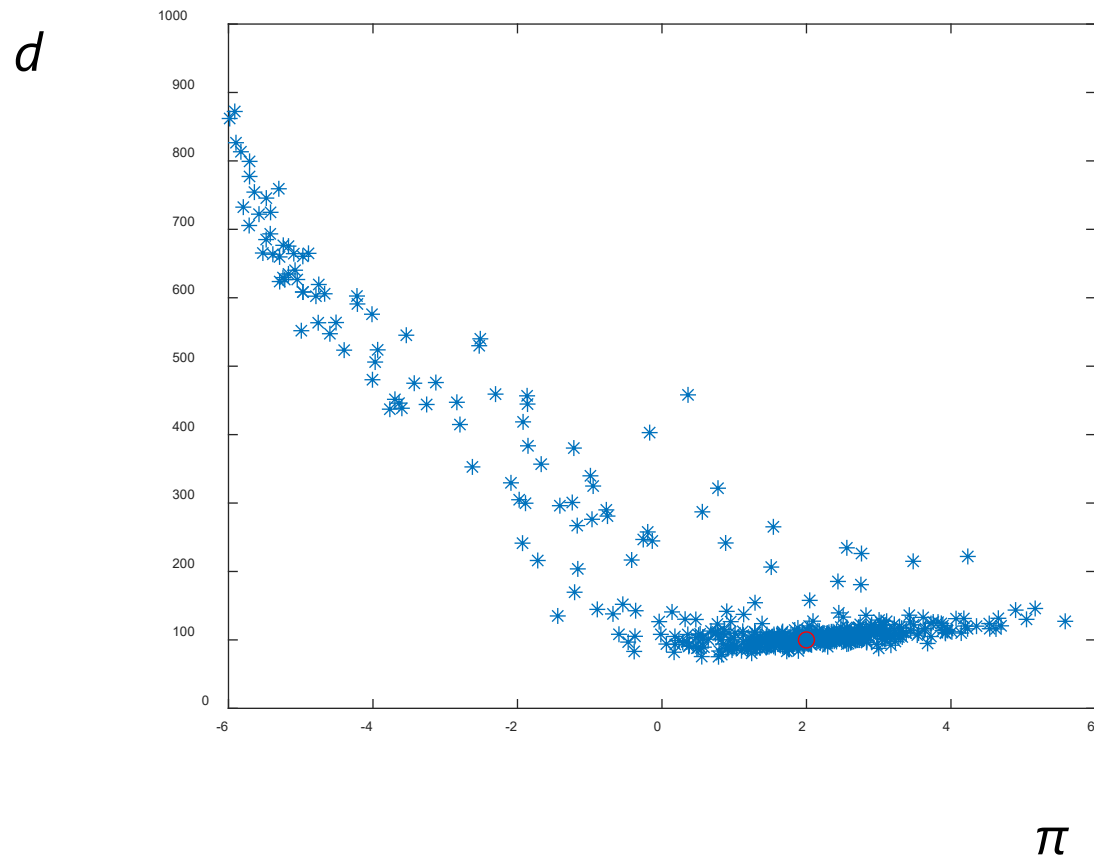
Initial shock: 6pp increase in unemployment, persistence 0.9



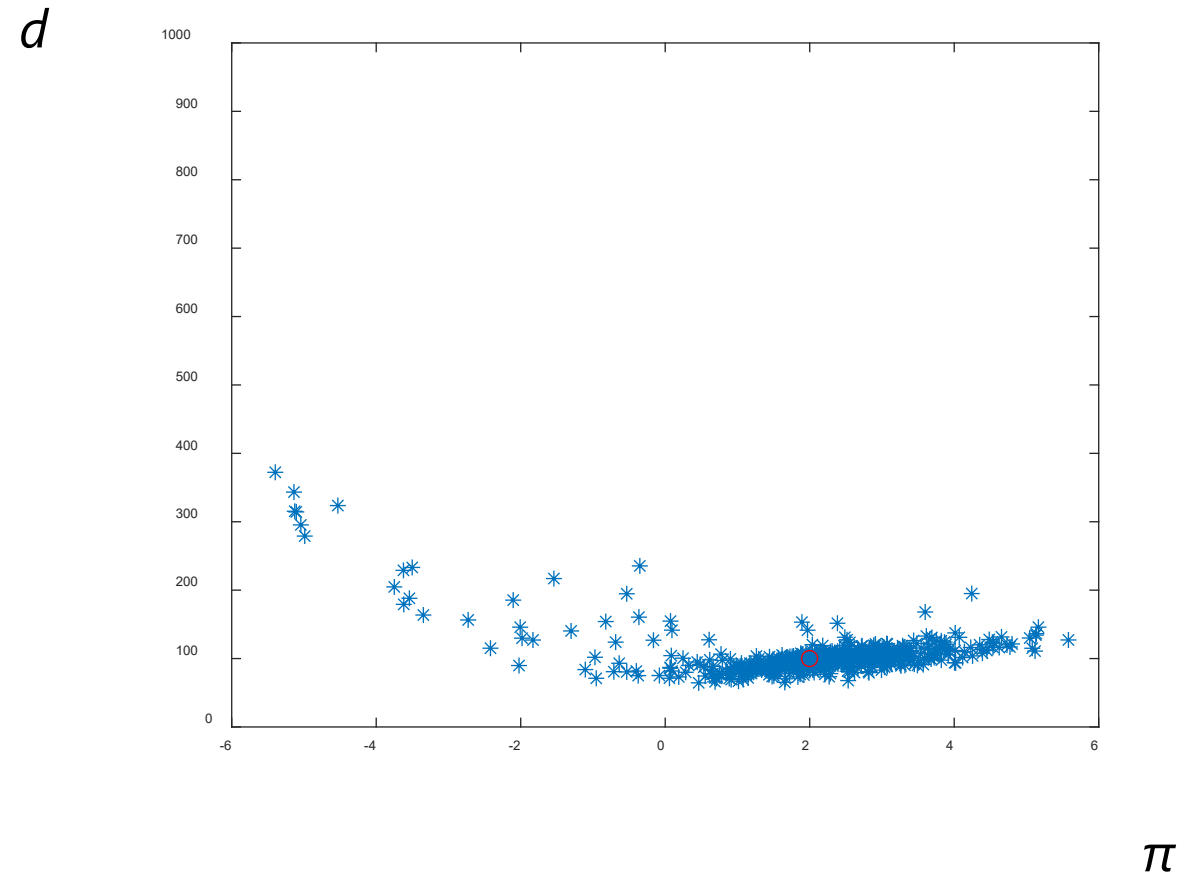
- Without balance sheet policy slower recovery and much higher debt

Debt and inflation under benchmark rules

Only FP



FP + BS



Debt-averse fiscal policy is counterproductive

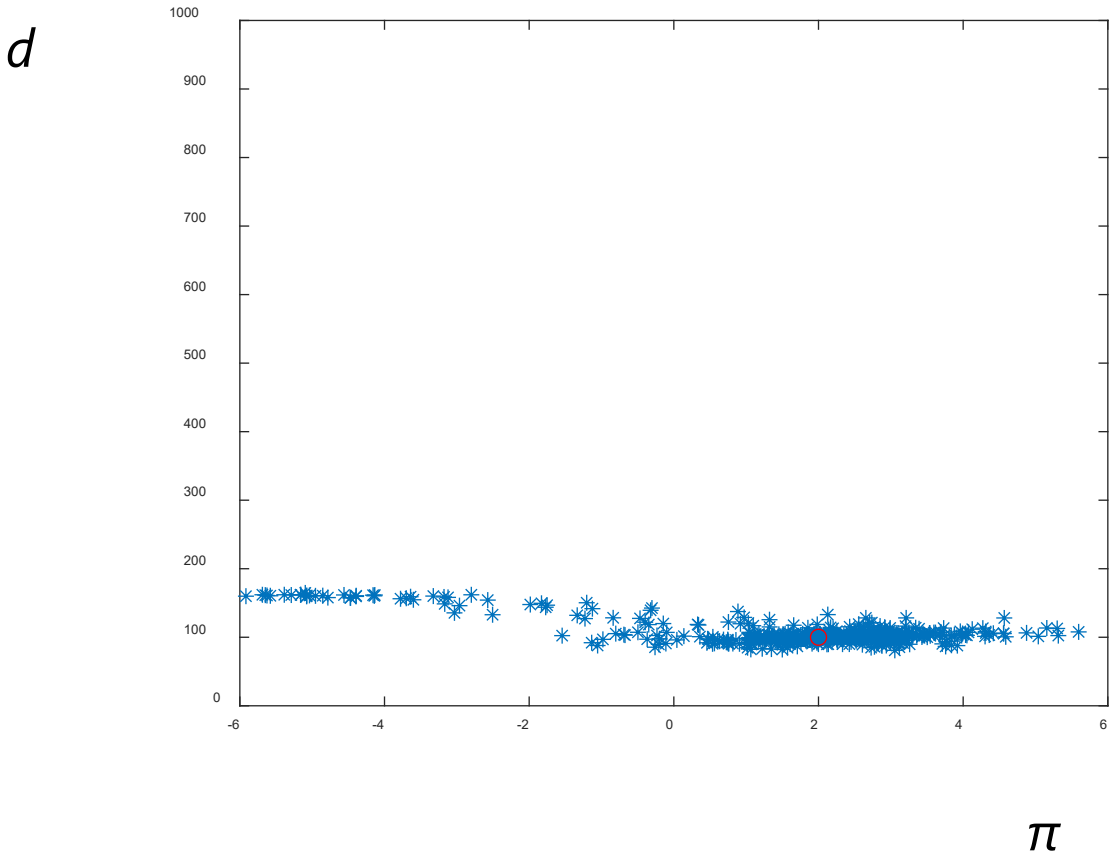
Debt-averse FP+BS, $\delta=0.04$, $r^*=0.5$

	<i>u</i>	<i>pi</i>	<i>rs</i>	<i>rl</i>	<i>bs</i>	<i>pb</i>	<i>d</i>	<i>ZLB_s</i>	<i>ZLB_l</i>	<i>NegTP</i>
Mean	4.3	1.6	1.2	1.7	27.3	0.1	102.6	15%	21%	28%
Stdev	0.8	1.7	1.2	0.9	11.8	0.4	5.1			
	Benchmark FP+BS, $r^*=0.5$									
Mean	4.0	2.0	1.1	1.6	22.2	0.0	100.4	9%	14%	28%
Stdev	0.6	1.6	1.0	0.6	8.8	0.3	6.8			

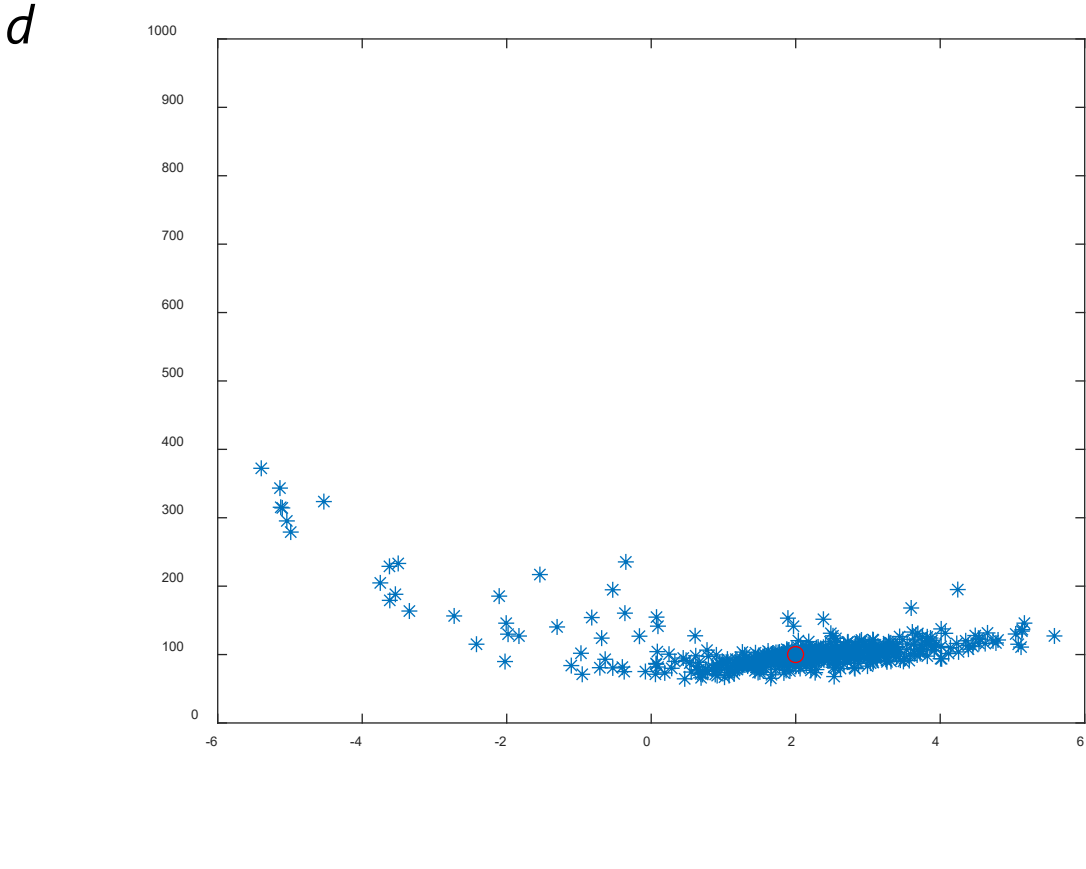
- Benchmark interest rate rule
- Benchmark balance sheet policy

Debt-averse FP vs baseline: Debt and inflation outcomes

Debt-averse FP ($\delta=0.04$) + BS

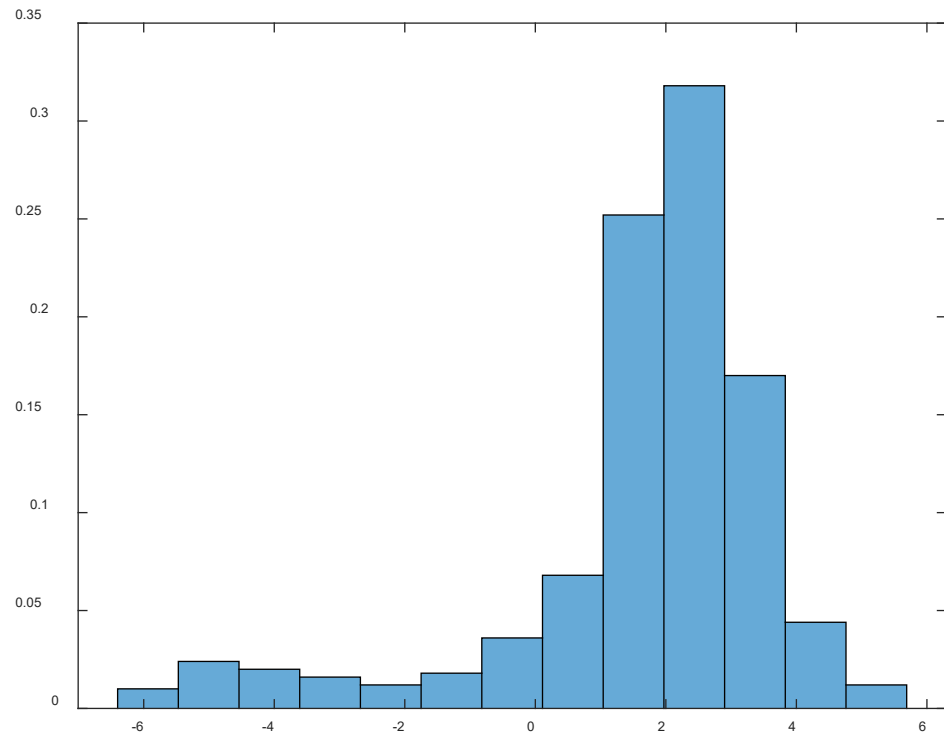


Baseline FP + BS

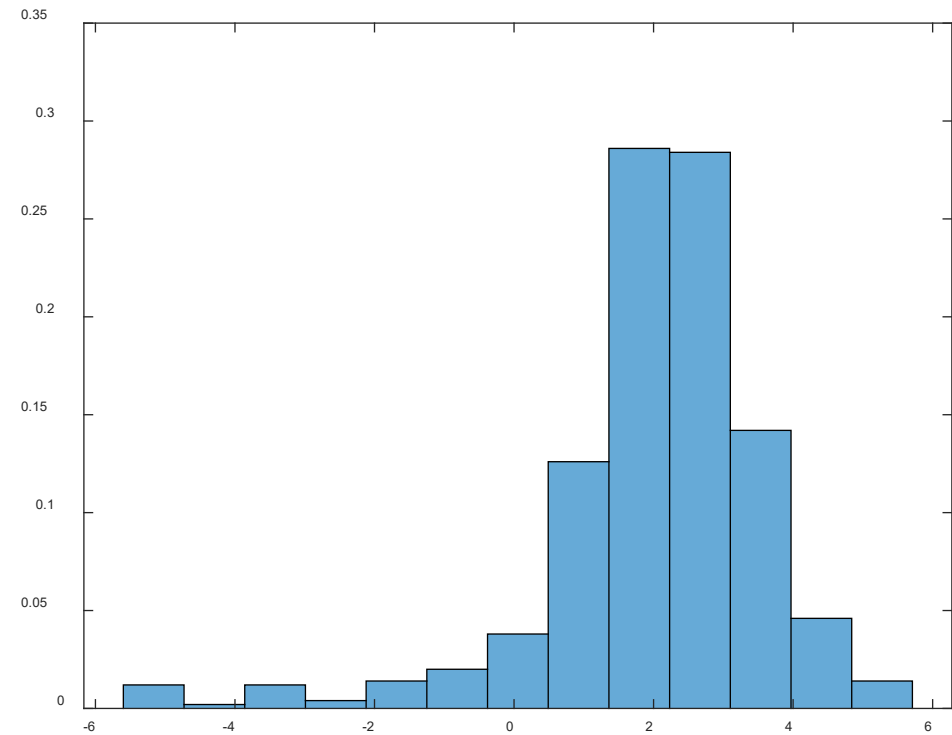


Debt-averse FP vs baseline: Distribution of inflation outcomes

Debt averse FP ($\delta=0.04$)



Baseline FP ($\delta=0.01$)



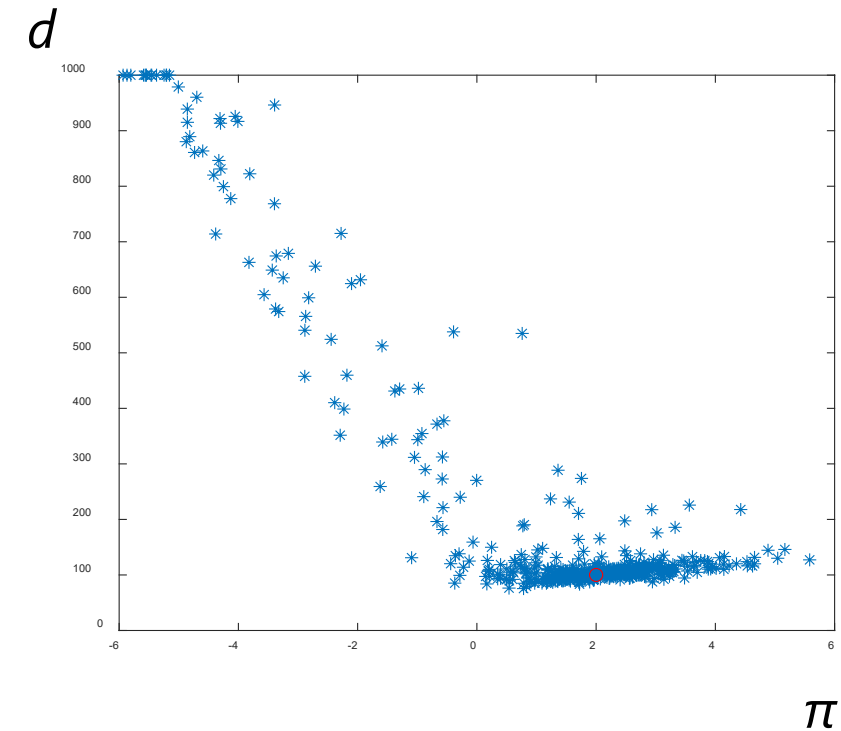
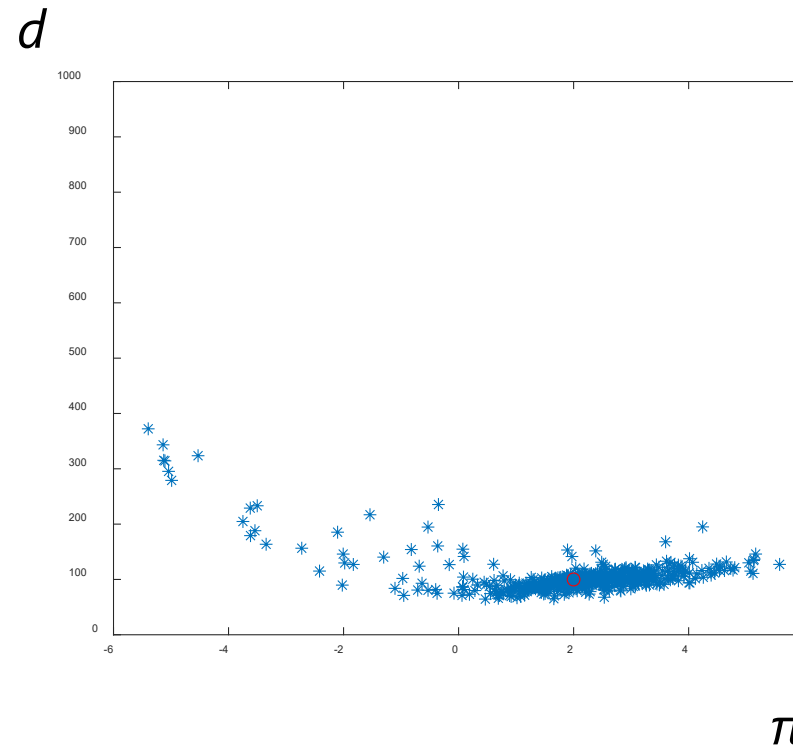
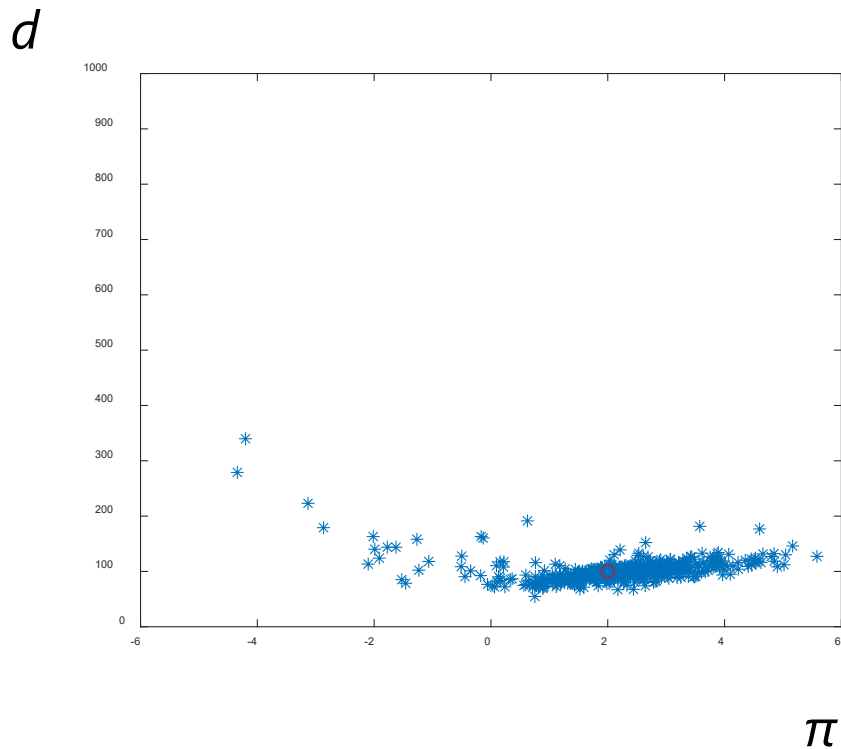
Extra accommodative fiscal policy at the ZLB

$$pb_t = \rho_{pb}pb_{t-1} + (1 - \rho_{pb})pb^* + \psi(u_{t-1} - u^*) + \delta(d_{t-1} - d^*) + \Psi_{ZLB}(i_t - i_t^T) + \epsilon_{pb,t}$$

EA FP ($\Psi_{ZLB} = 0.5$) + BS

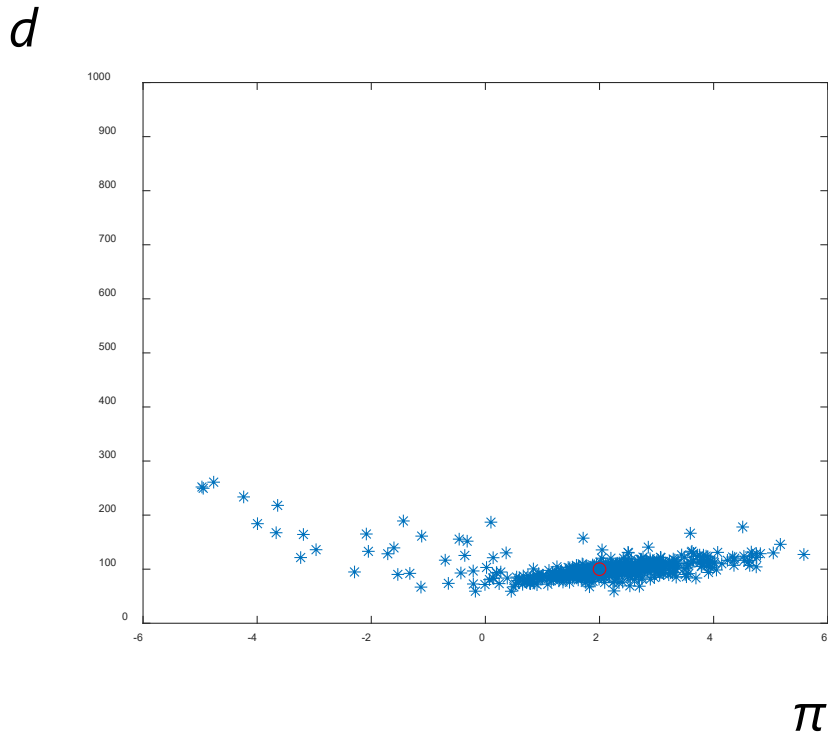
Baseline FP + BS

EA FP ($\Psi_{ZLB} = 0.5$) + no BS

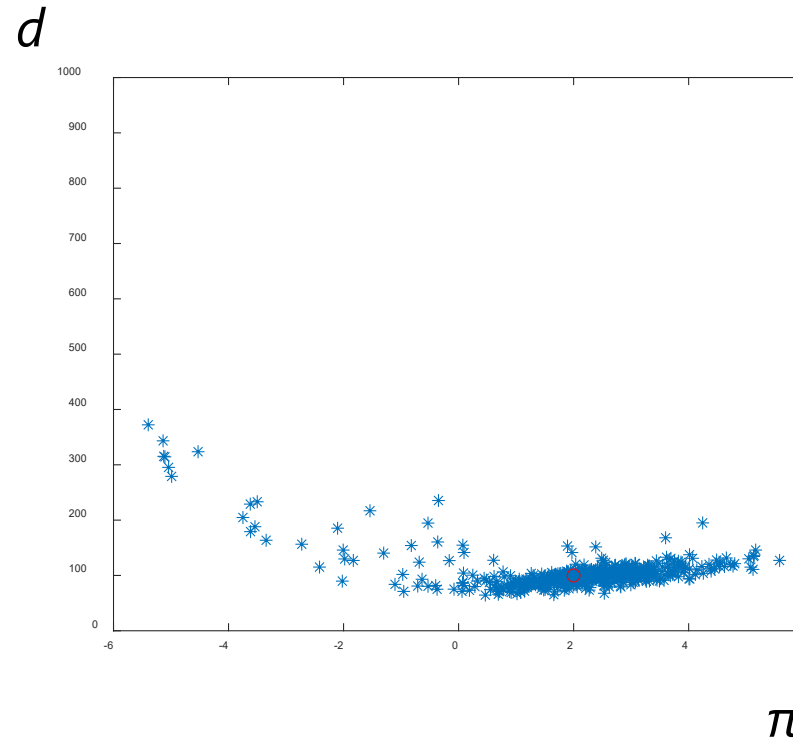


Negative rates (ELB=-0.5%)

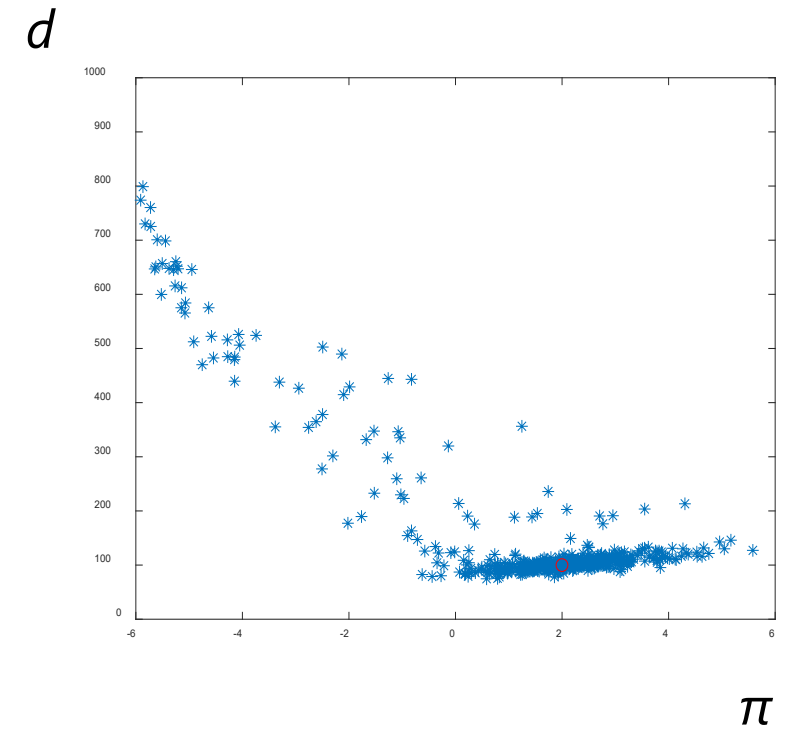
ELB=-0.5% + BS



Baseline ZLB + BS



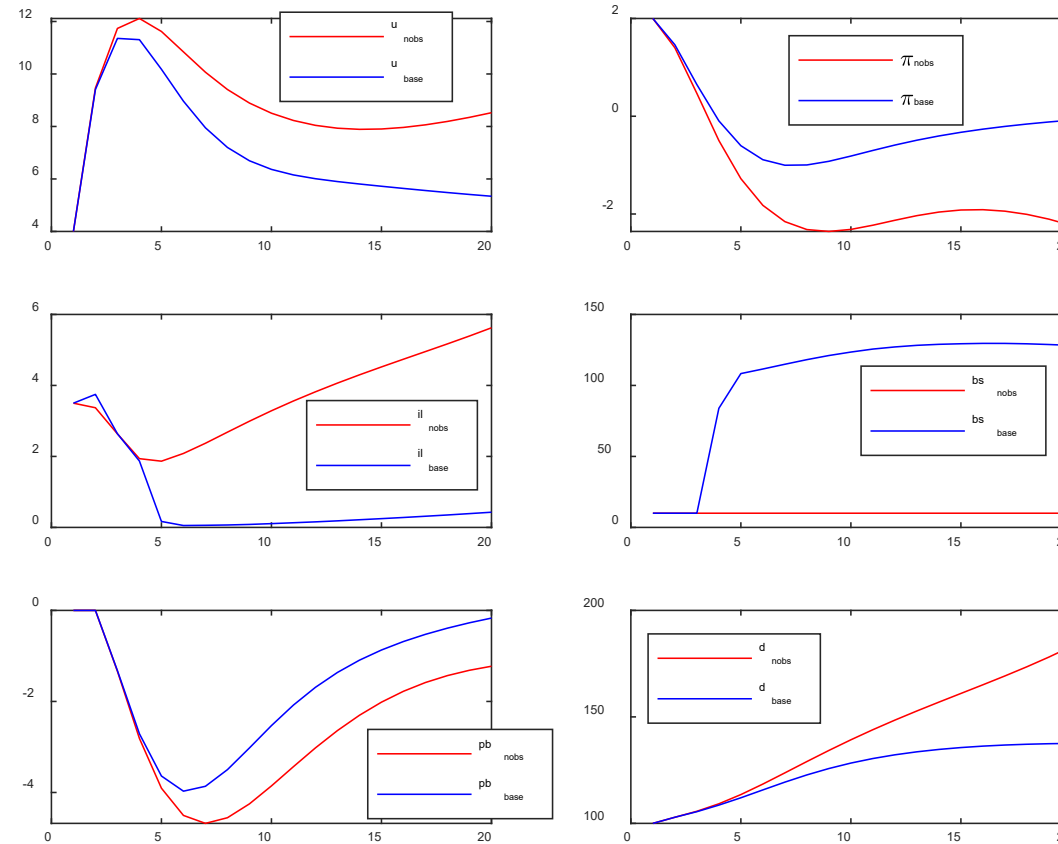
ELB=-0.5% + no BS



Recession scenario

No balance sheet policy vs baseline

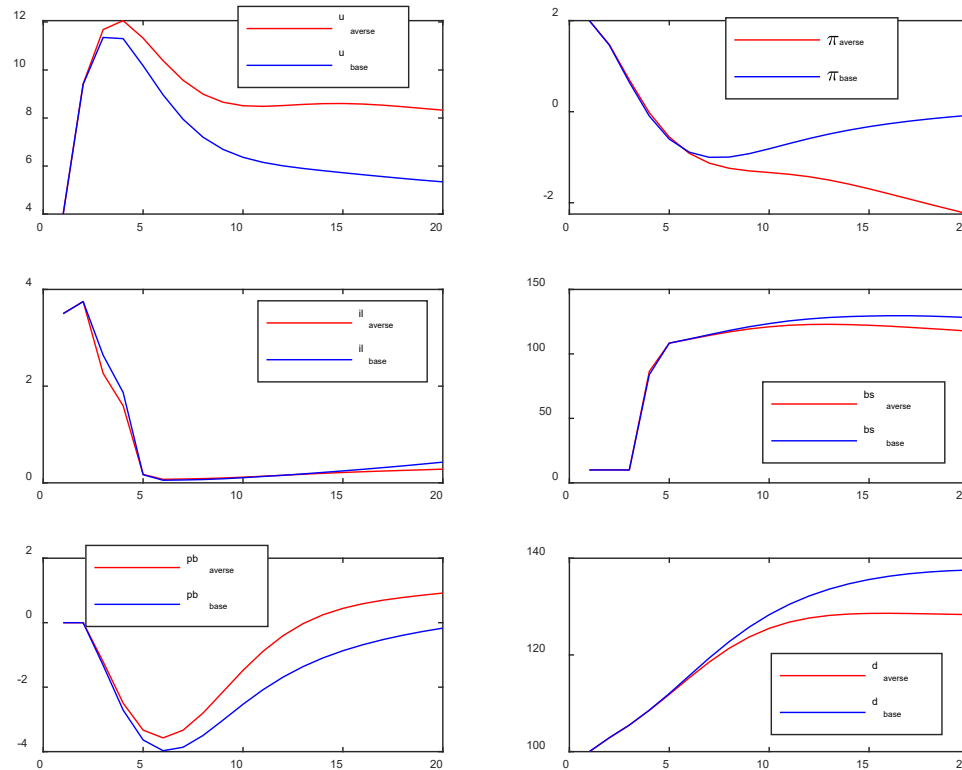
Initial shock: 6pp increase in unemployment, persistence 0.9



- Without balance sheet policy slower recovery and much higher debt

Debt averse fiscal policy ($\delta=0.04$) vs baseline ($\delta=0.01$)

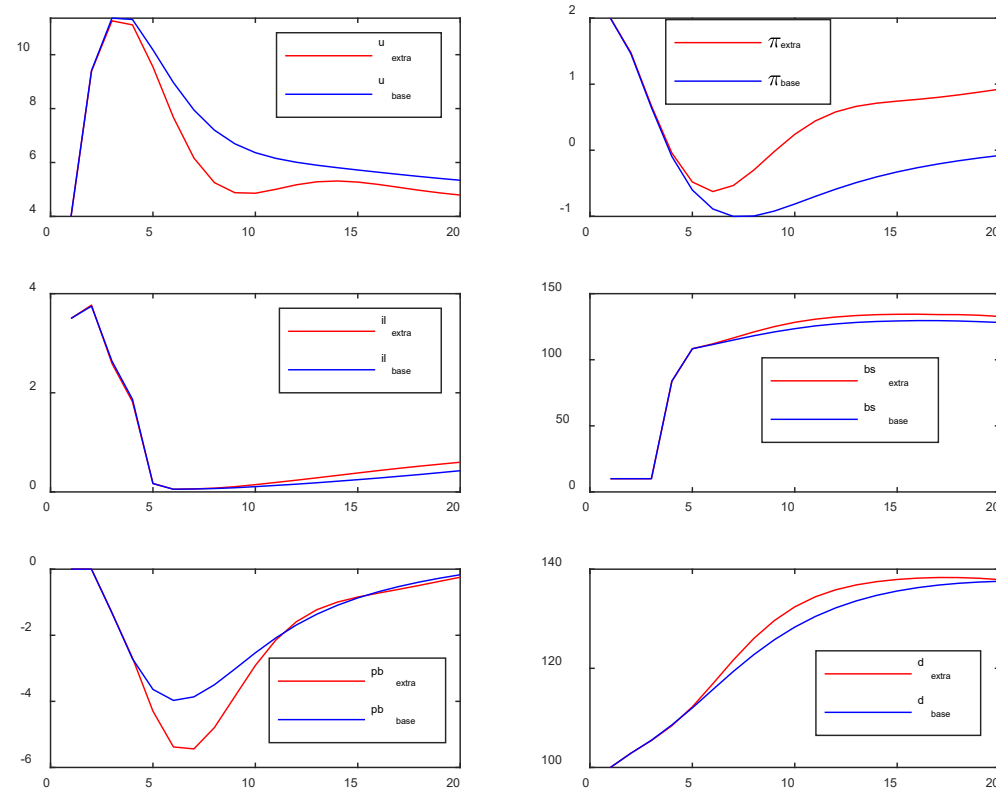
Initial shock: 8pp increase in unemployment, persistence 0.9



- With debt averse fiscal policy slower recovery

Extra accommodative fiscal policy at the ZLB ($\Psi_{ZLB} = 0.5$) vs baseline

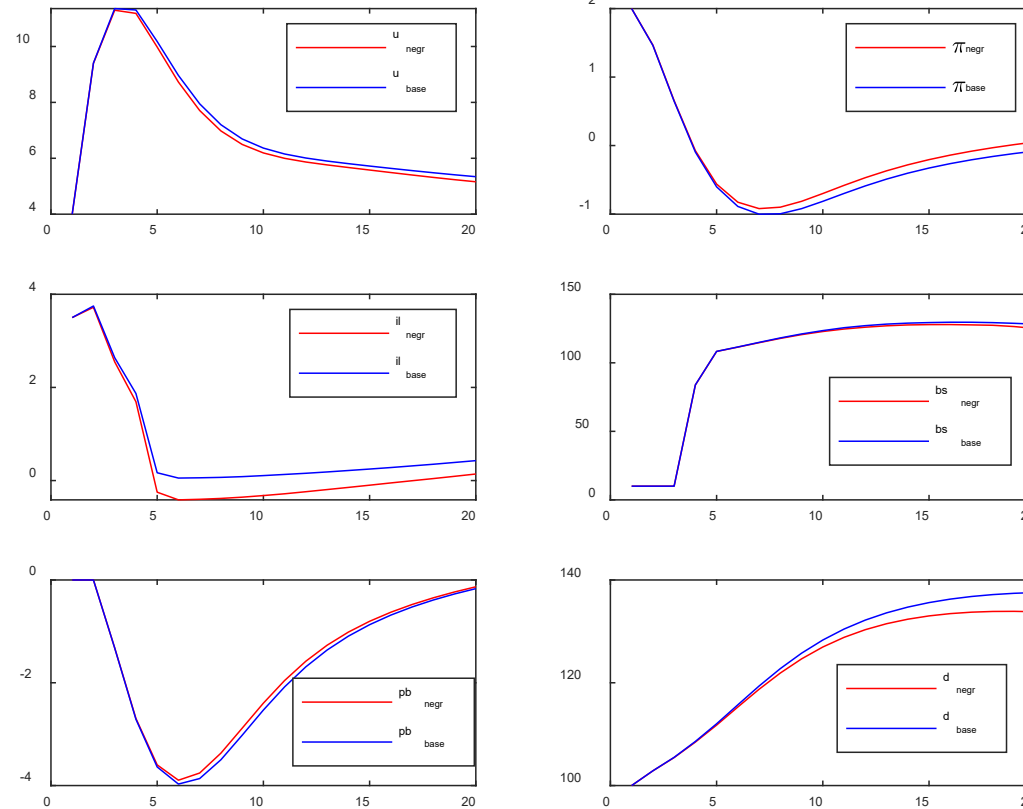
Initial shock: 6pp increase in unemployment, persistence 0.9



- With extra accommodative fiscal policy faster recovery without larger increase in debt

Negative rates (ELB= -0.5) vs baseline

Initial shock: 6pp increase in unemployment, persistence 0.9



- With negative rates slightly faster recovery but noticeable smaller rise in debt



Wrapping up

Key takeaways

- Low r^* significantly constrains conventional monetary policy through the ZLB
 - Unemployment and inflation diverge from steady state levels
 - Greater risk of debt deflation
- CB balance sheet policy alleviates ZLB constraints
 - Unemployment and inflation stabilised around steady state levels
 - Stabilises public debt without explicitly aiming to do so
- Fiscal rules matter
 - Excessively debt averse fiscal rules are counterproductive in a low r^* world
 - Extra accommodative fiscal policy in case of a binding ZLB constraint enhances both economic and debt stability when combined with CB balance sheet policy
- Combining negative rates with CB balance sheet policy further helps somewhat dampening downturns and containing the associated rise in debt