

Timing the Factor Zoo ^{*}

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December 8, 2023

Abstract

We provide a comprehensive analysis of the timing success for equity risk factors. Our analysis covers over 300 risk factors (factor zoo) and a high dimensional set of predictors. The performance of almost all groups of factors can be improved through timing, with improvements being highest for profitability and value factors. Past factor returns and volatility stand out as the most successful individual predictors of factor returns. However, both are dominated by aggregating many predictors using partial least squares. The median improvement of a timed vs. untimed factor is about 2% p.a. A timed multifactor portfolio leads to a 8.6% increase in annualized return relative to its naively timed counterpart.

Keywords: time-varying risk premia, factor investing, partial least squares

JEL codes: G10, G12, G14

^{*}We thank Andrew Ang, Martijn Boons, Georg Cejnek, Thorsten Hens, Robert Korajczyk, Semyon Malamud, Alessandro Melone, Patrick Weiss, Alexandre Ziegler and participants at the German Finance Association (DGF) 2023, Northern Finance Association 2023, China International Conference in Finance 2023, and Swiss Society for Financial Market Research (SGF) 2023, for helpful discussions and comments.

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1 Introduction

Empirical asset pricing research has identified a staggering quantity of priced risk factors. While it may be challenging to rationalize all these factors as independent sources of systematic risk, it is clear that one needs a multifactor model to explain the cross-section of asset returns. In light of the empirical asset pricing literature, it is also uncontroversial that risk premia vary conditionally over time. At the market level, for example, [Fama and French \(1988\)](#) find that returns are predictable by the dividend-price ratio. This opens the arena for market timing, but, in a multifactor world, the more general question concerns the timing of all sources of systematic risk – factor timing. Given the plethora of factors, it is no surprise that a large number of time series predictors for their returns has also been suggested in the literature. The combination of the large numbers of factors and predictors amplifies the empirical challenge in giving an answer to the question - *should investors engage in factor timing?* We carry out a comprehensive analysis using over 300 factors and 39 signals and find that factor timing is indeed possible and profitable. We thereby resolve conflicting findings in the academic literature that result from choosing a smaller subset of factors and/or predictors.

We first establish a benchmark and study the benefits from factor timing in a univariate fashion, i.e. we forecast each factor using each of the 39 signals and then aggregate over the signal class. The analysis reveals that versions of momentum and volatility signals are able to provide improvements on a broad basis. Other signal classes (valuation spreads, characteristic spreads, reversal and issuer-purchaser spread) provide improvements, but the results vary more strongly depending on whether we study improvements in raw returns, alphas or Sharpe ratios. Next, we aim to improve the univariate analysis by aggregating the signals. Many of the predictive signals are highly correlated as they aim to capture the same phenomenon, such as versions of momentum. Since conventional ordinary least squares regression is known to perform rather poorly in such settings, we resort to dimension-reduction techniques to obtain a low dimensional representation of the predictive information.

We use partial least squares regression, which provides a data-driven method to aggregate the signals for each factor. However, our setup allows for heterogeneous dynamics across factors. Partial least squares leads to improvements in statistical and economic terms. For the median factor, we achieve an out-of-sample R^2 of 0.76% and an improvement of annual returns of approximately 2 percentage points. We correctly forecast the sign of a factor return 57% of the time and most notably the improvements relative to passive buy-and-hold are not confined to a small part of the sample, but accrue almost equally over the full sample.

We also study the benefits of factor timing for multifactor portfolios. We build quintile portfolios of factors, i.e. we go long the factors for which we forecast the highest returns and short the factors for which we forecast the lowest returns. The resulting “high-low” portfolio achieves an annualized Sharpe ratio of 1.23. This is a significant improvement over merely sorting factors on their historical mean returns, which leads to an annual Sharpe ratio of 0.79.

While previous research on factor timing has taken the factors as primitives, we look under the hood and study the portfolio composition of optimal factor timing portfolios. This bottom-up approach allows us to answer important questions about the properties of timing portfolios such as turnover as well as their style tilts. This approach also allows us to focus on large stocks and long-only portfolios. We find that timing portfolios that focus on large stocks exhibit moderate levels of turnover and could likely be implemented in practice. The large-cap timing portfolios achieve an annual average return of approximately 13.5%, whereas a value weighted portfolio of these stocks only averages 9.3% p.a. over the same period. Nonetheless, the optimal large-cap timing portfolio still contains almost 400 stocks on average, thereby providing sufficient diversification of idiosyncratic risk. The magnitude of the outperformance is persistent across periods of high and low market risk (measured using the VIX) and during NBER recessions and expansions.

The early literature on factor timing is largely concerned with the market index. While the overall literature on market timing is too large to be summarized here, we refer to the

important early contributions of [Shiller \(1981\)](#) and [Fama and French \(1988\)](#). Their early work has been extended to other style factors, such as value by [Asness, Friedman, Krail, and Liew \(2000\)](#) and [Cohen, Polk, and Vuolteenaho \(2003\)](#), who show that the expected return on a value-minus-growth strategy is atypically high at times when its spread in the book-to-market ratio is wide. More recently, [Baba Yara, Boons, and Tamoni \(2021\)](#), show returns for value strategies in individual equities, commodities, currencies, global bonds and stock indexes are predictable by the value spread between stocks ranked in the top percentiles versus those in the bottom.

An important methodological innovation is due to [Kelly and Pruitt \(2013\)](#), who link disaggregated valuation ratios and aggregate market expectations to document high out-of-sample return predictability for value, size, momentum and industry portfolios. Their finding is particularly useful for our setting as we also need to aggregate many predictors to forecast individual time series. Other approaches to aggregate signals are proposed in [Leippold and Rueegg \(2019\)](#), who use momentum in the weights of an integrated scoring approach to form long-only portfolios that outperform. [Dichtl, Drobetz, Lohre, Rother, and Vosskamp \(2019\)](#) use cross-sectional information about factor characteristics to tilt factors and show that the model loads positively on factors with short-term momentum, but avoids factors that exhibit crowding.

Factor volatility as a potential timing signal deserves special mention as it is subject to considerable controversy. [DeMiguel, Martín-Utrera, and Uppal \(2021\)](#) show that a conditional mean-variance multifactor portfolio whose weights on each factor vary with market volatility outperforms out-of-sample. They use the time-varying parametric portfolio framework of [Brandt, Santa-Clara, and Valkanov \(2009\)](#). Their paper is most closely related to existing work on volatility-managed portfolios. [Moreira and Muir \(2017\)](#) show that past factor volatility, estimated from past daily returns, is a useful conditioning variable to choose time-varying exposure to individual factors, in particular the market factor. [Cederburg, O'Doherty, Wang, and Yan \(2020\)](#) find that the performance benefits of volatility

management no longer obtain once more realistic assumptions are made regarding portfolio implementation, such as trading costs. They conclude that, once such frictions are considered, volatility-managed portfolios exhibit lower certainty equivalent returns and Sharpe ratios than do simple investments in the original, unmanaged portfolios. [Barroso and Detzel \(2021\)](#) consider volatility-managed factor portfolios, applying various cost-mitigation strategies. They find that even in this case, realistic estimates of transactions costs render volatility management unprofitable for all factors, except for the market. [Reschenhofer and Zechner \(2022\)](#) show that portfolio performance can be improved significantly when jointly using volatilities of past factor returns and option-implied market volatilities to determine factor exposures. This multivariate volatility-based factor timing leads to larger improvements when option-implied market returns are right-skewed and exhibit high volatility.

Various implementations of factor momentum have also received considerable attention in the literature. [Ehsani and Linnainmaa \(2022\)](#) show that factor momentum is a likely underlying driver of different forms of classic cross-sectional momentum. [Arnott, Clements, Kalesnik, and Linnainmaa \(2021\)](#) show that factor momentum is also the source of industry momentum. [Gupta and Kelly \(2019\)](#) also provide evidence of factor momentum in many popular asset pricing factors. In contrast, [Leippold and Yang \(2021\)](#) argue that factor momentum can largely be attributed to high unconditional rather than conditional returns.

[Haddad, Kozak, and Santosh \(2020\)](#) extract principal components from 50 popular anomaly portfolios and use the book-to-market ratio to predict future factor returns. They find out-of-sample R^2 in the order of 4% on a monthly basis. They also discuss broader asset pricing implications of their findings. In particular, they document that a stochastic discount factor that takes into account timing information is more volatile and has different time series behavior compared to static alternatives, thereby posing new challenges for theories that aim to explain the cross-section of expected returns. [Kelly, Malamud, and Pedersen \(2023\)](#) allow for cross-predictability; they use signals of all securities to predict each security's individual return. They apply a singular value decomposition to summarize the joint

dynamics of signals and returns into “principal portfolios”. Using a large sample of equity factors and trading signals, they find factor timing strategies based on principal portfolios to perform well overall and across the majority of signals, outperforming the approach of [Haddad et al. \(2020\)](#).

[Asness \(2016\)](#) finds timing strategies that are simply based on the “value” of factors to be very weak historically. [Asness, Chandra, Ilmanen, and Israel \(2017\)](#) look at the general efficacy of value spreads in predicting future factor returns. At first, timing based on valuation ratios seems promising, yet when the authors implement value timing in a multi-style framework that already includes value, they find somewhat disappointing results. They conclude that value timing of factors is too correlated with the value factor itself. Adding further value exposure this way is dominated by an explicit risk-targeted allocation to the value factor. [Lee \(2017\)](#) suggests investors are better off focusing on the underlying rationale of risk premia rather than attempting to time factors. [Ilmanen, Israel, Moskowitz, Thapar, and Lee \(2021\)](#) examine four prominent factors across six asset classes over a century. They find only modest predictability, which could only be exploited in a profitable way for factor timing strategies if trading costs are minimal.

2 Data

2.1 Factors

Cross-sectional asset pricing has taken a long journey from single-factor models (e.g., [Sharpe, 1964](#)) via parsimonious multi-factor models (e.g., [Fama and French, 1992](#)) towards a heavily criticized factor zoo (e.g., [Cochrane, 2011](#); [Harvey, Liu, and Zhu, 2016](#)). For many factors, their validity in light of out-of-sample evidence on the one hand and in light of mere replicability on the other hand has come under scrutiny. [Chen and Zimmermann \(2022\)](#) give a positive assessment of preceding academic work. In a massive and open source code replication effort, they reproduce 318 firm-level characteristics. They confirm the original papers’

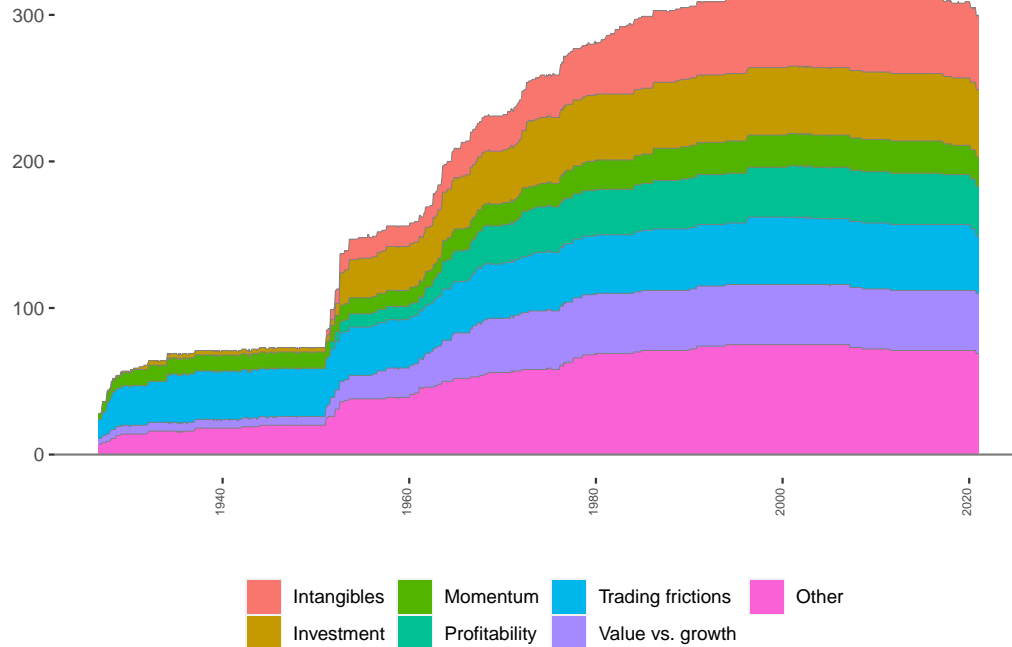
evidence for all but three characteristics and confirm previous findings of performance decaying, but often staying positive out-of-sample.¹ To analyze factor timing, we clearly need a clean data set of factor portfolios that ideally are associated with positive unconditional risk premia, but time variation in returns. Thus, our starting point is the factor portfolios obtained through applying the methodology of [Chen and Zimmermann \(2022\)](#).

To sort stocks into portfolios, we construct firm characteristics based on data obtained from CRSP, Compustat, IBES, and FRED. Several characteristics require specific data to reconstruct the results of the original studies, and are readily available on the authors' websites. For each characteristic, we follow [Chen and Zimmermann \(2022\)](#) and replicate portfolios defined in the original paper that introduced the anomaly in the literature. We group similar factors based on their economic interpretation. For factors included in [Hou, Xue, and Zhang \(2020\)](#), we follow their classification. For the remaining factors, we group them into the categories intangibles, investment, momentum, profitability, trading frictions, value vs. growth, and other. Our sample covers the time period from 1926 to 2020. Data availability translates into different starting points for the various characteristics and consequently into different starting points for the factor portfolios. In general, price-based characteristics have the longest history, with accounting data and analyst forecasts becoming available later in time. [Figure 1](#) plots the number of factors per category over time. [Table A.1](#) provides detailed information on the characteristics, the original studies, and classification into economic categories. [Table A.2](#) provides descriptive statistics of factor category and individual factor returns.

¹Their positive assessment is reinforced by the findings of another open-source project, [Jensen, Kelly, and Pedersen \(2023\)](#).

Figure 1: Number of Factors per Category

This figure shows the number of factors over time. We follow [Chen and Zimmermann \(2022\)](#) and replicate portfolios defined in the original paper that introduced the anomaly in the literature. We group factor portfolios into six economic categories based on the firm characteristics used to construct them: Intangibles, Investment, Momentum, Profitability, Trading frictions, Value vs. growth, and Other. For factors included in [Hou et al. \(2020\)](#), we follow their classification. Table [A.1](#) provides a description of each individual factor and the assigned factor category.



2.2 Timing Signals

We use a broad set of timing signals that have been proposed in the literature and group them into six classes: momentum, volatility, valuation spread, characteristics spread, issuer-purchaser spread, and reversal. Here we provide a broad overview of the different signals; full details are given in [Appendix B](#).

Momentum: Momentum signals are based on the observation that past factor returns over fairly recent periods positively predict future returns. While the classic definition for momentum is cross-sectional and thus less suited for factor timing, we use variations of time

series momentum to construct signals. The simplest variants of momentum-based timing signals rely on the sign of prior returns. Thus, we derive momentum signals that assign a weight of $w_{i,t} = \pm 1$, conditional on the sign of the past factor return over an n -months horizon. We use look-back periods n equal to 1, 3, 6, and 12 months. [Ehsani and Linnainmaa \(2022\)](#) measure the profitability of factor momentum by taking long and short positions in factors based on prior returns. In further variants of timing signals, we follow [Gupta and Kelly \(2019\)](#), and obtain the weights $w_{i,t}$ of the timed factor portfolios as factor i 's n -months past return, scaled by m -months past return volatility. Different values for n and m result in different timing signals. [Ehsani and Linnainmaa \(2022\)](#) measure the profitability of factor momentum by taking long or short positions in factors based on prior returns. Thus, we derive momentum signals that assign a weight of $w_{i,t} = \pm 1$, conditional on the sign of the past factor return over an n -months horizon. Finally, we follow [Moskowitz, Ooi, and Pedersen \(2012\)](#) and scale positions such that the timed factor has an ex ante volatility of 40%. In total, we use 16 momentum signals.

Volatility: [Moreira and Muir \(2017\)](#) show that realized volatility predicts future volatility but not returns. Investment strategies that condition factor exposure on recent realized volatility tend to outperform in a risk-adjusted metric. Mirroring the measures analyzed in their paper, we use the realized standard deviation and the variance of daily factor returns over the preceding month to construct timing signals. In a variant, we obtain the variance predictor from an AR(1) process fitted to log variance. Following [Cederburg et al. \(2020\)](#), we estimate a variant that deals with variation in the number of trading days in a month by scaling realized variance with the fraction of the number of trading days in a month and 22. An additional volatility signal is obtained from volatility of market returns instead of factor returns ([DeMiguel et al., 2021](#)). Finally, we follow [Reschenhofer and Zechner \(2022\)](#), who find improved predictability when complementing moments estimated from historical data with option-implied information. We thus use the CBOE VIX index and the CBOE SKEW

index for signal construction. The different methods result in a total of seven volatility signals.

Valuation spread: Stock market valuation ratios are a traditional predictor of aggregate returns, (see, e.g., [Campbell and Shiller, 1988](#)). Prices scaled by fundamental variables such as dividends, earnings, or book values contain information about expected returns of the market. If the aggregate valuation level predicts aggregate returns, it seems plausible that the relative valuation of value versus growth stocks should predict their relative returns. The value spread – the book-to-market ratio of value stocks minus that of growth stocks – predicts the HML factor return. Similarly, [Haddad et al. \(2020\)](#) use a portfolio’s net book-to-market ratio (defined as the difference between the log book-to-market ratio of the long and the short legs) to predict its return. We define value signals similarly, standardizing a factor portfolio’s value spread using the rolling and expanding means, respectively. Variants for the value spread differ with respect to the timing of the signals, with variants (i) end of year book and market values, (ii) end of year book value and most recent market value, and (iii) quarterly book and market values. In total, we derive six versions of valuation signals.

Characteristics spread: The unconditional factor portfolios result from sorting individual stocks on a specific characteristic. As noted by [Huang, Liu, Ma, and Osiol \(2010\)](#), it is thus intuitive that the spread in the (sorting) characteristic between the top and the bottom deciles proxies for future return dispersion. To construct the factor-specific characteristic spread, we calculate the difference in the characteristic of the long minus the short leg, and scale the demeaned spread by its standard deviation. We obtain two signal variants, from using a rolling or an expanding mean.

Reversal: [Moskowitz et al. \(2012\)](#) document time series momentum at horizons up to 12 months and reversal for longer horizons. We first compute 60 (120) months past returns and obtain two version of reversal signals: The 60 (120) month reversal signal translates into a

weight $w = 1 -$ annualized factor return over the past 60 (120) months.

Issuer-purchaser spread: External financing activities such as equity issuance net of repurchases and debt issuance are negatively related to future stock returns (Bradshaw, Richardson, and Sloan, 2006; Pontiff and Woodgate, 2008). Greenwood and Hanson (2012) find that determining which types of firms issue stocks in a given year helps forecasting returns of factor portfolios. In particular, the differences between firms who recently issued vs. repurchased shares predict returns to long-short factor portfolios associated with those characteristics. We construct issuer-purchaser spreads based on three variants for the determination of net issuance: the difference between sales and repurchase of common stock, the change in split-adjusted shares outstanding, and the change in split-adjusted common shares outstanding. The time series are demeaned using rolling or expanding means, and scaled by standard deviation, resulting in 6 signals.

3 Empirical Analysis

3.1 Univariate Factor Timing

For univariate factor timing, we construct timed factors as versions of the original factor portfolios, using one specific timing signal to scale the returns. More precisely, we obtain

$$f_{i,t+1}^j = w_{i,t}^j f_{i,t+1}, \quad (1)$$

where $f_{i,t+1}^j$ is the excess return of the signal- j -timed factor i from time t to $t + 1$, $f_{i,t+1}$ is the excess return of the original factor portfolio, and $w_{i,t}^j$ is the timing weight constructed from signal j . We time each one of the $i \in \{1, \dots, 318\}$ factors at monthly frequency, using $j \in \{1, \dots, 39\}$ signals, resulting in 12,402 timed factor portfolios.

3.1.1 Timing Performance for Different Types of Signals

To evaluate the success of factor timing, we first calculate the difference in returns:

$$\Delta \bar{R}_{i,j} = \frac{1}{T} \sum_{t=1}^T (f_{i,t+1}^j - f_{i,t+1}). \quad (2)$$

Second, to incorporate risk-adjustment, we also look at the difference in Sharpe ratios, i.e.

$$\Delta SR_{i,j} = SR(f_i^j) - SR(f_i). \quad (3)$$

Since some of our timing strategies also make use of leverage, we note that the Sharpe ratios should not depend on leverage since the numerator and the denominator are affected proportionally and thus leverage does not falsely indicate success.²

We also assess the performance of timed factors by calculating the time-series alpha by regressing the timed factor returns on the untimed ones (see, e.g., [Gupta and Kelly, 2019](#)):

$$f_{i,t+1}^j = \alpha_{i,j} + \beta_{i,j} f_{i,t+1} + \epsilon_{t+1}. \quad (4)$$

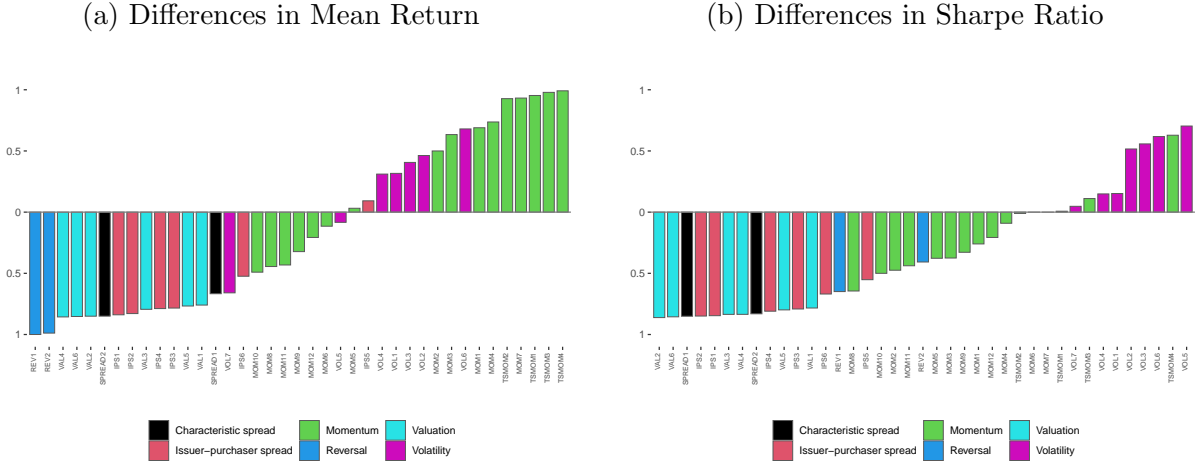
The alphas must be interpreted with caution, as they are in general affected by the leverage chosen for the timed strategy. However, the statistical significance of alphas is not influenced by leverage and implies that, for statistically significant alphas, the managed strategy expands the efficient frontier. Figures 2 and 3 give a first overview of the univariate timing results.

Figure 2 displays the net fraction of significant performance differences, obtained as the fraction of factors with significant positive performance differences between the timed and the untimed portfolios minus the fraction of factors with significant negative performance differences. Panel (a) displays the measure for average returns. We find that timing signals

²Statistical significance can easily be assessed using the test of [Jobson and Korkie \(1981\)](#) of testing the null that $\Delta SR_{i,j} = 0$.

Figure 2: Timing Success by Signal Category (Returns and Sharpe Ratios)

This figure shows for each timing signal the fraction of factor portfolios with significant positive performance difference between the timed (f_i^j) and untimed (f_i) factors minus the corresponding fraction of significant negative performance differences. Colors indicate the timing category. Table B.1 provides a description of the individual timing signals and the assigned signal class. Figure (a) displays the fraction for mean returns, Figure (b) for Sharpe ratios. We determine statistical significance at the 5 percent level. For Sharpe ratios, we use the z -statistic from the [Jobson and Korkie \(1981\)](#) test of the null that $SR(f_i^j - f_i) = 0$.



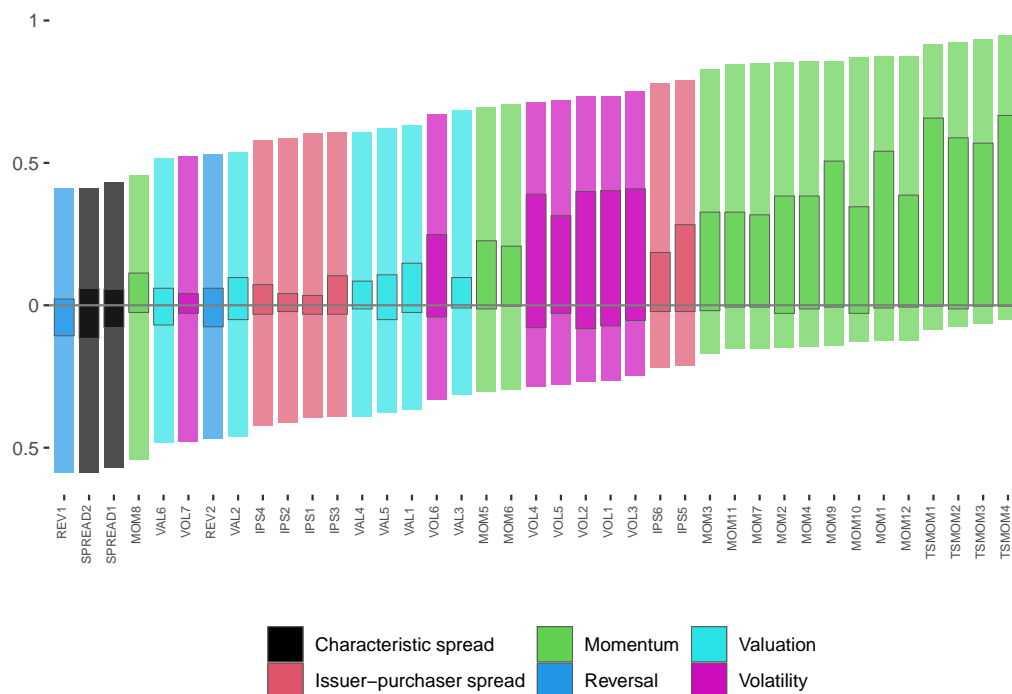
based on momentum lead to the largest improvements. There are some exceptions, such as the signals based on [Ehsani and Linnainmaa \(2022\)](#), which by construction lead to a low average exposure to the original factor. Panel (b) shows that for most signals factor timing on average decreases Sharpe ratios. Only volatility signals are able to improve Sharpe ratios. The top signals are based on the standard deviation of the previous month’s daily returns ([Moreira and Muir, 2017](#)) and on S&P 500 implied volatility ([Reschenhofer and Zechner, 2022](#)). Time series momentum with 12 months lookback period ([Moskowitz et al., 2012](#)) also delivers strong performance. All other signals have weaker results.

Figure 3 gives a first overview of the univariate timing results, as estimated by the alphas in equation (4). It plots the fraction of factor portfolios with positive and negative alphas, respectively, for each timing signal. Each bar has a length of 1; the vertical position of the bar shows the fraction of positive and negative alphas. Areas with dark borders within a bar present the fraction of timed factors with statistically significant α . We use a 5 percent significance level, with t -statistics adjusted for heteroscedasticity. The signals

are ranked according to the fraction of positive alphas. Momentum signals achieve the highest fraction of positive alphas. More importantly, positive alphas tend to be statistically significant, while there is almost no statistical significance for negative alphas. The single best momentum signal is time series momentum with 12 months lookback period, as defined in Moskowitz et al. (2012). Volatility timing signals achieve performance improvements in the same ballpark as momentum, with high percentages of statistically significant positive alphas. The top signal in this group is the standard deviation of the previous month's daily returns, as described in Moreira and Muir (2017). Timing signals based on valuation, reversal, characteristics spreads and issuer-purchaser spread are less successful.

Figure 3: Timing Success by Signal Category (Alpha)

This figure shows the fraction of factor portfolios with positive and negative alphas, respectively, for each timing signal. Colors indicate the signal class. For each factor i and signal j we obtain the alpha $\alpha_{i,j}$ from an OLS regression of timed factor portfolios' excess returns ($f_{i,t+1}^j$) on unmanaged factor portfolio's excess returns ($f_{i,t+1}$): $f_{i,t+1}^j = \alpha_{i,j} + \beta_{i,j}f_{i,t+1} + \epsilon_{t+1}$. The dark shaded areas of the bars present the fraction of $\alpha_{i,j}$ significant at the 5 percent level, using t -statistics adjusted for heteroscedasticity. Table B.1 provides a description of the individual timing signals and the assigned signal class.



3.1.2 Timing Performance for Different Categories of Factors

In the previous analysis, we aggregated the performance across all 318 factors for different timing signals. While some level of aggregation is clearly necessary for tractability, it may mask important heterogeneity in timing success across factors. Factors that capture different sources of risk can potentially be timed with different signals. We therefore use the economic interpretation of factors to group them into seven categories: intangibles, investment, momentum, profitability, trading frictions, value vs. growth, and other.³ We compile the results for categories of factors in Table 1. The panels show results for all signals (Panel A), momentum signals (Panel B), and volatility signals (Panel C).⁴ We display average alphas of time-series regressions and differences in Sharpe ratios. We report simple averages over all factors within an economic category and for signals of a given type. Average t -statistics and counts of statistically significant factors in brackets are based on heteroscedasticity-adjusted standard errors.

The average annualized alpha across all factors and all signals equals 3.2%. This number is economically large, but there is rather weak statistical significance. The average t -statistic is just below 1. For the average signal, out of 318 factors, alphas for 84 are statistically significantly positive and for 11 statistically significantly negative at the 5% level. There is strong heterogeneity across factor categories. Timing profitability factors produces the highest average alpha of 5.0%. This contrasts with an average alpha of 2.3% for factors related to investment and to trading frictions. Column ΔSR shows the average difference in the Sharpe ratio of the timed versus original factor. We show the average z -statistic from the [Jobson and Korkie \(1981\)](#) test of the null that $\Delta SR = 0$ in square brackets. The negative values indicate that a “brute force” application of all signals on all factors tends to reduce risk-adjusted returns.

Panel B reports results for timing using only momentum signals. This shows more suc-

³See Table A.1 for further details.

⁴We relegate details for signals based on the the characteristic spread, issuer-purchaser spread, reversal and valuation to appendix Table C.1.

successful factor timing. In particular, average alphas for profitability and value vs. growth factors are economically high (10% p.a.) and statistically significant; the corresponding change in Sharpe ratios is positive. The fraction of positive alphas is highest for investment, profitability, and value vs. growth factors. Timing momentum factors with momentum signals is less attractive: Average alphas are statistically insignificant, and the average change in Sharpe ratios is negative. With the exception of profitability factors, no economic category has more than 50% positive differences in the Sharpe ratio, out of which few are statistically significant. It seems that momentum signals enhance the performance, but increase volatility even more. Strategies based on those signals might be useful if they constitute only a small part of the portfolio.

Panel C shows that while timing with volatility signals leads to smaller gains in alphas, a higher proportion of alphas is statistically significant. Further, timing with volatility signals enhances Sharpe ratios. Volatility signals work best for momentum factors, where the average Sharpe ratio gain of 0.2 is statistically significant.

Table 1: Performance Impact of Factor Timing with Single Signals

This table shows timing success of different signals for individual factors, grouped into economic categories. N_f reports the number of factors within each category. The left part of the panel shows the alpha for each factor i and signal j against its raw (untimed) counterpart. Alpha is obtained as the intercept in the following regression: $f_{i,t+1}^j = \alpha_{i,j} + \beta_{i,j} f_{i,t+1} + \epsilon_{t+1}$. α , $\alpha > 0$, and $\alpha < 0$ present the average alpha, and the number of factors with a positive and negative α , respectively. We report average t -statistics and the number of significant factors in brackets, where statistical significance is based on heteroscedasticity-adjusted standard errors. The right part shows the average difference in the annualized Sharpe ratio of the timed versus untimed factor across factor/signal combinations. For Sharpe ratios, we use the z -statistic from the [Jobson and Korkie \(1981\)](#) test of the null that $SR(f_i^j - f_i) = 0$. Panel A displays the simple averages over all signals. Panel B and C report results for momentum and volatility signals. [Table C.1](#) shows results for the remaining timing signal types. We describe the factors and their allocation to an economic category in [Table A.1](#). [Table B.1](#) describes the timing signals.

	N_f	Time series regression			Sharpe ratio difference		
		α	$\alpha > 0$	$\alpha < 0$	ΔSR	$\Delta SR > 0$	$\Delta SR < 0$
A. All signals							
All factors	318	3.190 [0.965]	224 [84]	94 [11]	-0.124 [-0.689]	114 [30]	204 [79]
Intangibles	53	2.731 [0.817]	36 [12]	17 [2]	-0.126 [-0.674]	20 [3]	33 [12]
Investment	46	2.250 [0.916]	33 [12]	13 [2]	-0.158 [-0.984]	14 [5]	32 [16]
Momentum	22	3.815 [1.282]	16 [7]	6 [0]	-0.316 [-1.510]	6 [3]	16 [9]
Profitability	35	4.952 [1.319]	27 [12]	8 [1]	-0.054 [-0.225]	16 [4]	19 [6]
Trading frictions	46	2.294 [0.660]	30 [10]	16 [2]	-0.096 [-0.505]	17 [5]	29 [10]
Value vs. growth	41	4.344 [1.268]	30 [15]	11 [2]	-0.091 [-0.592]	15 [4]	26 [9]
Other	75	3.004 [0.865]	52 [16]	23 [2]	-0.111 [-0.661]	26 [5]	49 [17]
B. Momentum signals							
All factors	318	6.428 [1.615]	264 [130]	54 [4]	0.001 [-0.220]	126 [34]	192 [52]
Intangibles	53	5.843 [1.558]	44 [21]	9 [0]	0.008 [-0.134]	24 [5]	29 [7]
Investment	46	4.951 [1.773]	42 [20]	4 [0]	0.018 [-0.273]	15 [6]	31 [10]
Momentum	22	5.413 [1.153]	17 [6]	5 [0]	-0.164 [-1.233]	5 [1]	17 [7]
Profitability	35	9.937 [2.061]	32 [19]	3 [0]	0.078 [0.292]	19 [5]	16 [3]
Trading frictions	46	3.865 [0.837]	30 [12]	16 [2]	-0.052 [-0.499]	16 [5]	30 [11]
Value vs. growth	41	9.939 [2.370]	37 [24]	4 [0]	0.067 [0.139]	17 [4]	24 [4]
Other	75	6.059 [1.549]	62 [27]	13 [0]	-0.005 [-0.214]	29 [8]	46 [10]
C. Volatility signals							
All factors	318	1.300 [1.079]	220 [100]	98 [17]	0.026 [0.383]	183 [57]	135 [24]
Intangibles	53	0.464 [0.587]	35 [12]	18 [4]	0.000 [0.003]	28 [5]	25 [5]
Investment	46	0.507 [0.854]	31 [12]	15 [3]	-0.002 [0.059]	25 [5]	21 [5]
Momentum	22	5.035 [3.042]	20 [16]	2 [0]	0.154 [2.053]	19 [12]	3 [0]
Profitability	35	2.512 [1.597]	28 [12]	7 [1]	0.085 [1.022]	24 [9]	11 [1]
Trading frictions	46	0.910 [0.894]	30 [15]	16 [5]	0.017 [0.270]	25 [10]	21 [5]
Value vs. growth	41	1.675 [1.719]	34 [19]	7 [2]	0.060 [0.833]	30 [9]	11 [1]
Other	75	0.750 [0.509]	42 [14]	33 [4]	-0.014 [-0.114]	33 [7]	42 [6]

3.2 One Factor - Many Signals

Section 3.1 suggests heterogeneity in timing capabilities: The extent to which factor timing works appears to be factor and signal-specific. Clearly we cannot feasibly analyze the combination of 318 factors \times 39 signals in a simple manner but need to resort to appropriate tools for dimension reduction. In a first step of aggregation, we still time each factor individually, but we use multiple signals to make a timing decision. Since many of the signals are highly correlated, it is clear that we should not simply run a “kitchen sink” regression and expect to obtain sensible predictions. We therefore resort to partial least squares (PLS) as the appropriate signal aggregation technique. We briefly introduce PLS in the next section and refer to [Kelly and Pruitt \(2013, 2015\)](#) for a comprehensive treatment.

3.2.1 Partial Least Squares

For the aggregation of the right-hand side, we could use principal components analysis (PCA), a well-known statistical approach that is widely applied in finance. Intuitively, PCA extracts $k < J$ linear combinations of the original $J = 39$ signals in a way to explain as much as possible of the variance of the original signals. Yet, our goal is not primarily a parsimonious description of the signals per se, but to find an efficient set of predictors for time-varying factor returns. Hence, we resort to a related technique that is better suited to be used in a regression setting – partial least squares. [Kelly and Pruitt \(2013\)](#) use PLS to successfully predict the market index.⁵ The main idea of PLS in our setting is to find linear combinations of the original signals that maximize their covariances with the factor return. More precisely, consider the regression model

$$f_i = W_i \beta_i + \epsilon_i, \quad (5)$$

where f_i is a $T \times 1$ vector of factor i 's one-period ahead excess returns, and T is the sample

⁵[Light, Maslov, and Rytchkov \(2017\)](#) employ PLS successfully for cross-sectional predictions.

length. W_i is a $T \times J$ factor-specific signal matrix that contains $J = 39$ column vectors w_i^j , β_i is a $J \times 1$ vector of signal sensitivities and ϵ_i is a $T \times 1$ vector of errors. PLS decomposes W_i such that the first k vectors can be used to predict f_i . We can write this as

$$f_i = (W_i P_i^k) b_i^k + u_i. \quad (6)$$

P_i^k is a $J \times k$ matrix with columns v_m , $m = 1, \dots, k$, and b_i^k is a $k \times 1$ vector of sensitivities to the aggregated signals. To find the v_m s, we iteratively solve the following problem

$$v_m = \arg \max_v [\text{cov}(f_i, W_i v)]^2, \quad \text{s.t. } v'v = 1, \quad \text{cov}(W_i v, W_i v_n) = 0 \quad \forall n = 1, 2, \dots, m-1. \quad (7)$$

PLS is well suited for problems such as factor timing as it can deal with highly correlated signals. In particular, a linear combination of the signals can be identified as a useful predictor of factor returns even if it does not explain much of the variation among signals.

3.2.2 Univariate Factor Timing with PLS

Our approach is to produce one-month ahead forecasts using standard predictive regression of the dominant components of factor returns. For each one of 314 factors,⁷ we run four PLS regressions as specified in Eq. (6), where the number of components k equals 1, 2, 3, and 5. We use each factor's first half of the sample to obtain initial estimates, and use the second half to form out-of-sample (OOS) forecasts. To this end, our OOS results are not subject to a look-ahead bias. As in [Campbell and Thompson \(2008\)](#), we use monthly holding periods and calculate out-of-sample R^2 as

⁶Note that we run a separate PLS regression for each factor to capture differential dynamics in factor risk premia. To emphasize this procedure, we could write $v_m^{(i)}$ to emphasize the dependence on i . In order to ease the notation, we omit this superscript.

⁷We lose 4 factors due to lack of sufficient historical data. These are: Activism1, Activism2, Governance, and ProbInformedTrading.

$$R_{OOS}^2 = 1 - \frac{\sum_{t=1}^T (f_{i,t+1} - \hat{f}_{i,t+1})^2}{\sum_{t=1}^T (f_{i,t+1} - \bar{f}_{i,t+1})^2}, \quad (8)$$

where $\hat{f}_{i,t+1}$ is the predicted value from a predictive regression estimated through period t , and $\bar{f}_{i,t+1}$ is the historical average return estimated through period t . To assess the economic importance of factor timing, we follow [Campbell and Thompson \(2008\)](#) and compare the average excess return that a buy-and-hold investor will earn from investing in factors without timing, $R^* = \frac{SR^2}{\gamma}$, to the average excess returns earned by an active investor exploiting predictive information through PLS regressions, obtained from

$$R^* = \frac{1}{\gamma} \frac{SR^2 + R_{OOS}^2}{1 - R_{OOS}^2}. \quad (9)$$

We follow [Campbell and Thompson \(2008\)](#) and also assume unit risk aversion, i.e. $\gamma = 1$.

Table 2 presents statistical and economic measures of timing success in the PLS framework. Panel A reports the average R_{OOS}^2 of these regressions and the 25th, 50th, and 75th percentiles. Panel B groups the factors into economic categories and reports the average R_{OOS}^2 per category. Panels C and D report average excess returns for all factors and economic categories, respectively. Panel A of Table 2 shows that the average out-of-sample R_{OOS}^2 (over all factor portfolios) for partial least squares predictive regression using just one component (PLS1) equals 0.76%, on a one-month prediction horizon. The median is almost identical to the mean. The average out-of-sample R_{OOS}^2 turns negative when using more than a single component. This shows that factor timing is prone to overfitting. Panel B shows the results for different economic factor categories. For PLS1, all out-of-sample R_{OOS}^2 are positive, ranging from barely positive (0.02 percent) for momentum factors to 1.4 and 1.6 percent for profitability and value vs. growth factors, respectively. Panels C and D shows the corresponding returns for active investors with unit risk aversion who optimally exploit predictive information. The average excess return across all untimed factors equals 2.4%; this increases to 3.2% using PLS1. The increase in excess returns is pervasive but heterogeneous

among economic categories. The largest gains are obtained for the profitability and value vs. growth factor categories. The gain for momentum-based factors is relatively meager. This heterogeneity in timing success results in timed factors corresponding to the value vs. growth category outperforming momentum factors, thus reversing the attractiveness of the untimed factors.

Table 2: Predictive Regressions of Factor Excess Returns

This table shows out-of-sample R^2_{OOS} and active investor excess returns obtained from predictive regressions of factor returns on timing signals. For each one of 314 factors, we run four partial least squares (PLS) regressions, where the number of components equals 1, 2, 3, and 5. Panel A reports the average R^2_{OOS} of these regressions and the 25, 50, and 75 percentiles. Panel B groups the factors into economic categories and reports the average R^2_{OOS} per category. Panel C compares the annualized average excess return $R^*(ORG)$ that a buy-and-hold investor will earn from investing in factors without timing to the average excess returns earned by an active investor exploiting predictive information through PLS regressions, $R^*(PLS)$. We follow [Campbell and Thompson \(2008\)](#) to determine untimed returns $R^* = SR^2/\gamma$, shown in column ORG, and timed returns $R^* = (SR^2 + R^2_{OOS})/(\gamma(1 - R^2_{OOS}))$, shown in columns PLS 1 to PLS 5, assuming unit risk aversion γ . Panel D displays average active investor returns per economic factor category. We use the first half of the sample to obtain initial estimates, and report only values from out-of-sample regressions using an expanding window. We describe the factors and their allocation to an economic category in [Table A.1](#). [Table B.1](#) describes the timing signals.

N of components	Untimed factors	PLS - timed factors			
		1	2	3	5
A. Full sample R^2_{OOS}					
Mean		0.754	-0.218	-1.044	-2.058
25 perc.		-0.166	-1.186	-2.116	-3.133
50 perc.		0.757	0.097	-0.444	-1.290
75 perc.		1.793	1.285	0.886	0.352
B. Economic category R^2_{OOS}					
Intangibles		0.467	-0.809	-1.777	-2.447
Investment		0.789	-0.175	-0.572	-1.365
Momentum		0.017	-1.118	-1.401	-1.420
Profitability		1.404	0.283	-1.397	-3.781
Trading frictions		0.451	-0.838	-1.562	-2.761
Value vs. growth		1.612	1.185	0.456	-0.527
Other		0.551	-0.200	-1.064	-2.009
C. Full sample R^*					
Mean	2.364	3.202	2.238	1.461	0.606
D. Economic category R^*					
Intangibles	1.345	1.887	0.631	-0.274	-0.871
Investment	3.716	4.580	3.581	3.219	2.476
Momentum	4.706	4.773	3.724	3.440	3.437
Profitability	1.626	3.133	1.978	0.408	-1.228
Trading frictions	1.538	2.039	0.748	0.149	-0.781
Value vs. growth	3.151	4.908	4.503	3.773	2.813
Other	1.951	2.589	1.859	1.010	0.122

In practice, risk constraints or other frictions might prohibit an investor from fully exploiting the information of the signals. The results presented in Table 2 may thus appear as an overstatement. To alleviate this concern we construct the simplest possible univariate timing strategies. For each of the 314 factors, we define the timed portfolio return $f_{i,t+1}^\tau$ as follows:⁸

$$f_{i,t+1}^\tau = \begin{cases} +f_{i,t+1} & \text{if } \hat{f}_{i,t+1} \geq 0, \\ -f_{i,t+1} & \text{if } \hat{f}_{i,t+1} < 0. \end{cases} \quad (10)$$

The timed portfolio return is thus equal to the original factor return when the forecast is positive. In the event of a negative predicted return, the timed factor return is its negative value, i.e. the short-long untimed portfolio return. Return predictions are made using PLS regressions, where we again vary the number of components. In order to compute performance statistics, we use a two-step procedure: First, we compute statistics for each individual factor separately for its out-of-sample period. Second, we take cross-sectional averages. This means we do not take the perspective of an investor diversified across factors, but an investor who is randomly sampling one factor from the set of 314 factors.

Table 3 reports performance statistics for untimed factors and univariate factor timing portfolios. In Panel A we report the average return (R), standard deviation (SD), Sharpe ratio (SR), and maximum drawdown (maxDD). Timed portfolios using PLS1 exhibit significant economic gains to investors when compared to untimed portfolios: the average annualized performance increases from 4.0% to 5.9% p.a., the average Sharpe ratio increases from 0.34 to 0.48, and the average maximum drawdown decreases from 46% to 38%. Increasing the number of PLS-factors n does not provide additional benefits; all performance measures slowly worsen when increasing n . Panel B shows regression results, where we regress returns of the timed portfolio on the market excess return (CAPM) and the six factors from the Fama-French-5+Momentum asset pricing models. The CAPM-alpha increases from an average 4.5% for untimed factors to 6.6% for timed factor portfolios using PLS1. The corre-

⁸For ease of notation, we suppress the number of PLS components n .

sponding multifactor alphas are 3.7% and 4.9%, respectively. Using the CAPM, the highest alphas are obtained for PLS1, while the highest multifactor alpha of 5.0% is obtained for PLS2. Panel C displays the timing success from time-series regression of the timed on untimed factor returns, a comparison of Sharpe ratios, and the hit rate (fraction of months with a positive return prediction which are correctly followed by a positive factor return). Also using these measures, the best performance is achieved for timed portfolios using PLS1 (based on the return difference, increase in Sharpe ratio, and hit rate) and PLS2 (based on the alpha from timing regressions). The average hit rate using PLS1 equals 57%. Panel C further illustrates that prediction success is higher for positive factor returns than for negative ones. The hit rate conditional on positive realized returns is almost 80%, while the sign is forecast correctly only for 30% of negative realized returns.

Table 3: Univariate Factor Timing

This table shows results for univariate factor timing portfolios. For each factor i , the predicted returns ($\hat{f}_{i,t+1}$) are from partial least squares (PLS) regressions, where the number of components equals 1, 2, 3, or 5. The timed portfolio, denoted by $f_{i,t+1}^T$, is equal to the original factor return, when the forecast is positive. In the event of a negative predicted return, the timed factor return is essentially its inverse, i.e. the short-long untimed portfolio return. All statistics are obtained in a two-step procedure: First, we compute statistics for each individual factor separately for its out-of-sample period. Second, we take cross-sectional averages. Panel A reports the annualized average return in percent, annualized standard deviation in percent, annualized Sharpe ratio, and maximum drawdown in percent. Panel B shows regression results, where we regress returns on the CAPM and FF5+Momentum asset pricing models. We report average t -statistics in parenthesis. Panel C displays the timing success. α , ΔR , and ΔSR denote the time-series regression alpha, difference in return and difference in Sharpe ratio of the timed vs. untimed factor returns. We again report t - and z -statistics in parenthesis. $\% \hat{f}_{i,t+1} > 0$ ($\% \hat{f}_{i,t+1} < 0$) shows the fraction of positive (negative) predictions. $\hat{f}_{i,t+1} > 0 \mid f_{i,t+1} > 0$ ($\hat{f}_{i,t+1} < 0 \mid f_{i,t+1} < 0$) reports the fraction of positive (negative) return prediction conditional on the untimed factor returns' $f_{i,t+1}$ realisation being positive (negative). hit rate reports the fraction where the sign of the predicted return $\hat{f}_{i,t+1}$ corresponds to the sign of $f_{i,t+1}$. We describe the factors and their allocation to an economic category in Table A.1. Table B.1 describes the timing signals.

	Untimed factors	PLS - timed factors			
N of components		1	2	3	5
A. Performance					
R	4.040	5.879	5.665	5.460	5.003
SD	12.782	12.752	12.751	12.767	12.78
SR	0.336	0.482	0.469	0.444	0.412
maxDD	45.963	37.881	38.548	39.177	40.267
B. Regression results					
CAPM α	4.515 (2.179)	6.588 (3.042)	6.266 (2.938)	6.008 (2.765)	5.52 (2.559)
FF5 + MOM α	3.368 (1.950)	4.938 (2.497)	4.990 (2.439)	4.833 (2.277)	4.503 (2.126)
C. Timing success					
α		2.354 (1.112)	2.517 (1.169)	2.440 (1.077)	2.148 (0.994)
ΔR		1.840 (0.490)	1.625 (0.382)	1.420 (0.255)	0.963 (0.119)
ΔSR		0.147 (0.481)	0.133 (0.380)	0.109 (0.250)	0.076 (0.114)
$\% \hat{f}_{i,t+1} > 0$		74.366	71.196	70.485	69.031
$\% \hat{f}_{i,t+1} < 0$		25.634	28.804	29.515	30.969
$\hat{f}_{i,t+1} > 0 \mid f_{i,t+1} > 0$		79.025	75.966	74.870	73.424
$\hat{f}_{i,t+1} < 0 \mid f_{i,t+1} < 0$		29.905	33.386	33.699	34.764
hit rate		56.930	56.813	56.350	56.034

In order to understand the heterogeneity in timing success better, we illustrate the timing of selected individual factors in Table 4. Specifically, we highlight the best and worst univariate factor timing results. Panel A selects factors conditional on the sign of average returns of the original factor and sorts them on the difference between timed and untimed factor returns. We find that for some factors, a (considerable) negative unconditional return can be transformed into substantial positive timed return. In contrast, as highlighted in Panel B, it is rarely the case that a positive unconditional risk premium turns negative through poor timing decisions. While sometimes returns are indeed negative, only one factor out of 314 has significantly negative return differences (OrderBacklogChg).

Table 4: Best and Worst Univariate Timing Results (Using PLS1)

This table shows factors with the best and worst univariate timing results. We report average untimed (f_i) and timed factor returns (f_i^T), as well as their return differences (ΔR), and t -statistics ($t(\Delta R)$) of these differences, respectively. Panel A selects the top 10 factors where the average untimed return is negative, conditional on the timed factor return being positive, and sorts results based on the t -statistic of the difference. Panel B displays all factors where the untimed return is positive, conditional on the timed factor return being negative. Results are again sorted by the t -statistic of return differences. We describe the factors in Table A.1.

	f_i	f_i^T	ΔR	$t(\Delta R)$
A. $f_i < 0 \mid f_i^T > 0$				
EntMult_q	-12.265	14.128	26.394	6.562
ChNCOA	-9.041	8.948	17.989	6.172
sgr	-6.867	5.649	12.516	4.828
ChNCOL	-6.077	5.632	11.710	4.714
AssetGrowth_q	-9.272	11.442	20.713	4.479
EarningsPredictability	-7.407	10.120	17.527	4.346
NetDebtPrice_q	-14.899	13.562	28.461	4.160
ReturnSkewCAPM	-3.043	2.998	6.041	3.607
betaRC	-2.655	6.427	9.082	3.072
AbnormalAccrualsPercent	-2.118	1.559	3.677	2.469
...				
B. $f_i > 0 \mid f_i^T < 0$				
OrderBacklogChg	4.128	-2.256	-6.384	-2.984
BrandInvest	3.259	-1.037	-4.296	-1.038
ChNAnalyst	22.191	-5.647	-27.838	-1.012
EBM	0.806	-0.398	-1.205	-0.893
DelayNonAcct	1.467	-0.538	-2.005	-0.844
PctTotAcc	0.291	-0.322	-0.613	-0.754

3.3 Multifactor Timing

The previous analyses show that factor timing can be beneficial even if applied only to individual factors. However it is unlikely that a sophisticated investor seeks exposure to only one source of systematic risk. We therefore investigate the gains of factor timing for an investor who seeks exposure to multiple factors. Further, the univariate timing strategy displayed in Table 3 makes only use of the sign of the prediction, while investors can benefit from strategies that are conditional on the sign and magnitude of the predicted factor returns.

One easy way to consider magnitudes is to sort factors into portfolios based on the predicted returns. Below we will consider quintile portfolios. Each month t we sort factors into five portfolios based on their $t + 1$ predicted excess return from partial least squares regressions with 1 component. In addition, we construct a high-low (H-L) portfolio. To compare the performance of the timed quintile portfolios, we construct "untimed" quintile factor portfolios which are sorted based on the historical average return. It is plausible that investors expect factors that have historically performed well (poorly), to do so again in the future. Thus, while we name these benchmark portfolios "untimed", in effect they can be interpreted as naively timed factors. This implementation also directly addresses the concern that factor timing might only be successful because we are capturing factors with high unconditional returns. Thus, the benchmark portfolios are formed as

$$f_{t+1}^{uq} = w_{i,t}^{uq} f_{i,t+1} \quad (11)$$

where $w_{i,t}^{uq}$ equals $1/N_t^q$ for factors where the historical average return up to t is in the q th quintile, and 0 otherwise. The quintile portfolios of timed factors are given by

$$f_{t+1}^{PLS1q} = w_{i,t}^{PLS1q} f_{i,t+1}, \quad (12)$$

where f^{PLS1q} is the quintile q PLS1 portfolio and the weight $w_{i,t}^{PLS1q}$ equals $1/N_t^q$ for all factors where the $t + 1$ return predicted with PLS1 is in the q th quintile, and 0 otherwise.

Table 5 displays the results. Panel A reports performance statistics of the quintile and the high-low (H-L) portfolios, both for the untimed and the PLS1-timed factors. We find several interesting results. First, sorting factors into portfolios merely based on their historical average return leads to a monotonic increase in performance across sorted portfolios. In other words, past factor returns seem to be a good predictor for future factor returns. The High (Low) portfolio, for example, produces an annualized average return of 10.50 (1.16) percent. Hence, portfolio sorts based on the historical average constitute a tough benchmark. The

H-L portfolio delivers an average return of 9.34% p.a. Second, timing improves returns and Sharpe ratios, and helps reduce drawdowns. The predicted returns for the timed portfolios range from -5.77% to 16.91%. Realized returns spread across a slightly narrower interval from -3.92% to +14.07%, which is more pronounced than the return spread in the untimed portfolios. The top PLS1-based quintile leads to the highest Sharpe ratio of about 1.81, compared to 1.49 for the top portfolio based on historical averages. Panel B displays CAPM and FF5+Momentum alphas. Alphas of untimed factor portfolios increase monotonically from 0.95% to 11.39%. For timed portfolios, the increase is much more pronounced and ranges from -4.38% for the lowest quintile to +14.92% for the highest quintile. Results are similar for FF5+Momentum alphas, although the magnitudes are slightly lower. Panel C shows that alphas from regressing the returns of the timed quintile portfolios on the original factor returns increase monotonically. The return difference between the timed H-L portfolio and its untimed counterpart amounts to 8.65%. Thus, the timed H-L portfolio earns twice the return of the comparable untimed portfolio. While less pronounced, the difference in Sharpe ratios equals still impressive, 0.44, and it is statistically significant. The reason for the more moderate difference in Sharpe ratios (1.23 timed, 0.79 untimed) is the higher standard deviation of the timed H-L portfolio returns.

Table 5: Portfolio Sorts Based on Predicted Factor Returns

This table shows performance statistics for sorted portfolios based on the predicted factor returns. At the end of each month t , we sort factors into 5 portfolios based on their $t + 1$ predicted return and construct a high-low (H-L) portfolio. For “untimed” (naively timed) factors, portfolios are sorted based on the historical average return. PLS 1 timed factor sorts are based on predictions from partial least squares regressions with 1 component. In Panel A, we report the annualized mean predicted return (Pred), realized return (R), standard deviation (SD), Sharpe ratio (SR) and maximum drawdown (maxDD). Panel B shows regression results, where we regress returns on the CAPM and FF5+Momentum asset pricing models. We report average t -statistics in brackets. Panel C displays the timing success. α , ΔR , and ΔSR exhibit the time-series regression alpha, difference in return and difference in Sharpe ratio of the timed vs. untimed factor returns. We again report t - and z -statistics in brackets. We describe the factors and their allocation to an economic category in Table A.1. Table B.1 describes the timing signals.

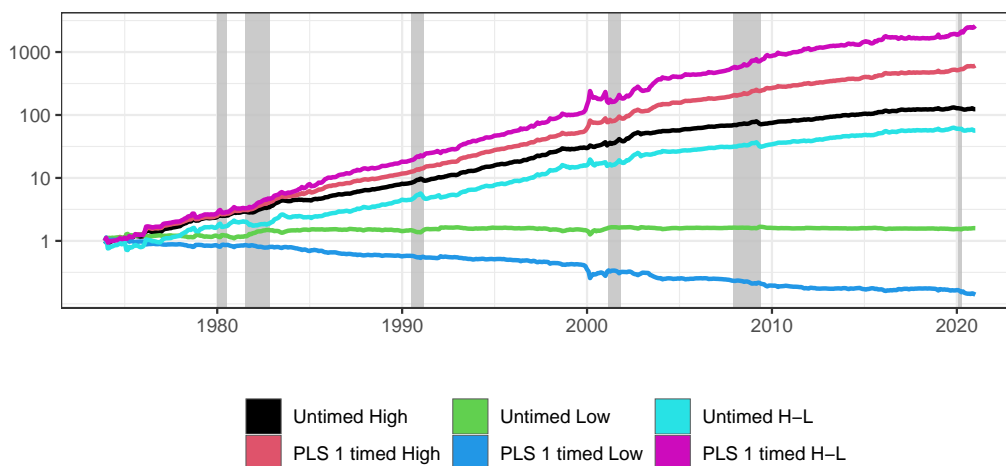
	Untimed factors						PLS 1 timed factors					
	L	2	3	4	H	H-L	L	2	3	4	H	H-L
A. Portfolio performance												
Pred							-5.771	1.129	4.599	8.263	16.907	22.678
R	1.161	3.651	4.112	5.459	10.501	9.341	-3.918	2.175	5.399	7.333	14.072	17.99
SD	6.18	3.397	2.997	5.03	7.058	11.888	7.658	3.314	3.427	4.939	7.797	14.678
SR	0.188	1.075	1.372	1.085	1.488	0.786	-0.512	0.656	1.575	1.485	1.805	1.226
maxDD	22.943	7.176	5.979	13.166	15.278	37.287	86.685	14.578	6.332	10.794	13.29	35.242
B. Regression results												
CAPM α	0.950	3.669	4.550	6.427	11.391	10.441	-4.357	2.493	6.116	7.983	14.923	19.281
	(1.048)	(7.343)	(10.850)	(9.507)	(11.382)	(6.089)	(-3.897)	(5.222)	(13.528)	(11.438)	(13.372)	(9.088)
FF5 + MOM α	1.660	3.632	3.559	3.464	7.232	5.572	-2.521	1.688	4.508	4.876	11.181	13.701
	(1.948)	(7.405)	(8.936)	(6.062)	(8.907)	(3.688)	(-2.456)	(3.629)	(11.141)	(8.469)	(11.864)	(7.382)
C. Timing success												
α							-4.803	1.545	2.900	3.646	5.801	10.238
							(-5.449)	(3.105)	(6.372)	(6.657)	(6.689)	(6.303)
ΔR							-5.079	-1.476	1.287	1.874	3.571	8.649
							(-5.612)	(-2.354)	(2.822)	(3.267)	(4.325)	(5.373)
ΔSR							-0.699	-0.418	0.203	0.399	0.317	0.440
							(-5.420)	(-2.197)	(1.352)	(3.273)	(2.624)	(3.591)

We further find that our timing approach offers robust performance over time. Figure 4 displays the performance for sorting factors on past average returns and factor timing portfolio sorts. The performance of our timing model using one component (i.e. PLS1) clearly and consistently outperforms portfolios sorted on historical average returns. For the High portfolio, the end-of-period wealth is about ten times larger than the comparable portfolio based on historical averages. Furthermore, the figure illustrates that the lowest quintile experiences negative returns on average. McLean and Pontiff (2016) find that many anomalies have lower average returns post-publication. And indeed, we find that the performance for “untimed” gets flatter after the year 2000, i.e., sorting on the historical mean produces a

smaller performance spread. Yet sorting on returns predicted from timing signals continues to work at least as well in recent periods as before 2000.

Figure 4: Sorted Factor Portfolios - Cumulative Excess Returns

This figure displays the performance for factor timing portfolio sorts. We sort factors into quintile portfolios based on their $t + 1$ predicted return and plot performance of the High, Low and High-Low (H-L) portfolios. The total return indices are in excess of the risk-free rate. “Untimed” displays results for portfolio sorts based on the historic average. PLS 1 timed shows results based on predictions from partial least squares regressions with 1 component.



To illustrate the dynamics of factor allocation, Table 6 shows the frequency of the 10 factor portfolios most held in the top and bottom portfolios. Panel A shows frequencies for untimed factors, where factors are sorted into a quintile portfolio based on the historical average. We find a persistent presence of factors. ReturnSkewCAPM and betaCR, for example, are in the low quintile more than 9 out of 10 times; STreversal, MomSeasonShort, IntMom, MomOffSeason and IndRetBig end up in the top quintile about 90% of the time. Timing, results in a more heterogeneous allocation. Even though ReturnSkewCAPM remains the most frequent holding in the low quintile, its presence is reduced by 11 percentage points. BetaCR drops to 56 percent, and is replaced by sgr as the second-most frequent factor. We find similar results for the high quintile: Generally the top frequencies of the most held factors are lower, illustrating the more pronounced dynamics of portfolio composition.

Table 6: Top 10 Factor Investments

This table shows the frequency of factor allocation into the quintile portfolios. At the end of each month t , we sort factors into 5 portfolios based on their $t + 1$ predicted return. Panel A shows frequencies for untimed factors, where portfolios are sorted based on the historic average. Panel B shows results for PLS 1 timed factor sorts, where predictions are based on partial least squares regressions with 1 component. We report the 10 factors with the lowest (L %) and highest (H %) frequencies in the Low and High quintile portfolio, respectively. $\Delta\%$ reports the difference of PLS 1 timed allocations compared to allocation based on the historical average. We describe the factors and their grouping into an economic category in Table A.1.

Acronym	L %	$\Delta\%$	Acronym	H %	$\Delta\%$
A. Untimed					
ReturnSkewCAPM	99		STreversal	100	
betaCR	92		MomSeasonShort	98	
BetaDimson	84		IntMom	97	
BetaFP	82		MomOffSeason	97	
BetaSquared	81		IndRetBig	94	
betaRR	79		ResidualMomentum	85	
IdioVolCAPM	78		MomVol	76	
ChNCOA	73		Mom12mOffSeason	74	
ChNCOL	73		EntMult	72	
sgr	73		AssetGrowth	71	
B. PLS 1 timed					
ReturnSkewCAPM	88	-11	IndRetBig	95	1
sgr	71	-2	STreversal	90	-10
ChNCOA	70	-3	IntMom	76	-21
ChNCOL	67	-5	ResidualMomentum	62	-23
BetaDimson	57	-27	MomVol	58	-17
betaCR	56	-36	MomSeasonShort	58	-39
BetaSquared	53	-28	MomOffSeason	58	-39
BetaFP	53	-29	Mom12m	56	-13
FirmAge	52	2	Frontier	55	-6
VarCF	50	-15	MomRev	55	-3

3.4 Stock-level Timing Portfolios

In all of the previous analyses we have taken factor portfolios as primitives. Since the factors are zero net investment portfolios, combinations of them will of course also be zero net investment portfolios and the results can be interpreted as proper excess returns. Nonethe-

less, it is beneficial to take a look “under the hood” to get more insights into the properties of multifactor timing portfolios for multiple reasons. To properly assess turnover of factor timing strategies, we need to compute the actual positions for each security in the portfolio, as the same stock may be in the long leg of one factor portfolio and in the short leg of another portfolio. When implementing dynamic investment strategies in real-world portfolios, investors will clearly transact only on the difference between the desired net position and the current actual holdings. DeMiguel, Martin-Utrera, Nogales, and Uppal (2020) show that many trades cancel out when multiple factors are combined into one portfolio. A second important reason is due to real life frictions and constraints investors are facing. For example, leverage or short-sale constraints may inhibit the implementation of the optimal timing portfolio. The only way to gain more insight into these issues is to unpack the timing portfolio and study the multifactor timing portfolios at the individual security level.

To keep track of the net position of stock i in a multifactor timing portfolio, we derive the aggregate weight $w_{i,t}$ by aggregating across the $j = 1, \dots, N$ factors:

$$w_{i,t} = \sum_{j=1}^N w_{i,j,t}, \quad (13)$$

where $w_{i,j,t}$ is firm i 's weight in factor j at time t . We then avoid short positions in individual stocks, and only consider those stocks which receive a positive aggregate weight:

$$w_{i,t}^+ = \max[0, w_{i,t}]. \quad (14)$$

Similarly, we derive stock-level weights $w_{i,t}^{PLS,+}$ from the timed factor portfolios.

We define the monthly turnover as the change in weights $TO_t = \frac{1}{2} \sum_i |w_{i,t} - w_{i,t}^{bh}|$, where $w_{i,t}$ is the weight of firm i at time t , $w_{i,t}^{bh}$ is the buy and hold weight, i.e. the weight of firm i at time t when no action is taken on the previous period's weight $w_{i,t-1}$. We define $w_{i,t}^{bh}$ as $w_{i,t}^{bh} = \frac{mcap_{t-1} w_{i,t-1} (1+r_{i,t}^{exd})}{mcap_t}$, where $mcap_t$ is the market capitalization of the entire investment universe at time t . Note that this can change from $t-1$ to t not only because of performance,

but also because of IPOs, SEOs, buybacks, and dividend payments. $r_{i,t}^{exd}$ is the return of firm i excluding dividends from $t - 1$ to t .

Table 7 shows the results. Panels A and B report results for small and large-capitalization stocks, respectively, where we split the sample using the median NYSE market equity at the end of June of year t (see Fama and French, 1992).

Table 7: Individual Stock-level Timing Portfolios

For this table, timed portfolios are constructed from individual securities rather than from factors. To this end we aggregate the underlying security weights (long and short) from all timed factor portfolios. We then obtain portfolios that consist of those stocks that have positive aggregate weights. Panels A and B report results for small and large-capitalization stocks in the CRSP universe, respectively, where we split the sample in June of year t using the median NYSE market equity and keep firms from July of year t to June of year $t + 1$. ALL_VW is the value-weighted portfolio return of small and large cap stocks, respectively. Untimed refers to portfolio weights based on the original factor definition. PLS 1 timed shows portfolio timing based on partial least squares regressions with a single component. We report annualized mean return (R), standard deviation (SD), Sharpe ratio (SR), maximum drawdown (maxDD), average number of firms in the portfolio (N), and annualized turnover (Turn). The sample period is January 1974 to December 2020. We describe the factors and their allocation into an economic category in Table A.1.

	R	SD	SR	maxDD	N	Turn
A. Small capitalization stocks						
ALL_VW	12.832	20.420	0.413	55.076	3,945	7.053
Untimed	24.119	21.684	0.910	57.828	2,216	286.435
PLS 1 timed	25.611	22.663	0.936	50.035	2,130	401.917
B. Large capitalization stocks						
ALL_VW	9.265	15.538	0.314	51.585	929	3.484
Untimed	12.092	16.142	0.477	49.111	341	312.770
PLS 1 timed	13.506	17.359	0.525	51.084	377	455.107

We find several interesting results. First, there is a tremendous gain in portfolio performance relative to the market weighted return, even when we just use untimed factors to form portfolios. When we restrict the sample to small stocks, the annualized return of the untimed portfolio is about 11% p.a. higher than the benchmark, which constitutes an increase of roughly 80%. Results for large-capitalization firms suggest a smaller, but still high absolute (3%) and relative (25%) over-performance. This increase in performance is

unmatched by the increase in portfolio risk. Even though the standard deviation increases in all groups, the rise is less pronounced than the return, resulting in much larger Sharpe ratios. The Sharpe ratio for the small (large) sample rises from 0.413 (0.314) to 0.910 (0.477), which is an increase of 120% (50%).

Second, our timing model, denoted as PLS1, further increases the performance and risk-adjusted returns. The small cap portfolio yields an annualized return of 25.6% with a Sharpe ratio of 0.94. Alongside the impressive gain in performance, we find decreasing maximum drawdowns and a reasonable number of firms in the portfolio. However, timing and rebalancing on a monthly basis results in high turnover of roughly 400% per year.

There is merit in focusing on the best in class firms, i.e. firms that have the largest weights across all timed factors. We provide insights in the appendix, Table C.3. We use a subset of firms in each size sample, retaining only firms with weights above the median and in the top quintile, respectively. Generally speaking, these portfolios have higher returns and higher Sharpe ratios, but also slightly higher standard deviations. The increase in standard deviation might be due to an increase in idiosyncratic risk, because of the lower number of holdings in the respective portfolios. For example, in the large-cap sample, the number of firms is on average 189, when we just use firms in the upper half of the weight distribution, and about 76 when we use the highest quintile. Interestingly, we find that these portfolios generate much lower turnover than the base-case PLS1 portfolio. This suggests that firms have, on aggregate across all factors, relatively sticky weights. The strategy that focuses on large-cap stocks with a weight in the top 50% resulting from timing with PLS1, increases the Sharpe ratio by roughly 80% to 0.53 (relative to 0.31 for the market-weight CRSP large-cap universe). With an average number of 190 large-cap stocks in the portfolio and a turnover of 340%, the resulting strategy can very likely be implemented in practice.

3.5 Performance in Different Economic Regimes

Next, we analyze the persistence of results across different economic regimes. We split the data along two dimensions. First we split the sample by the implied market volatility, i.e. the CBOE S&P 500 volatility index, into high VIX regimes when the VIX at month t is above the historical median, and vice versa. The number of observations is 164 and 207 months, respectively. Second, we provide statistics for NBER recessions and expansions, with 73 and 492 observations, respectively. Table 8 shows the results. Panel A shows that factor timing works equally well in both high and low volatility regimes. Average returns of PLS1-timed portfolios exceed the returns from untimed factor-based portfolios, which in turn are higher than market-capitalization weighted portfolios. The difference between the two former strategies amounts to approximately 2% p.a. for both small and large capitalization stocks, and irrespective of the VIX regime. There is one exception to the persistent outperformance when comparing Sharpe ratios: The Sharpe ratio of the PLS1-timed small-cap portfolio is slightly below the untimed factor portfolio (1.01 vs. 1.04). Panel B reveals performance statistics during economic turmoil. Most notably, when the economy is in a recession, the return for the sample of small (large) stocks is -11.7% (-12.4%). However, the PLS1 timing model does improve the return tremendously. Small (large) capitalization stock portfolios return roughly 13 (6) percent above and beyond the market, and 3 (1) percent above the untimed factor portfolios. This result is not dwarfed when we investigate the performance during expansions. Here the PLS1 timing portfolio again provides the highest outperformance, with returns being 12 (4) percent above the small and large market portfolios, respectively, and 1 (1) percent above the small and large cap untimed factor-based portfolios.

Table 8: Performance of Stock-level Timing Portfolios During Crises

This table shows performance statistics for high (above the historical median) and low (below historical median) implied volatility (i.e. CBOE S&P 500 volatility index, VIX) regimes, and NBER recession regimes for long-only equity portfolios. We aggregate all underlying security weights from all timed factor portfolios. We then retain only stocks that have positive aggregate weights. Panels A and B report results conditional on the VIX regime, for small and large-capitalization stocks, respectively. We split the sample in June of year t using the median NYSE market equity and keep firms from July of year t to June of year $t + 1$. Panels B and C report results conditional on recession regimes. ALL_VW is the value-weighted return for small and large cap stocks, respectively. Untimed refers to portfolio weights based on the original factor definition. PLS1 shows portfolio timing based on partial least squares regressions with a single component. We report annualized mean return (R), standard deviation (SD), and Sharpe ratio (SR). The sample period is January 1990 to December 2020 for VIX regimes and January 1974 to December 2020 for recession regimes. We describe the factors and their allocation to an economic category in Table A.1.

	<i>High VIX (N=164)</i>			<i>Low VIX (N=207)</i>		
	R	SD	SR	R	SD	SR
A. Small capitalization stocks						
ALL_VW	14.192	17.940	0.426	13.783	22.002	0.369
Untimed	25.879	19.230	1.005	29.394	22.845	1.039
PLS 1 timed	27.869	19.947	1.069	31.329	25.521	1.006
B. Large capitalization stocks						
ALL_VW	10.589	15.672	0.258	8.251	16.058	0.161
Untimed	12.905	15.691	0.405	12.550	16.001	0.431
PLS 1 timed	14.391	16.708	0.469	14.543	18.424	0.482
	<i>NBER recession (N=73)</i>			<i>NBER expansion (N=492)</i>		
	R	SD	SR	R	SD	SR
C. Small capitalization stocks						
ALL_VW	-11.742	29.598	-0.608	16.479	18.492	0.669
Untimed	0.143	33.266	-0.184	27.677	19.226	1.226
PLS 1 timed	3.481	30.685	-0.091	28.894	21.094	1.175
D. Large capitalization stocks						
ALL_VW	-12.382	22.780	-0.818	12.477	13.949	0.600
Untimed	-9.835	24.123	-0.667	15.346	14.392	0.780
PLS 1 timed	-9.197	24.306	-0.636	16.874	15.880	0.804

4 Robustness Checks

4.1 Factor or Market Timing

In the previous sections, we provide strong evidence for factor timing using signals constructed separately for each individual factor. One might wonder if the outperformance of timed factors truly comes from *factor timing* or if it could alternatively be explained by *market timing*. To answer this question, we run regressions in the style of [Henriksson and Merton \(1981\)](#). Specifically, we regress for each factor its timed returns onto the market excess return and the maximum of zero and the market excess return, i.e.

$$f_{i,t}^{\tau} = \alpha + \beta r_{m,t} + \gamma r_{m,t}^{+} + \varepsilon_t, \quad (15)$$

where $f_{i,t}^{\tau}$ denotes the timed factor return using PLS1, $r_{m,t}$ is the excess return on the market and $r_{m,t}^{+} := \max\{r_{m,t}, 0\}$. While a strategy that earns the maximum of the market return and zero cannot be implemented in real time, it sheds light into whether observed outperformance is due to alpha or time-varying market exposure (i.e., market timing). [Table 9](#) displays the results. Panel A reports the mean and quartiles of the coefficients α , β , and γ for the full cross-section of factors. The average t -statistic of alphas from this regression exceeds the average t -statistic of the alphas obtained from regressing timed factor returns on untimed factor returns, as shown in [Table 3](#), Panel C. In contrast, the coefficients γ on the maximum of the market return and zero are basically zero across the entire cross-section. Panel B reports the average coefficients and their t -statistics when the factors are split into economic categories. Hence, there is no indication that market timing plays a role in explaining timed factor returns.

Table 9: [Henriksson and Merton \(1981\)](#) Market Timing Regression

This table shows statistics for the coefficient estimates of a timing regression. For each factor, we regress its returns onto the market excess return and the maximum of zero and the market excess return, i.e. $f_{i,t}^j = \alpha + \beta r_{m,t} + \gamma r_{m,t}^+ + \varepsilon_t$. $f_{i,t}^j$ denotes the timed factor return, $r_{m,t}$ is the excess return on the market and $r_{m,t}^+ := \max\{r_{m,t}, 0\}$. The timing regression is carried out for each factor. Alphas are annualized. Panel A shows the mean, the 25%, 50% and 75% quantile of the coefficient estimates. In Panel B, we show the average coefficient and t -statistics in parentheses for each economic category. We describe the factors and their allocation to an economic category in [Table A.1](#).

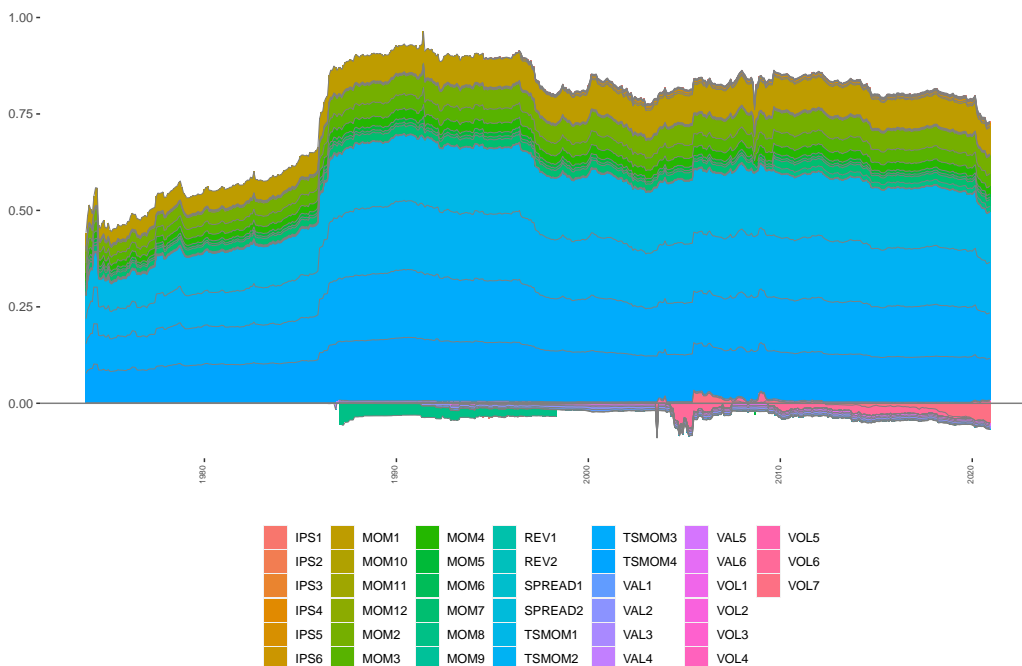
	(1)	(2)	(3)
	α	β	γ
A. Full sample			
Mean	0.059	-0.099	0.031
	(1.814)	(-1.329)	(0.150)
25 perc.	0.019	-0.182	-0.063
	(0.700)	(-2.528)	(-0.664)
50 perc.	0.047	-0.070	0.022
	(1.595)	(-1.141)	(0.216)
75 perc.	0.087	0.008	0.131
	(2.674)	(0.147)	(1.037)
B. Economic category			
Intangibles	0.027	-0.058	0.069
	(1.222)	(-1.162)	(0.277)
Investment	0.054	-0.047	0.005
	(2.285)	(-0.934)	(0.002)
Momentum	0.120	-0.087	-0.121
	(3.149)	(-0.808)	(-0.859)
Profitability	0.069	-0.170	0.076
	(1.561)	(-1.743)	(0.491)
Trading frictions	0.056	-0.226	0.057
	(1.737)	(-2.916)	(0.272)
Value vs. growth	0.069	-0.114	0.039
	(2.060)	(-1.479)	(0.216)
Other	0.060	-0.044	0.025
	(1.566)	(-0.596)	(0.183)

4.2 Importance of Timing Signals

Using partial least squares, we combine 39 signals into one aggregated timing signal. It is interesting to understand to which degree individual signals contribute to the combined signal, and if the importance of an individual signal changes over time. To illustrate the relative importance of timing signals, at each point in time and for each factor portfolio, we obtain the loadings of each signal in the first PLS component. We then take a cross-sectional average across all factor portfolios. As the PLS loadings are only identified up to rotation, we normalize through dividing by the time-series maximum to achieve a maximum of one over the full sample. The resulting normalized loadings indicate the relative importance of different timing signals over time. Figure 5 shows that momentum and time series momentum signals dominate the aggregate signal. Volatility signals contribute to a lesser degree, and with a negative sign.

Figure 5: Relative Importance of Timing Signals (PLS Loadings)

This figure shows the relative importance of the timing signal for the partial least squares (PLS) factor. At each time we take a cross-sectional average. As the PLS loadings are only identified up to rotation, we divide by the time-series maximum to achieve a maximum of one over the full sample. We describe the factors and their allocation to an economic category in Table A.1. Table B.1 describes the timing signals.



5 Conclusion

The academic literature has identified many asset pricing factors – the *factor zoo*. It has also analyzed whether risk premia associated with these factors are time-varying and whether it is possible to successfully time investors’ exposure to the various risk factors. The evidence on the latter question is inconclusive, as different papers have focused on very different sets of factors and predictive variables. In this paper we conduct a comprehensive analysis of factor timing, simultaneously considering a large set of risk factors and of prediction variables. Our analysis reveals that factor timing is indeed possible. Predictability is not concentrated in short subsamples of the data and does not decay in recent time periods. In short, factor risk premia are robustly predictable. Our evidence reveals that factor timing is beneficial to

investors relative to passive “harvesting” of risk premia.

In addition, our results have important implications for asset pricing theories and models. Our results show that there is a large difference between the conditional and unconditional behavior of factor returns and risk premia. In particular, models of constant conditional risk premia appear inconsistent with the data. Our findings are also useful for the design of models of the stochastic discount factor. For example, models that imply i.i.d. innovations of the SDF cannot match our empirical findings and are likely to be rejected in the data.

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Appendices

A Anomalies

This section describes the details of our dataset. As outlined in Section 2, our dataset has been derived from the open source code provided by Chen and Zimmermann (2022). It encompasses over 300 equity portfolios that have been constructed by sorting firms on various characteristics. The sample includes NYSE, AMEX, and Nasdaq ordinary common stocks for the time period from 1926 to 2020. The list of firm characteristics can be constructed from CRSP, Compustat, and IBES, FRED data. Multiple characteristics require specific data to reconstruct the results of the original studies, which are readily available on the authors' websites. For each characteristic, Chen and Zimmermann (2022) replicate portfolios used in the original papers that introduced the anomaly in the literature. Table A.1 displays a brief description of the firm characteristics.

Table A.1: Summary of Anomaly Variables

Acronym	Description	Original study	Journal	Economic category
AbnormalAccruals	Abnormal Accruals	Xie (2001)	AR	Investment
AbnormalAccrualsPercent	Percent Abnormal Accruals	Hafzalla, Lundholm, Van Winkle (2011)	AR	Investment
AccrualQuality	Accrual Quality	Francis, LaFond, Olsson, Schipper (2005)	JAE	Investment
AccrualQualityJune	Accrual Quality in June	Francis, LaFond, Olsson, Schipper (2005)	JAE	Investment
Accruals	Accruals	Sloan (1996)	AR	Investment
AccrualsBM	Book-to-market and accruals	Bartov and Kim (2004)	RFQA	Investment
Activism1	Takeover vulnerability	Cremers and Nair (2005)	JF	Other
Activism2	Active shareholders	Cremers and Nair (2005)	JF	Intangibles
AdExp	Advertising Expense	Chan, Lakonishok and Sougiannis (2001)	JF	Intangibles
AgeIPO	IPO and age	Ritter (1991)	JF	Intangibles
AM	Total assets to market	Fama and French (1992)	JF	Value vs. growth
AMq	Total assets to market (quarterly)	Fama and French (1992)	JF	Value vs. growth
AnalystRevision	EPS forecast revision	Hawkins, Chamberlin, Daniel (1984)	FAJ	Momentum
AnalystValue	Analyst Value	Frankel and Lee (1998)	JAE	Intangibles
AnnouncementReturn	Earnings announcement return	Chan, Jegadeesh and Lakonishok (1996)	JF	Momentum
AOP	Analyst Optimism	Frankel and Lee (1998)	JAE	Intangibles
AssetGrowth	Asset growth	Cooper, Gulen and Schill (2008)	JF	Investment
AssetGrowth-q	Asset growth quarterly	Cooper, Gulen and Schill (2008)	JF	Investment
AssetLiquidityBook	Asset liquidity over book assets	Ortiz-Molina and Phillips (2014)	JFQA	Other
AssetLiquidityBookQuart	Asset liquidity over book (qtrly)	Ortiz-Molina and Phillips (2014)	JFQA	Other
AssetLiquidityMarket	Asset liquidity over market	Ortiz-Molina and Phillips (2014)	JFQA	Other
AssetLiquidityMarketQuart	Asset liquidity over market (qtrly)	Ortiz-Molina and Phillips (2014)	JFQA	Other
AssetTurnover	Asset Turnover	Soliman (2008)	AR	Other
AssetTurnover-q	Asset Turnover	Soliman (2008)	AR	Other
Beta	CAPM beta	Fama and MacBeth (1973)	JPE	Trading frictions
BetaBDLeverage	Broker-Dealer Leverage Beta	Adrian, Etula and Muir (2014)	JF	Trading frictions
betaCC	Illiquidity-illiquidity beta (beta2i)	Acharya and Pedersen (2005)	JFE	Trading frictions
betaCR	Illiquidity-market return beta (beta4i)	Acharya and Pedersen (2005)	JFE	Trading frictions
BetaDimson	Dimson Beta	Dimson (1979)	JFE	Trading frictions
BetaFP	Frazzini-Pedersen Beta	Frazzini and Pedersen (2014)	JFE	Trading frictions
BetaLiquidityPS	Pastor-Stambaugh liquidity beta	Pastor and Stambaugh (2003)	JPE	Trading frictions
betaNet	Net liquidity beta (betanet.p)	Acharya and Pedersen (2005)	JFE	Trading frictions
betaRC	Return-market illiquidity beta	Acharya and Pedersen (2005)	JFE	Trading frictions
betaRR	Return-market return illiquidity beta	Acharya and Pedersen (2005)	JFE	Trading frictions
BetaSquared	CAPM beta squared	Fama and MacBeth (1973)	JPE	Trading frictions
BetaTailRisk	Tail risk beta	Kelly and Jiang (2014)	RFS	Trading frictions
betaVIX	Systematic volatility	Ang et al. (2006)	JF	Trading frictions
BidAskSpread	Bid-ask spread	Amihud and Mendelsohn (1986)	JFE	Trading frictions
BM	Book to market using most recent ME	Rosenberg, Reid, and Lanstein (1985)	JF	Value vs. growth
BMdec	Book to market using December ME	Fama and French (1992)	JFM	Value vs. growth
BMq	Book to market (quarterly)	Rosenberg, Reid, and Lanstein (1985)	JF	Value vs. growth
BookLeverage	Book leverage (annual)	Fama and French (1992)	JF	Value vs. growth
BookLeverageQuarterly	Book leverage (quarterly)	Fama and French (1992)	JF	Value vs. growth
BPEBM	Leverage component of BM	Penman, Richardson and Tuna (2007)	JAR	Value vs. growth
BrandCapital	Brand capital to assets	Belo, Lin and Vitorino (2014)	RED	Intangibles
BrandInvest	Brand capital investment	Belo, Lin and Vitorino (2014)	RED	Intangibles
CapTurnover	Capital turnover	Haugen and Baker (1996)	JFE	Other
CapTurnover-q	Capital turnover (quarterly)	Haugen and Baker (1996)	JFE	Other
Cash	Cash to assets	Palazzo (2012)	JFE	Value vs. growth
cashdebt	CF to debt	Ou and Penman (1989)	JAR	Other
CashProd	Cash Productivity	Chandrashekar and Rao (2009)	WP	Intangibles
CBOperProf	Cash-based operating profitability	Ball et al. (2016)	JFE	Profitability
CBOperProfLagAT	Cash-based oper prof lagged assets	Ball et al. (2016)	JFE	Profitability
CBOperProfLagAT-q	Cash-based oper prof lagged assets qtrly	Ball et al. (2016)	JFE	Profitability
CF	Cash flow to market	Lakonishok, Shleifer, Vishny (1994)	JF	Value vs. growth

Table A.1 – cont.

Acronym	Description	Original study	Journal	Economic category
cfp	Operating Cash flows to price	Desai, Rajgopal, Venkatachalam (2004)	AR	Value vs. growth
cfpq	Operating Cash flows to price quarterly	Desai, Rajgopal, Venkatachalam (2004)	AR	Value vs. growth
CFq	Cash flow to market quarterly	Lakonishok, Shleifer, Vishny (1994)	JF	Value vs. growth
ChangeInRecommendation	Change in recommendation	Jegadeesh et al. (2004)	JF	Intangibles
ChangeRoA	Change in Return on assets	Balakrishnan, Bartov and Faurel (2010)	NA	Profitability
ChangeRoE	Change in Return on equity	Balakrishnan, Bartov and Faurel (2010)	NA	Profitability
ChAssetTurnover	Change in Asset Turnover	Soliman (2008)	AR	Profitability
ChEQ	Growth in book equity	Lockwood and Prombutr (2010)	JFR	Intangibles
ChForecastAccrual	Change in Forecast and Accrual	Barth and Hutton (2004)	RAS	Intangibles
ChInv	Inventory Growth	Thomas and Zhang (2002)	RAS	Investment
ChInvIA	Change in capital inv (ind adj)	Abarbanell and Bushee (1998)	AR	Investment
ChNAnalyst	Decline in Analyst Coverage	Scherbina (2008)	ROF	Intangibles
ChNCOA	Change in Noncurrent Operating Assets	Soliman (2008)	AR	Investment
ChNCOL	Change in Noncurrent Operating Liab	Soliman (2008)	AR	Investment
ChNNCOA	Change in Net Noncurrent Op Assets	Soliman (2008)	AR	Investment
ChNWC	Change in Net Working Capital	Soliman (2008)	AR	Profitability
ChPM	Change in Profit Margin	Soliman (2008)	AR	Other
ChTax	Change in Taxes	Thomas and Zhang (2011)	JAR	Intangibles
CitationsRD	Citations to RD expenses	Hirschleifer, Hsu and Li (2013)	JFE	Other
CompEquIss	Composite equity issuance	Daniel and Titman (2006)	JF	Investment
CompositeDebtIssuance	Composite debt issuance	Lyandres, Sun and Zhang (2008)	RFS	Investment
ConsRecomm	Consensus Recommendation	Barber et al. (2002)	JF	Other
ConvDebt	Convertible debt indicator	Valta (2016)	JFQA	Intangibles
CoskewACX	Coskewness using daily returns	Ang, Chen and Xing (2006)	RFS	Trading frictions
Coskewness	Coskewness	Harvey and Siddique (2000)	JF	Trading frictions
CredRatDG	Credit Rating Downgrade	Dichev and Piotroski (2001)	JF	Profitability
currat	Current Ratio	Ou and Penman (1989)	JAR	Value vs. growth
CustomerMomentum	Customer momentum	Cohen and Frazzini (2008)	JF	Other
DebtIssuance	Debt Issuance	Spies and Affleck-Graves (1999)	JFE	Investment
DelayAcct	Accounting component of price delay	Callen, Khan and Lu (2013)	CAR	Other
DelayNonAcct	Non-accounting component of price delay	Callen, Khan and Lu (2013)	CAR	Other
DelBreadth	Breadth of ownership	Chen, Hong and Stein (2002)	JFE	Intangibles
DelCOA	Change in current operating assets	Richardson et al. (2005)	JAE	Investment
DelCOL	Change in current operating liabilities	Richardson et al. (2005)	JAE	Investment
DelDRC	Deferred Revenue	Prakash and Sinha (2012)	CAR	Profitability
DelEqu	Change in equity to assets	Richardson et al. (2005)	JAE	Investment
DelFINL	Change in financial liabilities	Richardson et al. (2005)	JAE	Investment
DelLTI	Change in long-term investment	Richardson et al. (2005)	JAE	Investment
DelNetFin	Change in net financial assets	Richardson et al. (2005)	JAE	Investment
DelSTI	Change in short-term investment	Richardson et al. (2005)	JAE	Investment
depr	Depreciation to PPE	Holthausen and Larcker (1992)	JAE	Other
DivInit	Dividend Initiation	Michaely, Thaler and Womack (1995)	JF	Value vs. growth
DivOmit	Dividend Omission	Michaely, Thaler and Womack (1995)	JF	Value vs. growth
DivSeason	Dividend seasonality	Hartzmark and Salomon (2013)	JFE	Value vs. growth
DivYield	Dividend yield for small stocks	Naranjo, Nimalendran, Ryngaert (1998)	JF	Value vs. growth
DivYieldAnn	Last year's dividends over price	Naranjo, Nimalendran, Ryngaert (1998)	NA	Value vs. growth
DivYieldST	Predicted div yield next month	Litzenberger and Ramaswamy (1979)	JF	Value vs. growth
dNoa	change in net operating assets	Hirschleifer, Hou, Teoh, Zhang (2004)	JAE	Investment
DolVol	Past trading volume	Brennan, Chordia, Subra (1998)	JFE	Trading frictions
DownRecomm	Down forecast EPS	Barber et al. (2002)	JF	Intangibles
DownsideBeta	Downside beta	Ang, Chen and Xing (2006)	RFS	Trading frictions
EarningsConservatism	Earnings conservatism	Francis, LaFond, Olsson, Schipper (2004)	AR	Other
EarningsConsistency	Earnings consistency	Alwathainani (2009)	BAR	Intangibles
EarningsForecastDisparity	Long-vs-short EPS forecasts	Da and Warachka (2011)	JFE	Intangibles
EarningsPersistence	Earnings persistence	Francis, LaFond, Olsson, Schipper (2004)	AR	Other
EarningsPredictability	Earnings Predictability	Francis, LaFond, Olsson, Schipper (2004)	AR	Other
EarningsSmoothness	Earnings Smoothness	Francis, LaFond, Olsson, Schipper (2004)	AR	Other
EarningsStreak	Earnings surprise streak	Loh and Warachka (2012)	MS	Other
EarningsSurprise	Earnings Surprise	Foster, Olsen and Shevlin (1984)	AR	Momentum
EarningsTimeliness	Earnings timeliness	Francis, LaFond, Olsson, Schipper (2004)	AR	Other
EarningsValueRelevance	Value relevance of earnings	Francis, LaFond, Olsson, Schipper (2004)	AR	Other
EarnSupBig	Earnings surprise of big firms	Hou (2007)	RFS	Momentum
EBM	Enterprise component of BM	Penman, Richardson and Tuna (2007)	JAR	Value vs. growth
EBM-q	Enterprise component of BM	Penman, Richardson and Tuna (2007)	JAR	Value vs. growth
EntMult	Enterprise Multiple	Loughran and Wellman (2011)	JFQA	Value vs. growth
EntMult-q	Enterprise Multiple quarterly	Loughran and Wellman (2011)	JFQA	Value vs. growth
EP	Earnings-to-Price Ratio	Basu (1977)	JF	Value vs. growth
EPq	Earnings-to-Price Ratio	Basu (1977)	JF	Value vs. growth
EquityDuration	Equity Duration	Dechow, Sloan and Soliman (2004)	RAS	Value vs. growth
ETR	Effective Tax Rate	Abarbanell and Bushee (1998)	AR	Other
ExchSwitch	Exchange Switch	Dharan and Ikenberry (1995)	JF	Trading frictions
ExclExp	Excluded Expenses	Doyle, Lundholm and Soliman (2003)	RAS	Intangibles
FailureProbability	Failure probability	Campbell, Hilscher and Szilagyi (2008)	JF	Other
FailureProbabilityJune	Failure probability	Campbell, Hilscher and Szilagyi (2008)	JF	Other
FEPS	Analyst earnings per share	Cen, Wei, and Zhang (2006)	WP	Other
fgr5yrLag	Long-term EPS forecast	La Porta (1996)	JF	Intangibles
fgr5yrNoLag	Long-term EPS forecast (Monthly)	La Porta (1996)	JF	Intangibles
FirmAge	Firm age based on CRSP	Barry and Brown (1984)	JFE	Other
FirmAgeMom	Firm Age - Momentum	Zhang (2004)	JF	Momentum
ForecastDispersion	EPS Forecast Dispersion	Diether, Malloy and Scherbina (2002)	JF	Intangibles
ForecastDispersionLT	Long-term forecast dispersion	Anderson, Ghysels, and Juergens (2005)	RFS	Intangibles
FR	Pension Funding Status	Franzoni and Marin (2006)	JF	Intangibles
FRbook	Pension Funding Status	Franzoni and Marin (2006)	JF	Intangibles
Frontier	Efficient frontier index	Nguyen and Swanson (2009)	JFQA	Intangibles
Governance	Governance Index	Gompers, Ishii and Metrick (2003)	QJE	Other
GP	gross profits / total assets	Novy-Marx (2013)	JFE	Profitability
GPlag	gross profits / total assets	Novy-Marx (2013)	JFE	Profitability
GPlag-q	gross profits / total assets	Novy-Marx (2013)	JFE	Profitability

Table A.1 – cont.

Acronym	Description	Original study	Journal	Economic category
GrAdExp	Growth in advertising expenses	Lou (2014)	RFS	Intangibles
grcapx	Change in capex (two years)	Anderson and Garcia-Feijoo (2006)	JF	Investment
grcapx1y	Investment growth (1 year)	Anderson and Garcia-Feijoo (2006)	AR	Investment
grcapx3y	Change in capex (three years)	Anderson and Garcia-Feijoo (2006)	JF	Investment
GrGMToGrSales	Gross margin growth to sales growth	Abarbanell and Bushee (1998)	AR	Intangibles
GrLTNOA	Growth in long term operating assets	Fairfield, Whisenant and Yohn (2003)	AR	Investment
GrSaleToGrInv	Sales growth over inventory growth	Abarbanell and Bushee (1998)	AR	Intangibles
GrSaleToGrOverhead	Sales growth over overhead growth	Abarbanell and Bushee (1998)	AR	Intangibles
GrSaleToGrReceivables	Change in sales vs change in receiv	Abarbanell and Bushee (1998)	AR	Other
Herf	Industry concentration (sales)	Hou and Robinson (2006)	JF	Intangibles
HerfAsset	Industry concentration (assets)	Hou and Robinson (2006)	JF	Intangibles
HerfBE	Industry concentration (equity)	Hou and Robinson (2006)	JF	Intangibles
High52	52 week high	George and Hwang (2004)	JF	Momentum
hire	Employment growth	Bazdresch, Belo and Lin (2014)	JFE	Intangibles
IdioRisk	Idiosyncratic risk	Ang et al. (2006)	JF	Trading frictions
IdioVol3F	Idiosyncratic risk (3 factor)	Ang et al. (2006)	JF	Trading frictions
IdioVolAHT	Idiosyncratic risk (AHT)	Ali, Hwang, and Trombley (2003)	JFE	Trading frictions
IdioVolCAPM	Idiosyncratic risk (CAPM)	Ang et al. (2006)	JF	Trading frictions
IdioVolQF	Idiosyncratic risk (q factor)	Ang et al. (2006)	JF	Trading frictions
Illiquidity	Amihud's illiquidity	Amihud (2002)	JFM	Trading frictions
IndIPO	Initial Public Offerings	Ritter (1991)	JF	Intangibles
IndMom	Industry Momentum	Grinblatt and Moskowitz (1999)	JFE	Momentum
IndRetBig	Industry return of big firms	Hou (2007)	RFS	Momentum
IntanBM	Intangible return using BM	Daniel and Titman (2006)	JF	Value vs. growth
IntanCFP	Intangible return using CFtoP	Daniel and Titman (2006)	JF	Value vs. growth
IntanEP	Intangible return using EP	Daniel and Titman (2006)	JF	Value vs. growth
IntanSP	Intangible return using Sale2P	Daniel and Titman (2006)	JF	Value vs. growth
IntMom	Intermediate Momentum	Novy-Marx (2012)	JFE	Momentum
IntrinsicValue	Intrinsic or historical value	Frankel and Lee (1998)	JAE	Other
Investment	Investment to revenue	Titman, Wei and Xie (2004)	JFQA	Investment
InvestPPEInv	change in ppe and inv/assets	Lyandres, Sun and Zhang (2008)	RFS	Investment
InvGrowth	Inventory Growth	Belo and Lin (2012)	RFS	Investment
IO-ShortInterest	Inst own among high short interest	Asquith Pathak and Ritter (2005)	JFE	Other
iomom-cust	Customers momentum	Menzly and Ozbas (2010)	JF	Momentum
iomom-supp	Suppliers momentum	Menzly and Ozbas (2010)	JF	Momentum
KZ	Kaplan Zingales index	Lamont, Polk and Saa-Requejo (2001)	RFS	Intangibles
KZ-q	Kaplan Zingales index quarterly	Lamont, Polk and Saa-Requejo (2001)	RFS	Intangibles
LaborforceEfficiency	Laborforce efficiency	Abarbanell and Bushee (1998)	AR	Other
Leverage	Market leverage	Bhandari (1988)	JFE	Profitability
Leverage-q	Market leverage quarterly	Bhandari (1988)	JFE	Profitability
LRreversal	Long-run reversal	De Bondt and Thaler (1985)	JF	Other
MaxRet	Maximum return over month	Bali, Cakici, and Whitelaw (2010)	JF	Trading frictions
MeanRankRevGrowth	Revenue Growth Rank	Lakonishok, Shleifer, Vishny (1994)	JF	Value vs. growth
Mom12m	Momentum (12 month)	Jegadeesh and Titman (1993)	JF	Momentum
Mom12mOffSeason	Momentum without the seasonal part	Heston and Sadka (2008)	JFE	Other
Mom6m	Momentum (6 month)	Jegadeesh and Titman (1993)	JF	Momentum
Mom6mJunk	Junk Stock Momentum	Avramov et al (2007)	JF	Momentum
MomOffSeason	Off season long-term reversal	Heston and Sadka (2008)	JFE	Other
MomOffSeason06YrPlus	Off season reversal years 6 to 10	Heston and Sadka (2008)	JFE	Other
MomOffSeason11YrPlus	Off season reversal years 11 to 15	Heston and Sadka (2008)	JFE	Other
MomOffSeason16YrPlus	Off season reversal years 16 to 20	Heston and Sadka (2008)	JFE	Other
MomRev	Momentum and LT Reversal	Chan and Ko (2006)	JOIM	Momentum
MomSeason	Return seasonality years 2 to 5	Heston and Sadka (2008)	JFE	Other
MomSeason06YrPlus	Return seasonality years 6 to 10	Heston and Sadka (2008)	JFE	Other
MomSeason11YrPlus	Return seasonality years 11 to 15	Heston and Sadka (2008)	JFE	Other
MomSeason16YrPlus	Return seasonality years 16 to 20	Heston and Sadka (2008)	JFE	Other
MomSeasonShort	Return seasonality last year	Heston and Sadka (2008)	JFE	Other
MomVol	Momentum in high volume stocks	Lee and Swaminathan (2000)	JF	Momentum
MRreversal	Medium-run reversal	De Bondt and Thaler (1985)	JF	Other
MS	Mohanram G-score	Mohanram (2005)	RAS	Other
nanalyst	Number of analysts	Elgers, Lo and Pfeiffer (2001)	AR	Other
NetDebtFinance	Net debt financing	Bradshaw, Richardson, Sloan (2006)	JAE	Investment
NetDebtPrice	Net debt to price	Penman, Richardson and Tuna (2007)	JAR	Value vs. growth
NetDebtPrice-q	Net debt to price	Penman, Richardson and Tuna (2007)	JAR	Value vs. growth
NetEquityFinance	Net equity financing	Bradshaw, Richardson, Sloan (2006)	JAE	Investment
NetPayoutYield	Net Payout Yield	Boudoukh et al. (2007)	JF	Value vs. growth
NetPayoutYield-q	Net Payout Yield quarterly	Boudoukh et al. (2007)	JF	Value vs. growth
NOA	Net Operating Assets	Hirschleifer et al. (2004)	JAE	Investment
NumEarnIncrease	Earnings streak length	Loh and Warachka (2012)	MS	Momentum
OperProf	operating profits / book equity	Fama and French (2006)	JFE	Profitability
OperProfLag	operating profits / book equity	Fama and French (2006)	JFE	Profitability
OperProfLag-q	operating profits / book equity	Fama and French (2006)	JFE	Profitability
OperProfRD	Operating profitability RD adjusted	Ball et al. (2016)	JFE	Profitability
OperProfRDlagAT	Oper prof RD adj lagged assets	Ball et al. (2016)	JFE	Profitability
OperProfRDlagAT-q	Oper prof RD adj lagged assets (qtrly)	Ball et al. (2016)	JFE	Profitability
OPLeverage	Operating leverage	Novy-Marx (2010)	ROF	Intangibles
OPLeverage-q	Operating leverage (qtrly)	Novy-Marx (2010)	ROF	Intangibles
OptionVolume1	Option to stock volume	Johnson and So (2012)	JFE	Trading frictions
OptionVolume2	Option volume to average	Johnson and So (2012)	JFE	Trading frictions
OrderBacklog	Order backlog	Rajgopal, Shevlin, Venkatachalam (2003)	RAS	Intangibles
OrderBacklogChg	Change in order backlog	Baik and Ahn (2007)	Other	Investment
OrgCap	Organizational capital	Eisfeldt and Papanikolaou (2013)	JF	Intangibles
OrgCapNoAdj	Org cap w/o industry adjustment	Eisfeldt and Papanikolaou (2013)	JF	Intangibles
OScore	O Score	Dichev (1998)	JFE	Profitability
OScore-q	O Score quarterly	Dichev (1998)	JFE	Profitability
PatentsRD	Patents to RD expenses	Hirschleifer, Hsu and Li (2013)	JFE	Other
PayoutYield	Payout Yield	Boudoukh et al. (2007)	JF	Value vs. growth
PayoutYield-q	Payout Yield quarterly	Boudoukh et al. (2007)	JF	Value vs. growth

Table A.1 – cont.

Acronym	Description	Original study	Journal	Economic category
pchcurrat	Change in Current Ratio	Ou and Penman (1989)	JAR	Investment
pchdepr	Change in depreciation to PPE	Holthausen and Larcker (1992)	JAE	Investment
pchgm-pchsale	Change in gross margin vs sales	Abarbanell and Bushee (1998)	AR	Other
pchquick	Change in quick ratio	Ou and Penman (1989)	JAR	Investment
pchsaleinv	Change in sales to inventory	Ou and Penman (1989)	JAR	Other
PctAcc	Percent Operating Accruals	Hafzalla, Lundholm, Van Winkle (2011)	AR	Investment
PctTotAcc	Percent Total Accruals	Hafzalla, Lundholm, Van Winkle (2011)	AR	Investment
PM	Profit Margin	Soliman (2008)	AR	Profitability
PM-q	Profit Margin	Soliman (2008)	AR	Profitability
PredictedFE	Predicted Analyst forecast error	Frankel and Lee (1998)	JAE	Intangibles
Price	Price	Blume and Husic (1972)	JF	Other
PriceDelayRsq	Price delay r square	Hou and Moskowitz (2005)	RFS	Trading frictions
PriceDelaySlope	Price delay coeff	Hou and Moskowitz (2005)	RFS	Trading frictions
PriceDelayTstat	Price delay SE adjusted	Hou and Moskowitz (2005)	RFS	Trading frictions
ProbInformedTrading	Probability of Informed Trading	Easley, Hvidkjær and O'Hara (2002)	JF	Trading frictions
PS	Piotroski F-score	Piotroski (2000)	AR	Other
PS-q	Piotroski F-score	Piotroski (2000)	AR	Other
quick	Quick ratio	Ou and Penman (1989)	JAR	Investment
RD	RD over market cap	Chan, Lakonishok and Sougiannis (2001)	JF	Profitability
RD-q	RD over market cap quarterly	Chan, Lakonishok and Sougiannis (2001)	JF	Profitability
rd-sale	RD to sales	Chan, Lakonishok and Sougiannis (2001)	JF	Other
rd-sale-q	RD to sales	Chan, Lakonishok and Sougiannis (2001)	JF	Other
RDAbility	RD ability	Cohen, Diether and Malloy (2013)	RFS	Other
RDcap	RD capital-to-assets	Li (2011)	RFS	Intangibles
RDIPO	IPO and no RD spending	Gou, Lev and Shi (2006)	JBFA	Intangibles
RDS	Real dirty surplus	Landsman et al. (2011)	AR	Intangibles
realestate	Real estate holdings	Tuzel (2010)	RFS	Intangibles
ResidualMomentum	Momentum based on FF3 residuals	Blitz, Huij and Martens (2011)	JEmpFin	Momentum
ResidualMomentum6m	6 month residual momentum	Blitz, Huij and Martens (2011)	JEmpFin	Momentum
retConglomerate	Conglomerate return	Cohen and Lou (2012)	JFE	Momentum
RetNOA	Return on Net Operating Assets	Soliman (2008)	AR	Profitability
RetNOA-q	Return on Net Operating Assets	Soliman (2008)	AR	Profitability
ReturnSkew	Return skewness	Bali, Engle and Murray (2015)	Book	Trading frictions
ReturnSkew3F	Idiosyncratic skewness (3F model)	Bali, Engle and Murray (2015)	Book	Trading frictions
ReturnSkewCAPM	Idiosyncratic skewness (CAPM)	Bali, Engle and Murray (2015)	Book	Trading frictions
ReturnSkewQF	Idiosyncratic skewness (Q model)	Bali, Engle and Murray (2015)	Book	Trading frictions
REV6	Earnings forecast revisions	Chan, Jegadeesh and Lakonishok (1996)	JF	Momentum
RevenueSurprise	Revenue Surprise	Jegadeesh and Livnat (2006)	JFE	Momentum
RIO-Disp	Inst Own and Forecast Dispersion	Nagel (2005)	JF	Other
RIO-MB	Inst Own and Market to Book	Nagel (2005)	JF	Other
RIO-Turnover	Inst Own and Turnover	Nagel (2005)	JF	Other
RIO-Volatility	Inst Own and Idio Vol	Nagel (2005)	JF	Other
roaq	Return on assets (qtrly)	Balakrishnan, Bartov and Faurel (2010)	JAE	Profitability
roavol	RoA volatility	Francis, LaFond, Olsson, Schipper (2004)	AR	Other
RoE	net income / book equity	Haugen and Baker (1996)	JFE	Profitability
roic	Return on invested capital	Brown and Rowe (2007)	WP	Profitability
salecash	Sales to cash ratio	Ou and Penman (1989)	JAR	Other
saleinv	Sales to inventory	Ou and Penman (1989)	JAR	Other
salerec	Sales to receivables	Ou and Penman (1989)	JAR	Other
secured	Secured debt	Valta (2016)	JFQA	Intangibles
securedind	Secured debt indicator	Valta (2016)	JFQA	Intangibles
sfe	Earnings Forecast to price	Elgers, Lo and Pfeiffer (2001)	AR	Value vs. growth
sgr	Annual sales growth	Lakonishok, Shleifer, Vishny (1994)	JF	Other
sgr-q	Annual sales growth quarterly	Lakonishok, Shleifer, Vishny (1994)	JF	Other
ShareIss1Y	Share issuance (1 year)	Pontiff and Woodgate (2008)	JF	Investment
ShareIss5Y	Share issuance (5 year)	Daniel and Titman (2006)	JF	Investment
ShareRepurchase	Share repurchases	Ikenberry, Lakonishok, Vermaelen (1995)	JFE	Investment
ShareVol	Share Volume	Datar, Naik and Radcliffe (1998)	JFM	Trading frictions
ShortInterest	Short Interest	Dechow et al. (2001)	JFE	Trading frictions
sinAlgo	Sin Stock (selection criteria)	Hong and Kacperczyk (2009)	JFE	Other
Size	Size	Banz (1981)	JFE	Other
skew1	Volatility smirk near the money	Xing, Zhang and Zhao (2010)	JFQA	Trading frictions
SmileSlope	Put volatility minus call volatility	Yan (2011)	JFE	Trading frictions
SP	Sales-to-price	Barbee, Mukherji and Raines (1996)	FAJ	Value vs. growth
SP-q	Sales-to-price quarterly	Barbee, Mukherji and Raines (1996)	FAJ	Value vs. growth
Spinoff	Spinoffs	Cusatis, Miles and Woolridge (1993)	JFE	Other
std-turn	Share turnover volatility	Chordia, Subra, Anshuman (2001)	JFE	Trading frictions
STreversal	Short term reversal	Jegadeesh (1989)	JF	Other
SurpriseRD	Unexpected RD increase	Eberhart, Maxwell and Siddique (2004)	JF	Intangibles
tang	Tangibility	Hahn and Lee (2009)	JF	Intangibles
tang-q	Tangibility quarterly	Hahn and Lee (2009)	JF	Intangibles
Tax	Taxable income to income	Lev and Nissim (2004)	AR	Profitability
Tax-q	Taxable income to income (qtrly)	Lev and Nissim (2004)	AR	Profitability
TotalAccruals	Total accruals	Richardson et al. (2005)	JAE	Investment
UpRecomm	Up Forecast	Barber et al. (2002)	JF	Intangibles
VarCF	Cash-flow to price variance	Haugen and Baker (1996)	JFE	Other
VolMkt	Volume to market equity	Haugen and Baker (1996)	JFE	Trading frictions
VolSD	Volume Variance	Chordia, Subra, Anshuman (2001)	JFE	Trading frictions
VolumeTrend	Volume Trend	Haugen and Baker (1996)	JFE	Other
WW	Whited-Wu index	Whited and Wu (2006)	RFS	Other
WW-Q	Whited-Wu index	Whited and Wu (2006)	RFS	Other
XFIN	Net external financing	Bradshaw, Richardson, Sloan (2006)	JAE	Investment
zerotrade	Days with zero trades	Liu (2006)	JFE	Trading frictions
zerotradeAlt1	Days with zero trades	Liu (2006)	JFE	Trading frictions
zerotradeAlt12	Days with zero trades	Liu (2006)	JFE	Trading frictions
ZScore	Altman Z-Score	Dichev (1998)	JFE	Profitability
ZScore-q	Altman Z-Score quarterly	Dichev (1998)	JFE	Profitability

This table summarizes the firm characteristics used to construct the long-short anomalies. The columns show the acronym, a brief description, the original study, and the corresponding journal, where we follow [Chen and Zimmermann \(2022\)](#). In the column ‘Economic category’ we group similar factors based on their economic interpretation. Where available, we use the classification by [Hou et al. \(2020\)](#). For the remaining factors, we group them into the categories intangibles, investment, momentum, profitability, trading frictions, value vs. growth, and other.

Table A.2 – cont.

Acronym	Economic category	R	t(R)	SD	SR	maxDD	Min	5%	95%	Max	Start	N
RDAbility	Other	0.127	0.079	12.805	0.010	73.118	-12.956	-6.043	6.068	14.978	1957-07-31	762
RDcap	Intangibles	5.563	2.954	11.985	0.464	39.292	-9.083	-4.353	6.098	20.935	1980-07-31	486
RDIP0	Intangibles	7.986	3.291	16.034	0.498	54.932	-26.903	-6	7.171	19.231	1977-01-31	524
RDS	Intangibles	3.099	2.550	8.377	0.370	29.631	-14.937	-2.957	4.063	11.682	1973-07-31	570
realestate	Intangibles	3.246	2.257	10.221	0.318	36.575	-15.268	-4.227	4.959	11.786	1970-07-31	606
ResidualMomentum	Momentum	10.279	8.113	12.058	0.852	43.496	-29.360	-4.184	5.683	17.812	1930-06-30	1,087
ResidualMomentum6m	Momentum	4.250	4.001	10.132	0.419	37.327	-23.253	-4.004	4.079	13.009	1930-01-31	1,092
retConglomerate	Momentum	13.997	6.753	13.433	1.042	24.048	-16.426	-4.368	8.037	21.581	1976-02-27	504
RetNOA	Profitability	0.141	0.152	7.065	0.020	47.799	-10.833	-2.981	2.833	17.562	1963-07-31	690
RetNOA_q	Profitability	6.997	3.255	16.123	0.434	63.183	-36.101	-6.855	7.057	18.418	1964-10-30	675
ReturnSkew	Trading frictions	5.803	7.819	7.208	0.805	31.453	-18.157	-2.110	3.251	12.179	1926-09-30	1,132
ReturnSkew3F	Trading frictions	4.497	7.882	5.542	0.812	26.474	-13.135	-1.607	2.652	10.253	1926-09-30	1,132
ReturnSkewCAPM	Trading frictions	-4.917	-7.208	6.626	-0.742	99.308	-11.281	-2.770	1.868	21.234	1926-09-30	1,132
ReturnSkewQF	Trading frictions	-2.863	-4.357	4.784	-0.598	80.491	-8.962	-2.293	1.520	10.119	1967-02-28	636
REV6	Momentum	9.534	4.131	15.368	0.620	64.114	-34.365	-6.128	6.317	14.066	1976-09-30	532
RevenueSurprise	Momentum	7.233	8.584	6.394	1.131	18.352	-12.137	-1.746	2.927	17.562	1963-06-28	691
RIO_Disp	Other	7.766	3.534	14.688	0.529	52.278	-16.378	-5.047	7.493	25.716	1976-02-27	536
RIO_MB	Other	8.370	4.166	15.259	0.549	70.199	-19.430	-5.652	7.779	26.724	1963-01-31	692
RIO_Turnover	Other	3.851	2.481	15.063	0.256	81.039	-20.468	-6.690	7.233	18.778	1926-09-30	1,130
RIO_Volatility	Other	5.680	3.061	18	0.316	87.004	-21.933	-7.469	8.181	50.584	1926-09-30	1,129
roaq	Profitability	13.804	5.206	19.575	0.705	66.879	-33.620	-7.489	8.434	42.393	1966-07-29	654
roavol	Other	0.892	0.311	20.792	0.043	86.569	-21.953	-8.471	7.880	39.757	1968-06-28	631
RoE	Profitability	2.745	2.319	9.130	0.301	48.518	-22.086	-3.388	4.249	14.631	1961-07-31	714
roic	Profitability	0.333	0.161	15.832	0.021	75.953	-36.024	-7.025	5.713	18.188	1962-07-31	702
salecash	Other	0.828	0.710	9.756	0.085	63.509	-25.100	-4.047	3.899	14.508	1951-01-31	840
saleinv	Other	2.481	2.989	6.943	0.357	28.359	-11.825	-3.104	3.137	6.522	1951-01-31	840
salerec	Other	2.156	2.573	7.012	0.308	44.771	-6.142	-2.974	3.257	11.471	1951-01-31	840
secured	Intangibles	-0.789	-0.859	5.702	-0.138	47.464	-7.671	-2.361	2.406	7.322	1982-07-30	462
securedind	Intangibles	-0.052	-0.054	6.096	-0.009	51.711	-7.257	-2.212	2.146	13.593	1981-01-30	480
sfe	Value vs. growth	5.529	1.714	21.573	0.256	88.500	-54.648	-8.490	9.102	21.883	1976-04-30	537
sgr	Other	-5.431	-5.847	7.716	-0.704	98.533	-14.800	-4.258	2.937	7.272	1952-01-31	828
sgr_q	Other	4.117	3.150	9.980	0.412	36.258	-20.083	-4.513	4.033	12.006	1962-09-28	700
ShareIss1Y	Investment	4.871	6.036	7.804	0.624	25.524	-13.625	-2.878	4.224	10.950	1927-07-30	1,122
ShareIss5Y	Investment	4.669	5.268	8.384	0.557	29.015	-8.052	-2.899	3.897	30.070	1931-07-31	1,074
ShareRepurchase	Investment	2.014	2.575	5.446	0.370	24.889	-8.318	-2.276	2.471	5.631	1962-07-31	582
ShareVol	Trading frictions	5.558	3.313	16.228	0.342	77.968	-29.050	-7.215	7.401	28.075	1926-09-30	1,123
ShortInterest	Trading frictions	9.553	5.975	11.068	0.863	20.305	-15.606	-4.439	5.620	16.318	1973-02-28	575
sinAlgo	Other	3.408	2.550	11.166	0.305	56.200	-15.830	-4.584	5.083	35.224	1951-03-31	838
Size	Other	4.371	3.084	13.765	0.318	52.279	-10.973	-4.235	5.913	53.260	1926-09-30	1,132
skew1	Trading frictions	5.853	4.086	7.151	0.818	18.390	-9.273	-2.320	3.658	7.431	1996-02-29	299
SmileSlope	Trading frictions	14.699	10.479	7.001	2.099	4.775	-4.653	-1.220	4.196	15.482	1996-02-29	299
SP	Value vs. growth	8.269	5.123	13.457	0.615	58.840	-25.006	-4.670	6.493	20.620	1951-07-31	834
SP_q	Value vs. growth	12.761	6.168	15.935	0.801	66.272	-36.687	-4.668	7.546	30.010	1961-09-29	712
Spinoff	Other	3.306	2.264	14.184	0.233	62.055	-20.934	-4.773	5.265	54.375	1926-09-30	1,132
std_turn	Trading frictions	6.164	3.007	19.765	0.312	80.934	-45.882	-8.412	8.973	25.169	1928-01-31	1,116
STReversal	Other	35.197	14.215	24.049	1.464	50.364	-36.964	-4.492	13.909	79.534	1926-09-30	1,132
SurpriseRD	Intangibles	1.044	1.412	6.136	0.170	49.918	-10.417	-2.360	2.650	16.462	1952-03-31	826
tang	Intangibles	4.304	3.219	11.188	0.385	37.320	-12.065	-4.163	4.874	38.744	1951-01-31	840
tang_q	Intangibles	6.218	4.622	9.497	0.655	52.453	-9.233	-3.559	4.753	27.608	1971-03-31	598
Tax	Profitability	4.278	5.236	6.812	0.628	34.392	-16.421	-2.321	3.227	11.110	1951-07-31	834
Tax_q	Profitability	0.871	0.908	7.389	0.118	65.873	-11.265	-2.793	2.401	32.551	1961-09-29	712
TotalAccruals	Investment	3.551	3.563	8.247	0.431	43.768	-7.858	-2.547	3.703	16.382	1952-07-31	822
UpRecomm	Intangibles	4.039	5.409	3.886	1.039	8.024	-6.836	-1.074	2.110	4.534	1993-12-31	325
VarCF	Other	-5.451	-2.710	16.525	-0.330	99.479	-30.941	-7.825	6.407	14.029	1953-07-31	810
VolMkt	Trading frictions	3.348	1.806	17.930	0.187	80.691	-31.954	-7.761	8.756	21.094	1927-07-30	1,122
VolSD	Trading frictions	3.516	2.388	14.200	0.248	39.969	-31.742	-5.564	6.072	43.474	1928-01-31	1,116
VolumeTrend	Other	6.617	5.230	12.168	0.544	29.105	-25.261	-3.705	5.224	45.626	1928-07-31	1,110
WW	Other	3.510	2.124	13.726	0.256	61.703	-16.077	-4.858	6.290	31.135	1952-01-31	828
WW_Q	Other	4.345	1.460	21.063	0.206	77.356	-21.674	-7.394	10.386	42.262	1970-11-30	601
XFIN	Investment	11.679	4.836	16.817	0.694	61.192	-36.495	-5.990	8.208	24.596	1972-07-31	582
zerotrade	Trading frictions	6.161	3.221	18.578	0.332	46.739	-27.052	-7.226	7.957	67.172	1926-09-30	1,132
zerotradeAlt1	Trading frictions	6.743	3.700	17.667	0.382	56.420	-27.511	-6.616	8.324	54.367	1927-01-31	1,128
zerotradeAlt12	Trading frictions	4.992	3.337	14.497	0.344	46.510	-21.010	-5.205	6.398	58.400	1927-02-28	1,127
ZScore	Profitability	-0.120	-0.055	16.524	-0.007	90.674	-19.919	-6.548	7.211	32.341	1963-01-31	696
ZScore_q	Profitability	-3.014	-1.176	17.989	-0.168	95.687	-29.248	-8.667	6.516	21.465	1971-10-29	591

This table shows descriptive statistics for raw anomaly returns. Panel A shows average statistics for each economic category. Panel B displays individual anomaly statistics. The columns show the acronym, the economic category, the mean return, t-stat of that return, standard deviation, Sharpe ratio, maximum Drawdown, minimum and maximum return, 5 and 95 percentile return, the start of the sample and the number of observations, respectively. Table A.1 gives a brief description of the firm characteristics.

B Timing Signals

This section describes the details of our timing signals. For each factor i , timing signal j and time t we determine a scaling factor $w_{i,t}^j$. The timed factor returns are obtained in the subsequent period as $f_{i,t+1}^j = f_{i,t+1} \cdot w_{i,t}^j$. Table B.1 provides detailed information about each timing signal. The columns show the acronym, the trading signal class, the original study, the corresponding journal, the original signals' definition and the definition of the scaling factor $w_{i,t}^j$ applied in our paper, respectively.

Table B.1: Summary of Timing Signals

Acronym	Category	Related literature	Implementation in our paper
MOM1	Momentum	Gupta and Kelly (2019)	Annualized momentum return from t-1 to t-1 scaled by annualized past return volatility over 3Y, capped at ± 2 .
MOM2	Momentum	Gupta and Kelly (2019)	Annualized momentum return from t-3 to t-1 scaled by annualized past return volatility over 3Y, capped at ± 2 .
MOM3	Momentum	Gupta and Kelly (2019)	Annualized momentum return from t-6 to t-1 scaled by annualized past return volatility over 3Y, capped at ± 2 .
MOM4	Momentum	Gupta and Kelly (2019)	Annualized momentum return from t-12 to t-1 scaled by annualized past return volatility over 10Y, capped at ± 2 .
MOM5	Momentum	Gupta and Kelly (2019)	Annualized momentum return from t-36 to t-1 scaled by annualized past return volatility over 10Y, capped at ± 2 .
MOM6	Momentum	Gupta and Kelly (2019)	Annualized momentum return from t-60 to t-1 scaled by annualized past return volatility 10Y, capped at ± 2 .
MOM7	Momentum	Gupta and Kelly (2019)	Annualized momentum return from t-12 to t-2 scaled by annualized past return volatility over 3Y, capped at ± 2 .
MOM8	Momentum	Gupta and Kelly (2019)	Annualized momentum return from t-60 to t-13 scaled by annualized past return volatility 10Y, capped at ± 2 .
MOM9	Momentum	Ehsani, Linnainmaa (2019)	Sign of return from $t - 1$ to $t - 1$.
MOM10	Momentum	Ehsani, Linnainmaa (2019)	Sign of return from $t - 3$ to $t - 1$.
MOM11	Momentum	Ehsani, Linnainmaa (2019)	Sign of return from $t - 6$ to $t - 1$.
MOM12	Momentum	Ehsani, Linnainmaa (2019)	Sign of return from $t - 12$ to $t - 1$.
VOL1	Volatility	Moreira and Muir (2017)	Inverse of the variance of daily returns measured in month $t - 1$, scaled by the average of all monthly variances of daily returns (using the entire sample).
VOL2	Volatility	Moreira and Muir (2017)	Inverse of the standard deviation of daily returns measured in month $t - 1$, scaled by the average of all monthly standard deviations of daily returns (using the entire sample).
VOL3	Volatility	Moreira and Muir (2017)	Inverse of the variance of daily returns measured in month $t - 1$, estimated from an AR(1) process for log variance, scaled by the average of all monthly variances of daily returns (using the entire sample).
VOL4	Volatility	Cederburg, O'Doherty, Wang, Yan (2020)	Inverse of the realized variance of daily returns measured in month $t - 1$, multiplied by 22 divided by the number of trading days in the month, scaled by the average of all monthly variances of daily returns (using the entire sample).
VOL5	Volatility	DeMiguel, Utrera and Uppal (2021)	Inverse of the annualized standard deviation of daily market returns measured in month $t - 1$.
VOL6	Volatility	Reschenhofer and Zechner (2021)	Level of implied volatility (CBOE VIX index) in t-1 is used to scale factor in t.
VOL7	Volatility	Reschenhofer and Zechner (2021)	Level of implied skewness (CBOE SKEW index) in t-1 is used to scale factor in t.
REV1	Reversal	Moskowitz, Ooi, and Pedersen (2012)	1 minus annualized net return from $t - 60$ to t .
REV2	Reversal	Moskowitz, Ooi, and Pedersen (2012)	1 minus annualized net return from $t - 120$ to t .
TSMOM1	Momentum	Moskowitz, Ooi, and Pedersen (2012)	Sign of return from t-1 to t, multiplied by 40% divided by ex-ante volatility, where ex-ante volatility is the square root of exponentially weighted moving average of squared daily returns.

Table B.1 – cont.

Acronym	Category	Related literature	Implementation in our paper
TSMOM2	Momentum	Moskowitz, Ooi, and Pedersen (2012)	Sign of return from $t-3$ to t , multiplied by 40% divided by ex-ante volatility, where ex-ante volatility is the square root of exponentially weighted moving average of squared daily returns.
TSMOM3	Momentum	Moskowitz, Ooi, and Pedersen (2012)	Sign of return from $t-6$ to t , multiplied by 40% divided by ex-ante volatility, where ex-ante volatility is the square root of exponentially weighted moving average of squared daily returns.
TSMOM4	Momentum	Moskowitz, Ooi, and Pedersen (2012)	Sign of return from $t-12$ to t , multiplied by 40% divided by ex-ante volatility, where ex-ante volatility is the square root of exponentially weighted moving average of squared daily returns.
VAL1	Valuation	Campbell and Shiller (1988), Cohen, Polk, and Vuolteenaho (2003), Haddad, Kozak, and Santosh (2020)	We first calculate the BTM spread as the difference of log book-to-market ratio of long minus short leg. The signal is obtained as the difference of the BTM spread at time t minus the expanding mean BTM spread up to time $t-1$, scaled by the standard deviation of the difference.
VAL2	Valuation	Campbell and Shiller (1988), Cohen, Polk, and Vuolteenaho (2003), Haddad, Kozak, and Santosh (2020)	We first calculate the BTM spread as the difference of log book-to-market ratio of long minus short leg. The signal is obtained as the difference of the BTM spread at time t minus the 5 year rolling mean BTM spread up to time $t-1$, scaled by the standard deviation of the difference.
VAL3	Valuation	Campbell and Shiller (1988), Cohen, Polk, and Vuolteenaho (2003), Haddad, Kozak, and Santosh (2020)	We first calculate the BTM spread as the difference of log book-to-market ratio of long minus short leg using the book-value of December of last year. The signal is obtained as the difference of the BTM spread at time t minus the expanding mean BTM spread up to time $t-1$, scaled by the standard deviation of the difference.
VAL4	Valuation	Campbell and Shiller (1988), Cohen, Polk, and Vuolteenaho (2003), Haddad, Kozak, and Santosh (2020)	We first calculate the BTM spread as the difference of log book-to-market ratio of long minus short leg using the book-value of December of last year. The signal is obtained as the difference of the BTM spread at time t minus the 5 year rolling mean BTM spread up to time $t-1$, scaled by the standard deviation of the difference.
VAL5	Valuation	Campbell and Shiller (1988), Cohen, Polk, and Vuolteenaho (2003), Haddad, Kozak, and Santosh (2020)	We first calculate the BTM spread as the difference of log book-to-market ratio of long minus short leg using quarterly book-values. The signal is obtained as the difference of the BTM spread at time t minus the expanding mean BTM spread up to time $t-1$, scaled by the standard deviation of the difference.
VAL6	Valuation	Campbell and Shiller (1988), Cohen, Polk, and Vuolteenaho (2003), Haddad, Kozak, and Santosh (2020)	We first calculate the BTM spread as the difference of log book-to-market ratio of long minus short leg using quarterly book-values. The signal is obtained as the difference of the BTM spread at time t minus the 5 year rolling mean BTM spread up to time $t-1$, scaled by the standard deviation of the difference.
SPREAD1	Characteristic spread	Huang, Liu, Ma, Osiol (2011)	Difference of characteristic of long minus short leg, then SD calculated from difference, then spread minus expanding mean scaled by standard deviation.
SPREAD2	Characteristic spread	Huang, Liu, Ma, Osiol (2011)	Difference of characteristic of long minus short leg, then SD calculated from difference, then spread minus rolling mean scaled by standard deviation.
IPS1	Issuer-purchaser spread	Greenwood and Hanson (2012)	Difference of the average for net equity issuers versus repurchasers (from original paper: YoY change in net stock issuance (NS) as the change in log split-adjusted shares outstanding from Compustat ($CSHO \times AJEX$)) of long minus short leg, then SD calculated from difference, then spread minus expanding mean scaled by standard deviation.
IPS2	Issuer-purchaser spread	Greenwood and Hanson (2012)	Difference of the average for net equity issuers versus repurchasers (from original paper: YoY change in net stock issuance (NS) as the change in log split-adjusted shares outstanding from Compustat ($CSHO \times AJEX$)) of long minus short leg, then SD calculated from difference, then spread minus rolling mean scaled by standard deviation.
IPS3	Issuer-purchaser spread	Pontiff and Woodgate (2008)	Difference of the average for net equity issuers versus repurchasers (Growth in number of shares between $t-18$ and $t-6$. Number of shares is calculated as $shout/cfacshr$ to adjust for splits from CRSP ($SHROUT \times CFACSHR$)) of long minus short leg, then SD calculated from difference, then spread minus expanding mean scaled by standard deviation.

Table B.1 – cont.

Acronym	Category	Related literature			Implementation in our paper
IPS4	Issuer-purchaser spread	Pontiff and Woodgate (2008)			Difference of the average for net equity issuers versus repurchasers (Growth in number of shares between t-18 and t-6. Number of shares is calculated as $\text{shout}/\text{cfacshr}$ to adjust for splits from CRSP ($\text{SHROUT} \times \text{CFACSHR}$)) of long minus short leg, then SD calculated from difference, then spread minus rolling mean scaled by standard deviation.
IPS5	Issuer-purchaser spread	Bradshaw, (2006)	Richardson,	Sloan	Difference of the average for net equity issuers versus repurchasers (Sale of common stock (sstk) minus purchase of common stock (prstk), scaled by average total assets (at) from years t and t-1. Exclude if absolute value of ratio is greater than 1.) of long minus short leg, then SD calculated from difference, then spread minus expanding mean scaled by standard deviation.
IPS6	Issuer-purchaser spread	Bradshaw, (2006)	Richardson,	Sloan	Difference of the average for net equity issuers versus repurchasers (Sale of common stock (sstk) minus purchase of common stock (prstk), scaled by average total assets (at) from years t and t-1. Exclude if absolute value of ratio is greater than 1.) of long minus short leg, then SD calculated from difference, then spread minus rolling mean scaled by standard deviation.

This table summarizes the timing signals used to time the long-short anomalies. The columns show the acronym, the category, a brief description, the original study, the corresponding journal, the original definition and the definition used in this paper, respectively.

C Additional Results

Table C.1: Performance Impact of Factor Timing with Single Signals

This table shows timing success of different signals for individual factors, grouped into economic categories. It is analogous to Table 1 in the main text, but shows results for additional signal categories. N_f reports the number of factors within each category. The left part of the panel shows the alpha for each factor i and signal j against its raw (untimed) counterpart. Alpha is obtained as the intercept in the following regression: $f_{i,t+1}^j = \alpha_{i,j} + \beta_{i,j} f_{i,t+1} + \epsilon_{t+1}$. α , $\alpha > 0$, and $\alpha < 0$ present the average alpha, and the number of factors with a positive and negative α , respectively. We report average t -statistics and the number of significant factors in brackets, where statistical significance is based on heteroscedasticity-adjusted standard errors. The right part shows the average difference in the annualized Sharpe ratio of the timed versus untimed factor across factor/signal combinations. For Sharpe ratios, we use the z -statistic from the Jobson and Korkie (1981) test of the null that $SR(f_i^j - f_i) = 0$. Panel A report results for the characteristic spreads, Panel B report results for the Issuer-purchaser spread, Panel C for the Reversal signals and Panel D for the valuation spread signals. We describe the factors and their allocation to an economic category in Table A.1. Table B.1 describes the timing signals.

	N_f	Time series regression			Sharpe ratio difference		
		α	$\alpha > 0$	$\alpha < 0$	ΔSR	$\Delta SR > 0$	$\Delta SR < 0$
A. Characteristic spread							
All factors	318	-0.628 [-0.223]	134 [18]	184 [31]	-0.352 [-2.126]	53 [14]	265 [167]
Intangibles	53	-0.152 [-0.235]	21 [2]	32 [4]	-0.338 [-1.792]	6 [1]	47 [22]
Investment	46	-0.360 [-0.303]	17 [3]	29 [2]	-0.394 [-2.452]	8 [5]	38 [30]
Momentum	22	-1.302 [-0.001]	10 [2]	12 [2]	-0.691 [-4.166]	1 [0]	21 [15]
Profitability	35	-0.649 [-0.010]	20 [0]	15 [2]	-0.274 [-1.643]	8 [0]	27 [15]
Trading frictions	46	0.170 [0.064]	22 [4]	24 [2]	-0.206 [-1.277]	12 [4]	34 [19]
Value vs. growth	41	-1.805 [-0.615]	14 [4]	26 [8]	-0.374 [-2.556]	5 [2]	36 [25]
Other	75	-0.767 [-0.293]	29 [4]	46 [8]	-0.352 [-2.077]	14 [2]	62 [40]
B. Issuer-purchaser spread							
All factors	318	1.389 [0.507]	209 [38]	109 [8]	-0.329 [-1.599]	69 [18]	249 [134]
Intangibles	53	1.045 [0.432]	35 [5]	18 [1]	-0.324 [-1.477]	12 [2]	42 [20]
Investment	46	0.508 [0.226]	26 [4]	20 [2]	-0.454 [-2.268]	6 [5]	40 [28]
Momentum	22	0.864 [0.448]	13 [2]	9 [0]	-0.723 [-3.567]	1 [0]	21 [16]
Profitability	35	1.415 [0.649]	23 [6]	12 [1]	-0.250 [-1.255]	10 [2]	25 [12]
Trading frictions	46	2.322 [0.492]	30 [6]	16 [1]	-0.216 [-0.945]	14 [4]	32 [14]
Value vs. growth	41	1.574 [0.704]	29 [7]	12 [1]	-0.305 [-1.590]	8 [3]	33 [16]
Other	75	1.642 [0.586]	53 [8]	22 [1]	-0.261 [-1.266]	19 [3]	56 [28]
C. Reversal							
All factors	318	0.005 [-0.156]	150 [13]	168 [29]	-0.005 [-0.301]	142 [13]	176 [42]
Intangibles	53	-0.058 [-0.329]	20 [1]	33 [2]	-0.008 [-0.420]	20 [1]	32 [5]
Investment	46	-0.058 [-0.329]	20 [1]	33 [2]	-0.008 [-0.420]	20 [1]	32 [5]
Momentum	22	0.014 [-0.131]	10 [2]	12 [3]	-0.012 [-0.516]	9 [3]	13 [5]
Profitability	35	0.165 [-0.057]	17 [2]	18 [1]	0.000 [-0.283]	15 [2]	20 [4]
Trading frictions	46	0.049 [0.460]	30 [4]	16 [0]	0.003 [0.432]	30 [2]	16 [0]
Value vs. growth	41	-0.091 [-0.549]	16 [0]	26 [7]	-0.012 [-0.704]	15 [2]	26 [10]
Other	75	0.012 [-0.044]	39 [2]	36 [6]	-0.006 [-0.212]	36 [2]	38 [10]
D. Valuation							
All factors	318	0.898 [0.331]	191 [32]	127 [12]	-0.388 [-1.931]	57 [14]	261 [148]
Intangibles	53	0.658 [0.228]	30 [4]	23 [2]	-0.401 [-1.811]	10 [1]	43 [23]
Investment	46	0.446 [0.269]	27 [4]	19 [1]	-0.487 [-2.452]	8 [4]	38 [30]
Momentum	22	4.055 [1.306]	17 [7]	5 [0]	-0.842 [-3.795]	0 [0]	22 [16]
Profitability	35	1.503 [0.588]	24 [5]	11 [1]	-0.313 [-1.535]	7 [1]	28 [14]
Trading frictions	46	1.150 [0.346]	29 [4]	17 [1]	-0.223 [-1.040]	13 [3]	33 [13]
Value vs. growth	41	-1.164 [-0.397]	16 [2]	25 [6]	-0.405 [-2.514]	4 [2]	37 [23]
Other	75	1.108 [0.423]	47 [6]	28 [1]	-0.312 [-1.562]	15 [3]	60 [30]

Table C.2: Stock-level Timing Portfolios (sub periods)

This table shows a sub sample analysis for the stock-level timing portfolios presented for the full sample in Table 7 in the main text. Results are shown for long-only equity portfolios. To this end, we aggregate the underlying security weights from all timed factor portfolios. We then retain only firms that have positive total weights. All subsamples are then again split by large (above the NYSE median market cap) and small firms (below the NYSE median market cap). ALL_VW is the value-weighted portfolio return of a small and large cap stocks respectively. Untimed refers to portfolio weights based on the original factor definition. PLS 1 timed shows portfolio timing based on partial least squares regressions with a single component. We report annualized mean return (R), standard deviation (SD), Sharpe ratio (SR), maximum drawdown (maxDD), average number of firms in the portfolio (N), and annualized turnover (Turn). We describe the factors and their allocation into an economic category in Table A.1.

	R	SD	SR	maxDD	N	Turn
<i>01/1974 – 12/1989</i>						
A. Small capitalization stocks						
ALL_VW	15.546	20.520	0.375	37.069	4,096	6.211
Untimed	25.598	22.587	0.786	33.573	2,329	343.044
PLS 1 timed	26.066	22.489	0.810	34.720	2,320	419.587
B. Large capitalization stocks						
ALL_VW	9.438	16.749	0.095	36.349	826	3.061
Untimed	11.652	17.079	0.222	38.021	242	382.965
PLS 1 timed	14.125	18.660	0.336	38.762	273	505.542
<i>01/1990 – 12/2004</i>						
C. Small capitalization stocks						
ALL_VW	12.923	20.058	0.441	36.403	4,860	8.014
Untimed	31.066	19.871	1.358	25.512	2,721	252.879
PLS 1 timed	34.626	23.916	1.278	36.895	2,609	367.029
D. Large capitalization stocks						
ALL_VW1	9.498	14.860	0.365	46.851	1,049	3.962
ORG	14.213	14.381	0.705	26.514	377	260.898
PLS 1 timed	15.184	16.501	0.673	41.738	403	416.474
<i>01/2005 – 12/2020</i>						
E. Small capitalization stocks						
ALL_VW	10.019	20.730	0.425	55.076	2,937	6.999
Untimed	16.120	22.276	0.669	57.828	1,629	260.989
PLS 1 timed	16.701	21.428	0.723	50.035	1,492	416.863
F. Large capitalization stocks						
ALL_VW	8.872	14.966	0.512	51.585	920	3.462
Untimed	10.547	16.786	0.556	49.111	406	290.840
PLS 1 timed	11.310	16.852	0.599	51.084	457	440.629

Table C.3: Stock-level Timing Portfolios: Best-in-class

This table shows variants of the stock-level timing portfolios presented in Table 7 in the main text. Results are shown for long-only equity portfolios. To this end, we aggregate the underlying security weights from all timed factor portfolios. We then retain only firms that have positive total weights. In contrast to Table 7 in the main text, we build more concentrated portfolios, by focusing only on the 20% (50%) with the largest positive aggregate weights. Panels A and B report results for small and large-capitalization stocks in the CRSP universe, where we split the sample in June of year t using the median NYSE market equity and keep firms from July of year t to June of year $t + 1$. ALL_VW is the value-weighted portfolio return of a small and large cap stocks respectively. Untimed refers to portfolio weights based on the original factor definition. PLS 1 timed shows portfolio timing based on partial least squares regressions with a single component. We report annualized mean return (R), standard deviation (SD), Sharpe ratio (SR), maximum drawdown (maxDD), average number of firms in the portfolio (N), and annualized turnover (Turn). The sample period is January 1974 to December 2020. We describe the factors and their allocation into an economic category in Table A.1.

	R	SD	SR	maxDD	N	Turn
A. Small capitalization stocks						
CRSP_VW	12.832	20.420	0.413	55.076	3,945	7.053
Untimed w in top 50%	25.286	21.985	0.950	57.150	1,108	205.429
Untimed w in top 20%	26.701	22.619	0.986	58.616	444	177.309
PLS 1 timed w in top 50%	26.981	23.291	0.970	49.481	1,065	262.895
PLS 1 timed w in top 20%	28.243	24.755	0.964	50.888	427	220.542
B. Large capitalization stocks						
CRSP_VW	9.265	15.538	0.314	51.585	929	3.484
Untimed w in top 50%	12.088	16.073	0.479	48.143	171	234.445
Untimed w in top 20%	11.571	15.865	0.453	45.738	69	208.445
PLS 1 timed w in top 50%	13.565	17.484	0.525	51.669	189	340.172
PLS 1 timed w in top 20%	13.130	17.724	0.493	51.665	76	316.498