

VALUING FINANCIAL DATA

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VALUE OF FINANCIAL DATA TO INVESTORS

- ▶ Data is a valuable asset for investors. How valuable?
What is an investor's willingness to pay? This is a demand, not an equilibrium transactions price.
- ▶ Data valuation is not easy
 - ▶ How much you can profit from data depends on who else knows that data, who knows similar data, and how aggressively they will trade on it.
⇒ impossible data requirements: Everyone else's data sets, preferences, price impact, investment mandates . . .
- ▶ Our contribution: sufficient statistics that bypass the need to know others' information sets and characteristics.

⇒ A tool to put a dollar value on a piece of data.
It depends only on returns and *your* characteristics

FINDINGS

- ▶ Investor characteristics change the value of data by orders of magnitude
Data is not a common value asset: same data valued very differently by different investors.
- ▶ Demand elasticity of data tied to asset market elasticity.
- ▶ Related work puts one value on each piece of data
Manela & Kadan ('20, '21), Glode, Green, Lowrey ('12), Kacperczyk & Sundaresan ('19), Davila & Parlato ('20), Farboodi, Matray, Veldkamp, Venkateswaran ('21)

**Measuring different data values for different traders is new.
It is necessary to trace out data a demand curve.**

OUTLINE

A MEASUREMENT TOOL

ESTIMATION

RESULTS

A KITCHEN-SINK MODEL FOR MEASUREMENT

A noisy rational expectations model with:

- ▶ Utility with wealth effects
- ▶ Long-lived asset
- ▶ Correlated asset payoffs
- ▶ Different trading styles (mandates)
- ▶ Data correlated across assets
- ▶ Price impact
- ▶ Public and private data

We do not need these assumptions.

The point: Our sufficient static survives all these complications.

EQUILIBRIUM SOLUTION

► Equilibrium

- Investors learn from prices and data. Update beliefs with Bayes' law.
 - Choose portfolios q_{it} to max EU, accounting for price impact dp/dq_i .
 - Price p_t equates demand and supply.
- A second-order approximation to expected utility.
- Profits (Π_t) \rightarrow excess returns (R_t) for measurement
- Substitute optimal portfolio q_{it} , equilibrium price, price information and take expectations over realization of random outcomes and signals

$$\tilde{U}(\mathcal{I}_{it}) \approx \underbrace{\mathbb{E}[R_t]' \hat{V}_{it}^{-1} \mathbb{E}[R_t]}_{(\text{Sharpe ratio})^2} + \text{Tr} \left[\underbrace{(\mathbb{V}[R_t] - \mathbb{V}[R_t | \mathcal{I}_{it}])}_{\text{variance reduction}} \hat{V}_{it}^{-1} \right] + r \rho_i \bar{w}_{it}$$

- R_t : returns for i 's investable assets based on his investment style
- \hat{V}_{it} : conditional variance of this return, adj for price impact $\frac{dp}{dq_i}$

THE INSIGHT: OTHERS' INFO DISAPPEARED!

- ▶ **Dollar value of data:** investor indifferent between having the data \equiv no data + additional riskless wealth

$$\text{\$Value of Data}_i = \frac{1}{r\rho_i} (\tilde{U}(\mathcal{I}_{it} + \text{data}) - \tilde{U}(\mathcal{I}_{it}))$$

We can estimate this with your info and public info!

Whether data is public, private or correlated with what others know is crucial, but it matters through conditional variances

- ▶ Utility looks like in many REE models. What's new?
 - ▶ Mapping many models into these sufficient stats is new!
Models with: heterogeneous investors, style constraints, investment in many assets, data that is private, partially public or correlated with what others know ...
 - ▶ Return-based sufficient stats are a crucial recent step forward for NREE.

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ESTIMATING CONDITIONAL VARIANCES

- ▶ Small insight: For linear normals, Bayes law and OLS coincide.
 $\mathbb{V}[R_{t+1} | \mathcal{I}_{it}]$ is the expected squared residual from OLS regression.

- ▶ Data to be valued X_t , and existing data Z_t

$$R_{t+1} = \gamma_2 Z_t + \varepsilon_t^Z$$

$$R_{t+1} = \beta_1 X_t + \beta_2 Z_t + \varepsilon_t^{XZ}$$

- ▶ Conditional variance without data we're valuing

$$\mathbb{V}[R_{t+1} | \mathcal{I}_{it}] \approx \widehat{\text{Cov}}[\varepsilon_t^Z] = \frac{1}{T - |Z|} \sum_{t=1}^T \varepsilon_t^Z \varepsilon_t^{Z'}$$

- ▶ Conditional variance with data

$$\mathbb{V}[R_{t+1} | \mathcal{I}_{it} + \text{data}] \approx \widehat{\text{Cov}}[\varepsilon_t^{XZ}] = \frac{1}{T - |Z| - |X|} \sum_{t=1}^T \varepsilon_t^{XZ} \varepsilon_t^{XZ'}$$

- ▶ Plug these in equilibrium expected utility to get data value.

ESTIMATION: DATA SOURCES

- ▶ A proof of concept: Value the same data for many different investors.
- ▶ The data we value: Institutional Brokers Estimate System (I/B/E/S) earnings forecasts, 1985-2015
- ▶ Problem: There are too many covariances to estimate.
 1. Group assets into portfolios,
 2. Use value-weighted means.
- ▶ **Key:** methodology can be easily adapted.

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DIFFERENT VALUES FOR THE SAME DATA

How much are this year's IBES forecasts worth, to an investor who only knows D_t/P_t (learning from prices)? A take-it-or-leave-it offer.

	Investment Style				
	Small	Large	Growth	Value	All
<i>Perfect Competition</i>					
Investor with \$500,000 Wealth	0.00	\$1.7k	\$2.5k	\$490	\$3.5k
Investor with \$250m Wealth	0.00	\$566k	\$844k	\$164k	\$1.2m
<i>With Price Impact</i>					
Investor with \$500,000 Wealth	0.00	\$1.6k	\$2.5k	\$410	\$1.4k
Investor with \$250m Wealth	0.00	\$24k	\$57k	\$1.5k	\$253k

Purple: Richer investors value data much more than poorer ones.

Yellow: Investment style matters enormously.

Red: Price impact reduces the value of data - a little or a lot.

The dispersion of valuations for the same data is immense!

EFFECTS OF INVESTOR HETEROGENEITY

	Effect on Data Value	
More wealth	↑	
Price impact	↓	
Investment style	it matters	
Previously purchased data	↓ modestly	in the paper
Trading horizon	modest effect that varies	in the paper

Directional effects intuitive but effects often compete.

Magnitudes would be tough to guess without our tool.

CONCLUSION

- ▶ Data is one of the most valuable assets in the modern economy.
- ▶ Data has enormously variable private values.
The same data is worth vastly different amounts to investors with different wealth and style, with and without price impacts, . . .
- ▶ Next steps to understand data markets:
 - ▶ Estimate distributions of investor characteristics to produce a demand curve.
 - ▶ Understand the data supply side.

Then we can do asset pricing theory ... for data!